

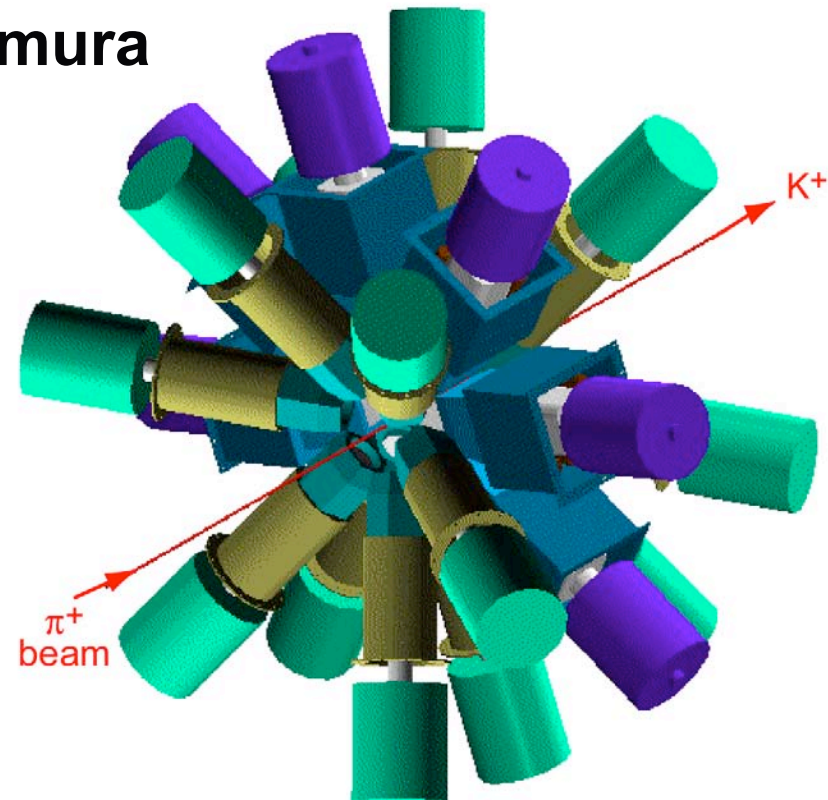
# E566: Hypernuclear $\gamma$ Spectroscopy on $^{12}\text{C}$ Target

Dept. of Physics, Tohoku University  
H. Tamura

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1. Introduction
2. Purposes of E566
3. Setup and Hyperball2
4. Results and discussion
5. Further experiments at J-PARC

*Y. Ma et al., EPJ A33 (2007) 243*

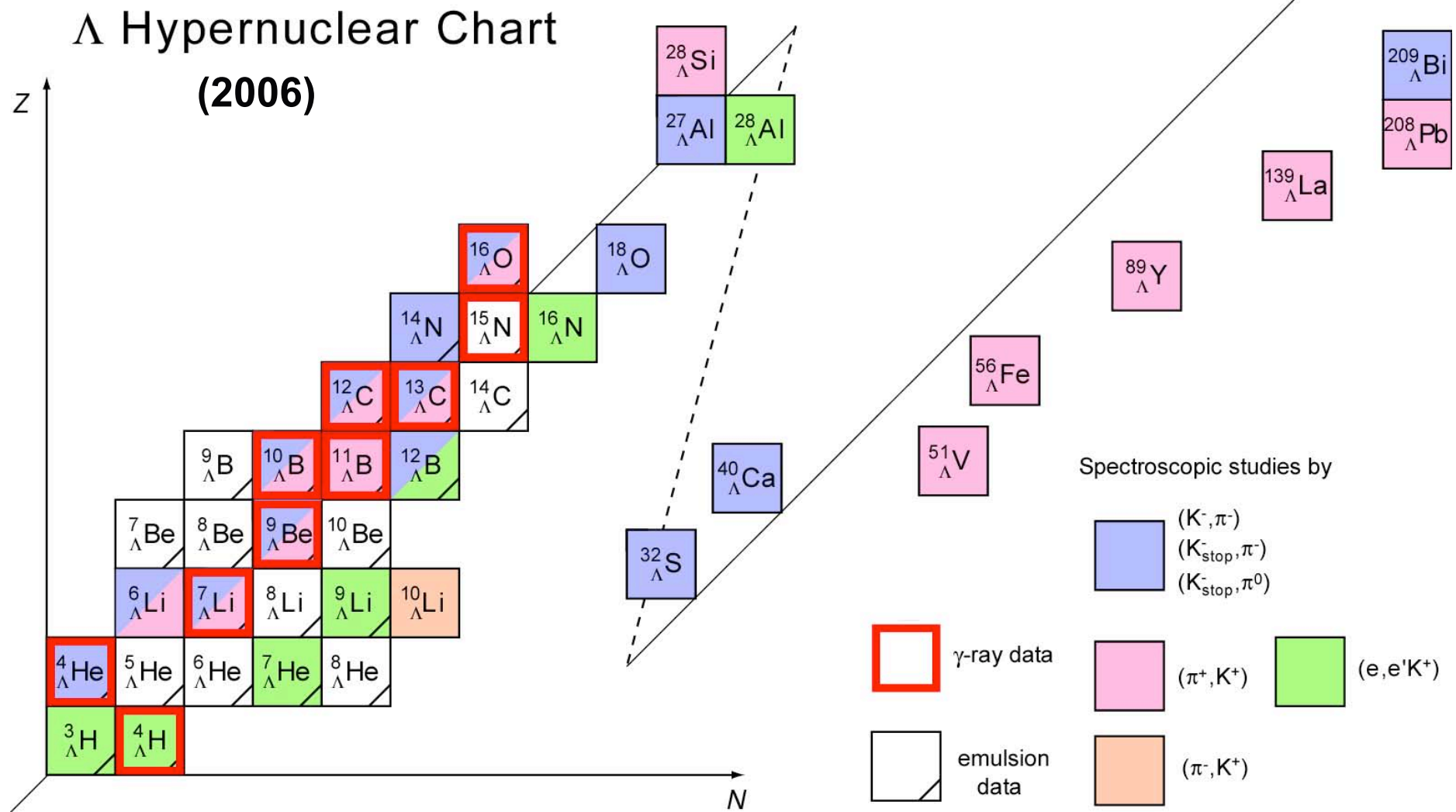


## **E566 Collaboration list**

- Tohoku Univ.**     **H. Tamura, K. Futatsukawa, K. Hosomi, M. Kawai,  
S. Kinoshita, T. Koike, Y. Ma, N. Mayuyama, M. Mimori,  
Y. Miura, Y. Miyagi, K. Shirotori, T. Suzuki, N. Terada,  
K. Tsukada, M. Ukai,**
- KEK**                **K. Aoki, H. Fujioka, Y. Kakiguchi, T. Nagae, D. Nakajima,  
H. Noumi, T. Takahashi, T.N. Takahashi**
- CIAE (Beijing)**     **Y. Fu, S.H. Zhou**
- Kyoto Univ.**        **M. Dairaku, K. Miwa**
- Osaka Univ.**        **S. Ajimura**
- RIKEN**              **K. Tanida**

# **1. Introduction**

# Present Status of $\Lambda$ Hypernuclear Spectroscopy



Updated from: O. Hashimoto and H. Tamura, Prog. Part. Nucl. Phys. 57 (2006) 564.

# Hyperball

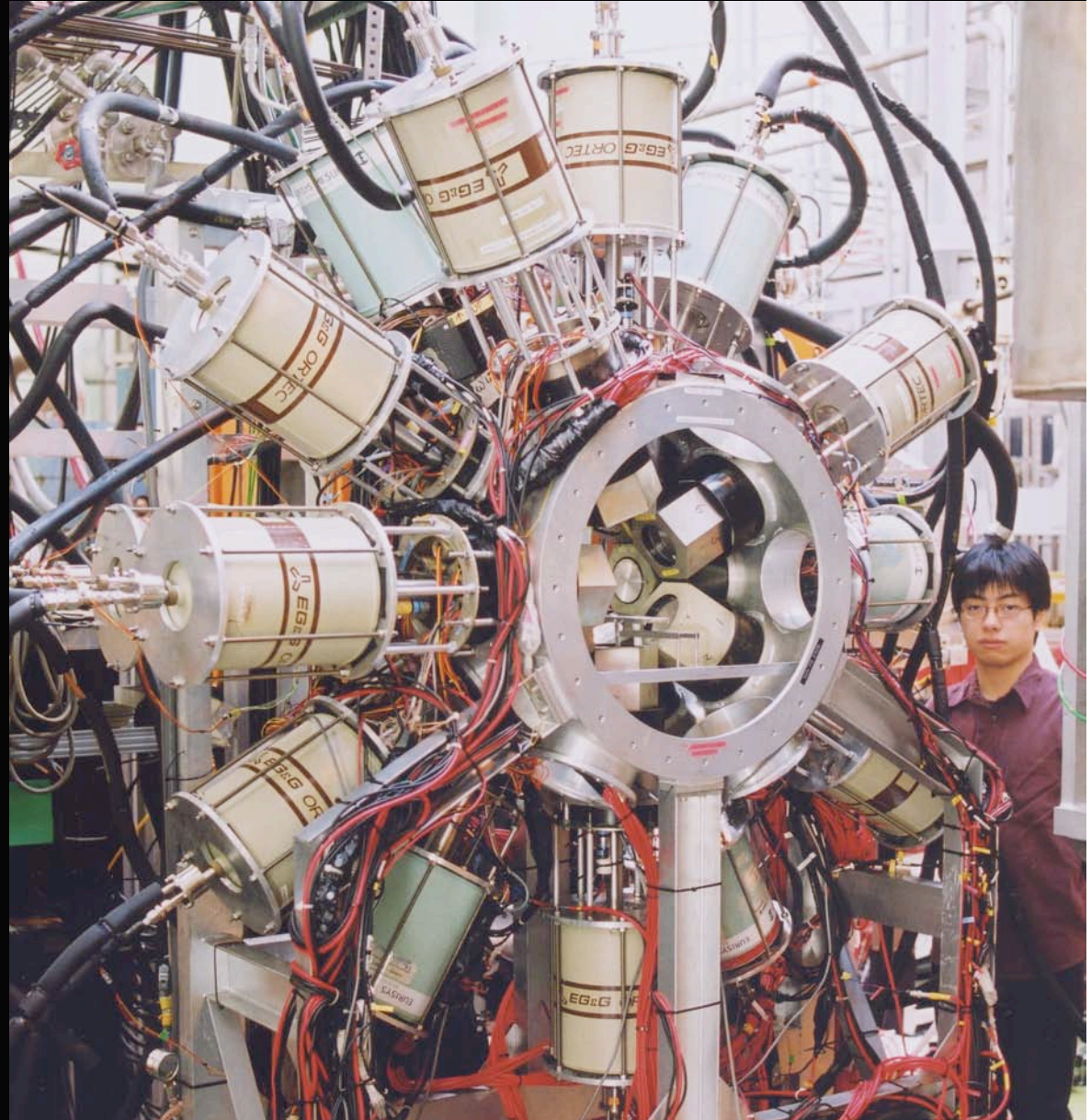
(Tohoku/ Kyoto/ KEK, 1998)

- Large acceptance for small hypernuclear  $\gamma$  yields  
Ge (r.e. 60%) x 14  
 $\Omega \sim 15\%$ ,  $\varepsilon \sim 3\%$  at 1 MeV
- High-rate electronics for huge background
- BGO counters for  $\pi^0$  and Compton suppression

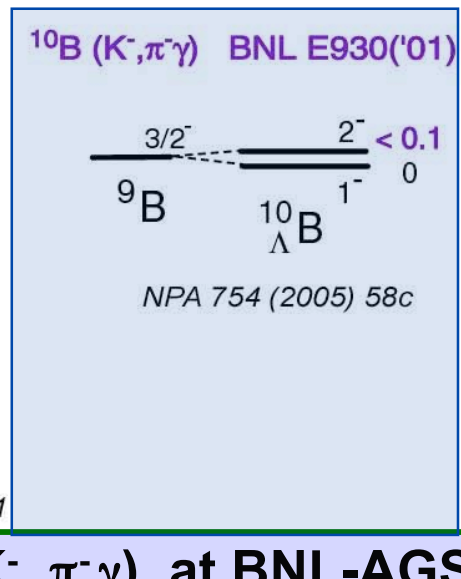
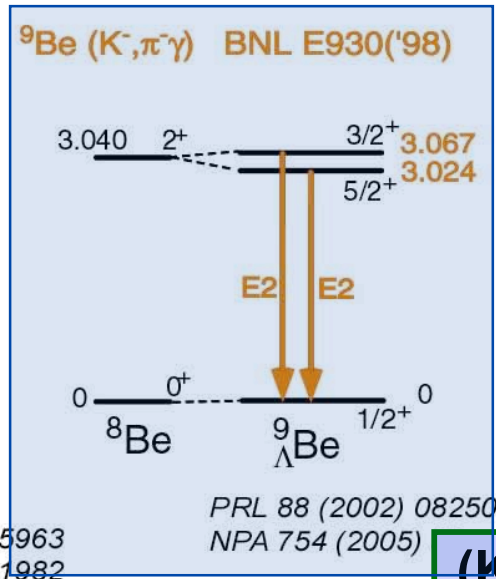
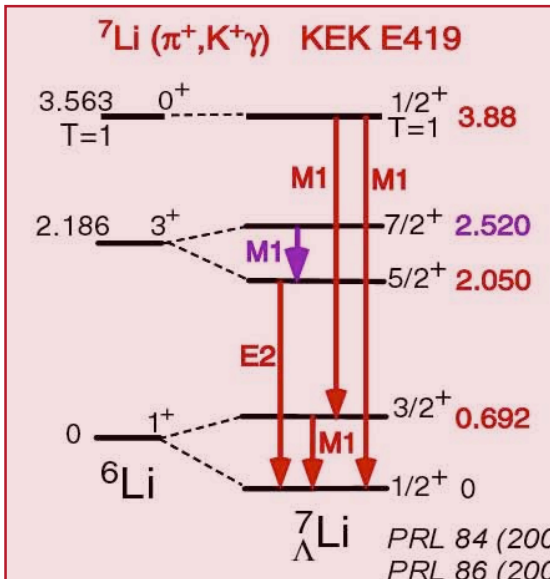
**Resolution of hypernuclear spectroscopy**

**1 MeV  $\rightarrow$  2 keV FWHM**

**First experiment (1998):  
KEK-E419 for  ${}^7_{\Lambda}\text{Li}$**



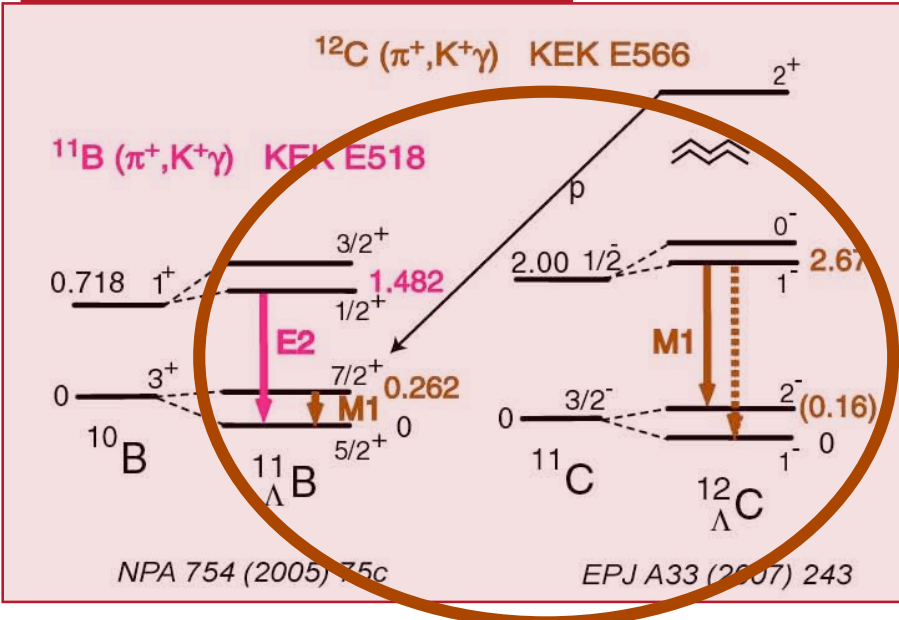
# Present status of precision hypernuclear $\gamma$ -ray spectroscopy



**$(\pi^+, K^+ \gamma)$  at KEK-PS**

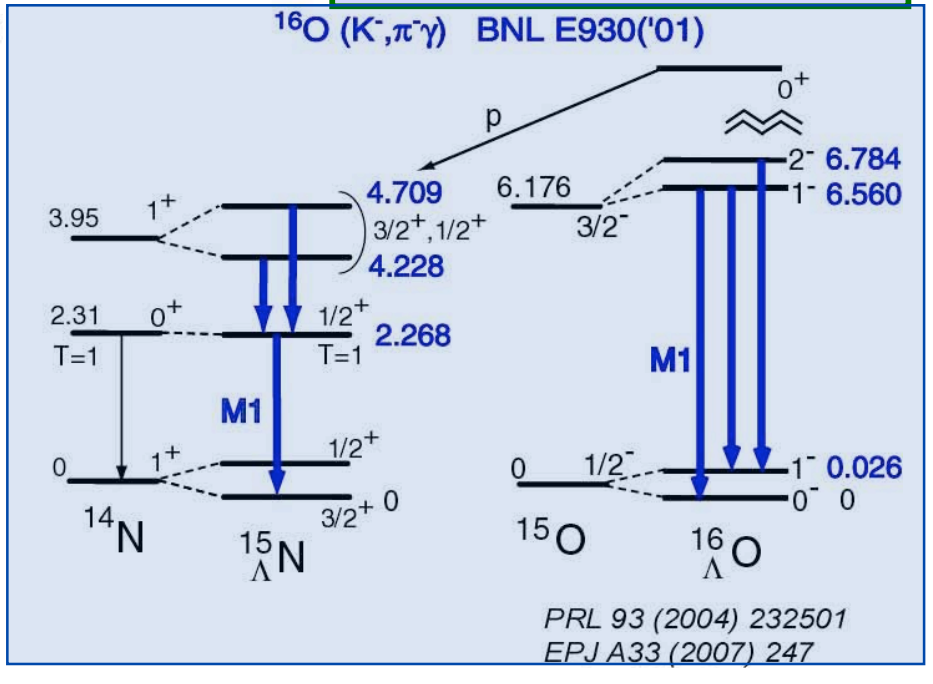
PRL 84 (2000) 5963  
 PRL 86 (2001) 1982  
 PLB 579 (2004) 258  
 PRC 73 (2006) 012501

**$(K^-, \pi^- \gamma)$  at BNL-AGS**



NPA 754 (2005) 75c

EPJ A33 (2007) 243



PRL 93 (2004) 232501

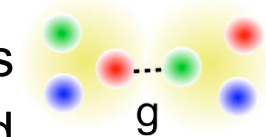
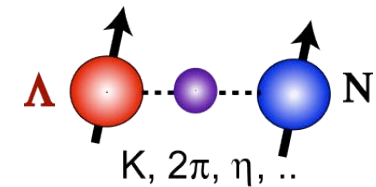
EPJ A33 (2007) 247

# Motivation of Hypernuclear $\gamma$ Spectroscopy

Precise measurement ( $\Delta E = 1\sim 2$  MeV  $\rightarrow$  2 keV FWHM)  
of structures of hypernuclei

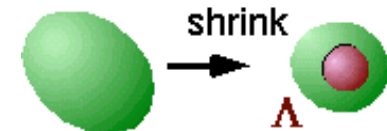
## ■ Baryon-Baryon interaction

- Unified picture of baryon-baryon interactions
- Understand short-range nuclear forces in terms of quarks
- Necessary to understand high density nuclear matter and **strangeness mixing in neutron stars**



## ■ Impurity effects in nuclear structure

- Changes of size/shape, symmetry, cluster/shell structure, ..



## ■ Nuclear medium effects of baryons

- Probed by hyperons free from Pauli effect



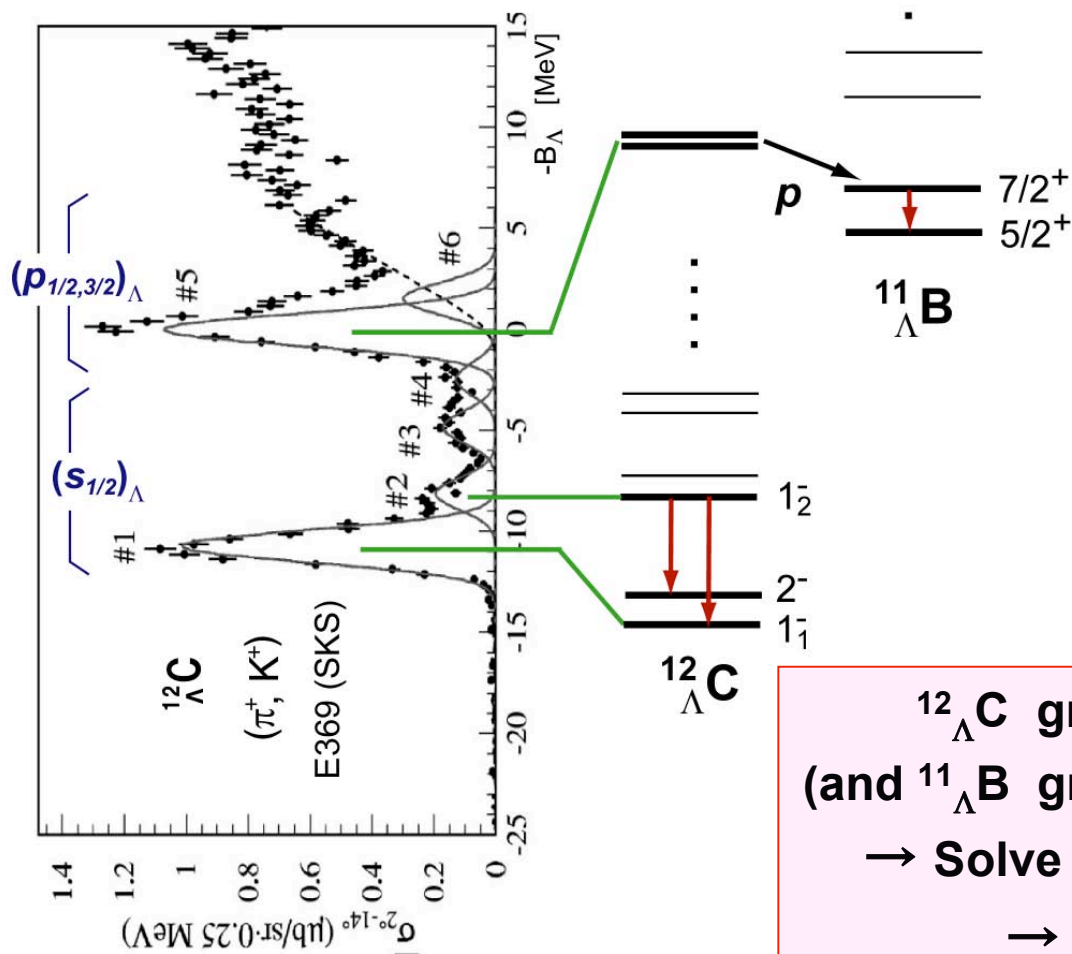
## **2. Purposes of E566**



# Purposes of the Experiment

$^{12}\text{C} (\pi^+, \text{K}^+ \gamma) ^{12}_{\Lambda}\text{C} / ^{11}_{\Lambda}\text{B}$  with Hyperball2 + SKS at K6 line

80 (60+20) shifts



**B(M1) of  
spin-flip M1 ( $^{11}_{\Lambda}\text{B} : 7/2^+ \rightarrow 5/2^+$ )  
→  $g_{\Lambda}$  in a nucleus  
→ Medium effect of baryons**

**$^{12}_{\Lambda}\text{C}$  ground-doublet ( $2^-, 1^-$ ) spacing  
(and  $^{11}_{\Lambda}\text{B}$  ground-doublet ( $5/2^+, 7/2^+$ ) spacing)  
→ Solve “ $^{10}_{\Lambda}\text{B}$  puzzle” in  $\Lambda\text{N}$  interaction  
→ Establish  $\Lambda\text{N}$  interaction**

# $\mu_\Lambda$ in nucleus

## ■ Why interesting?

### Nuclear medium effect for baryons

Partial restoration of chiral symmetry....Reduction of mass ? Swelling?

Can be investigated using a  $\Lambda$  (free from Pauli) in 0s orbit

- + Quark exchange current (Pauli effect between quarks)
- + Meson exchange current

->  $\mu_N$  changes?

$$\mu_q = \frac{e\hbar}{2m_q c}$$

$m_q$  : Constituent quark mass

Calculated.  
Small (a few %) for  $\Lambda$ .



## ■ How to measure it?

Direct measurement of  $\mu$  -- extremely difficult. "Dream Experiment"

**B(M1) of  $\Lambda$ -spin-flip M1 transition ->  $g_\Lambda$**

100% **Doppler Shift Attenuation Method**

$$\Gamma_\gamma = \text{Br} / \tau = (16\pi/9\hbar) (E_\gamma / \hbar c)^3 B(M1)$$

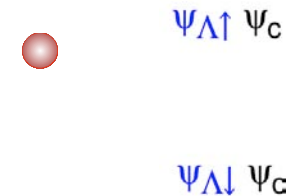
$$= 1.76 \times 10^{13} E_\gamma [\text{MeV}]^3 B(M1) [\mu_N^2]$$

$$B(M1) = (2J_{up} + 1)^{-1} |\langle \Psi_{\text{low}} \| \mu \| \Psi_{\text{up}} \rangle|^2$$

$$= (2J_{up} + 1)^{-1} |\langle \Psi_{\Lambda\downarrow} \psi_c \| \mu \| \Psi_{\Lambda\uparrow} \psi_c \rangle|^2$$

$$\mu = g_c \mathbf{J}_c + g_\Lambda \mathbf{J}_\Lambda = g_c \mathbf{J} + (g_\Lambda - g_c) \mathbf{J}_\Lambda$$

$$\propto (g_\Lambda - g_c)^2$$



# $\Lambda$ N Spin-dependent interactions and $\gamma$ spectroscopy

## ■ Two-body $\Lambda$ N effective interaction

$$V_{\Lambda N}^{\text{eff}} = V_0(r) + V_\sigma(r) \vec{s}_\Lambda \vec{s}_N + V_\Lambda(r) \vec{l}_{\Lambda N} \vec{s}_\Lambda + V_N(r) \vec{l}_{\Lambda N} \vec{s}_N + V_T(r) S_{12}$$

$\bar{V}$   
Well known  
( $U_\Lambda = -30$  MeV)

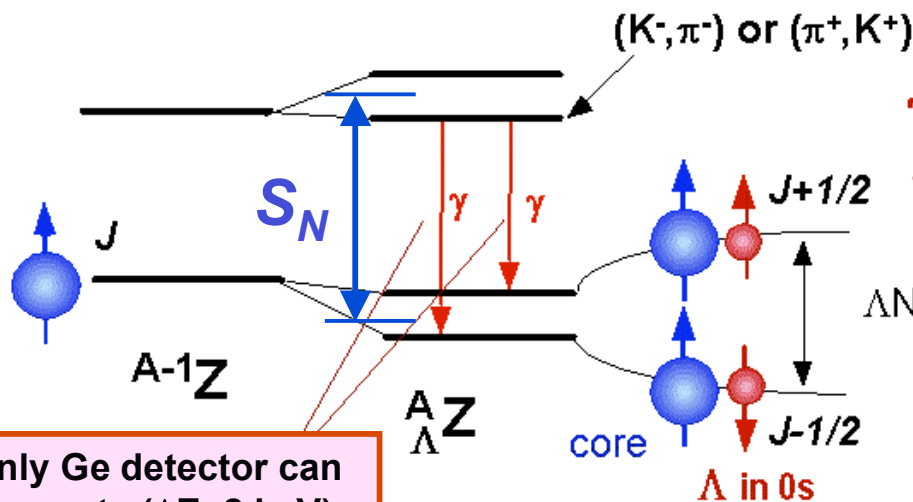
$\Delta$   $S_\Lambda$   $S_N$   $T$   
*p-shell: 5 radial integrals for  $s_\Lambda p_N$  w.f.*

$$\Delta = \int V_\sigma(r) |u(r)|^2 r^2 dr, \quad r = r_{s_\Lambda} - r_{p_N}$$

Dalitz and Gal., *Ann. Phys.* 116 (1978) 167  
Millener et al., *Phys. Rev. C* 31(1985) 499

## ■ Low-lying levels of $\Lambda$ hypernucleus

Level spacing: linear combination  
of  $\Delta, S_\Lambda, S_N, T$



"Hypernuclear  
Fine Structure"

split by  
 $\Lambda$ N spin-dependent  
interactions  
 $\lesssim 0.1$  MeV

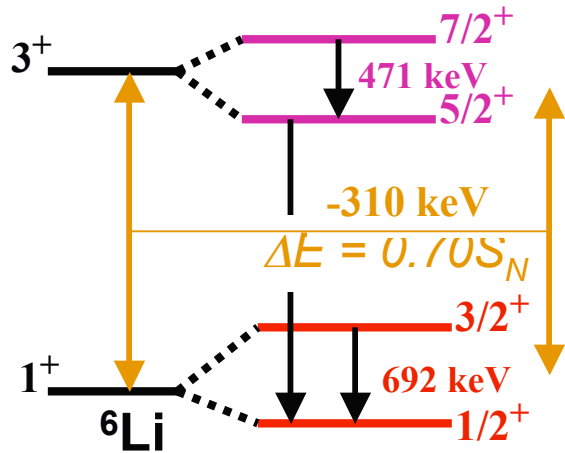
$\Delta, S_\Lambda, T$

Only Ge detector can  
separate ( $\Delta E \sim 2$  keV)

# Determination of the spin-dependent force parameters (KEK E419, BNL E930)

$\Delta, S_\Lambda, T$ : consistent

$\Delta E = 1.29\Delta + 2.17S_\Lambda - 2.38T$



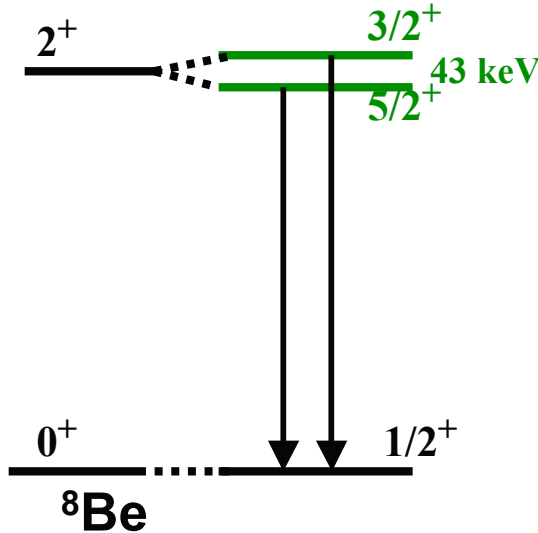
$\Delta E = 1.44\Delta + 0.05S_\Lambda - 0.27T$



$\Delta = 0.43 \text{ MeV}$     $S_N = -0.4 \text{ MeV}$

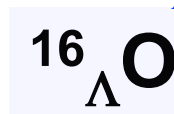
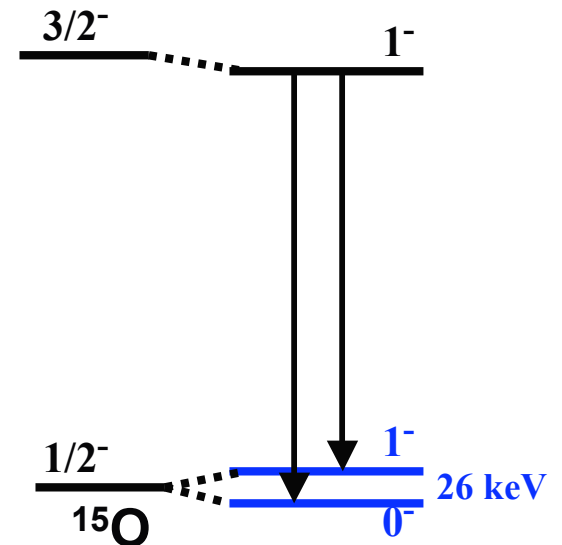
PRL 86 ('00) 5963

$\Delta E = -0.04\Delta + 2.46S_\Lambda + 0.99T$



$S_\Lambda = -0.01 \text{ MeV}$

PRL 88 ('02) 082501



$\Delta E = -0.38\Delta + 1.38S_\Lambda + 7.85T$

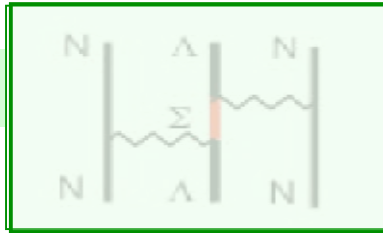
$T = 0.03 \text{ MeV}$

PRL 93 (2004) 232501

All the spin-dependent force parameters determined !  
but consistency test is necessary

# Spin-spin strength ( $\Delta$ ) and $\Lambda$ - $\Sigma$ coupling (Millener)

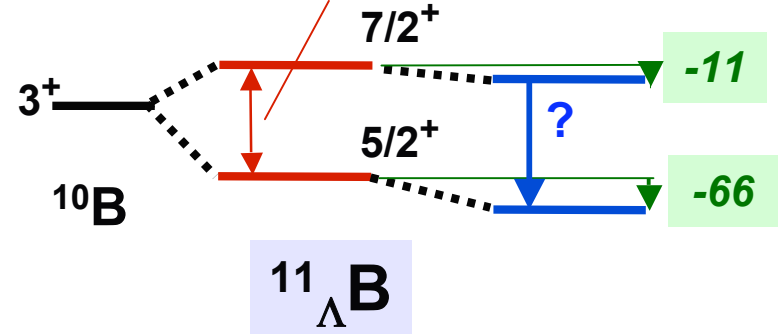
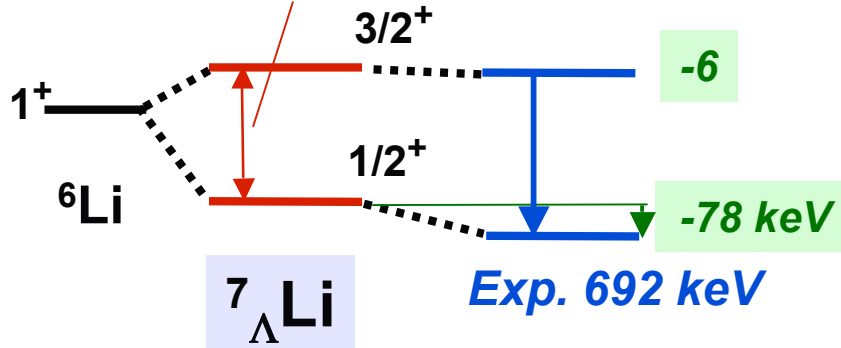
$\Lambda\Sigma$  effect estimated using NSC97f



$S_\Lambda = -0.01$  MeV,  $S_N = -0.4$  MeV,  
 $T = 0.03$  MeV from exp.

$$1.46\Delta + .038S_\Lambda + 0.01S_N - 0.29T$$

$$1.03\Delta + 2.47S_\Lambda + 0.03S_N - 3.36T$$



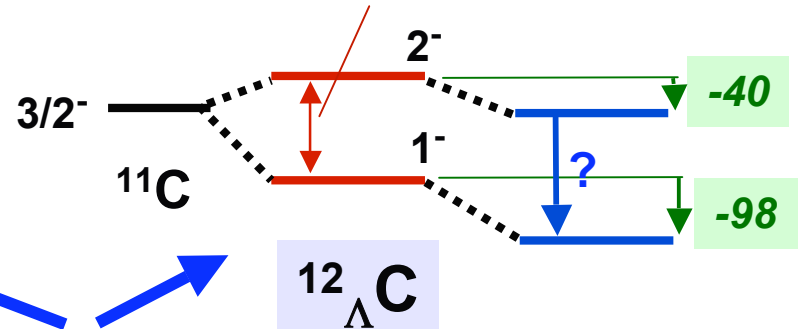
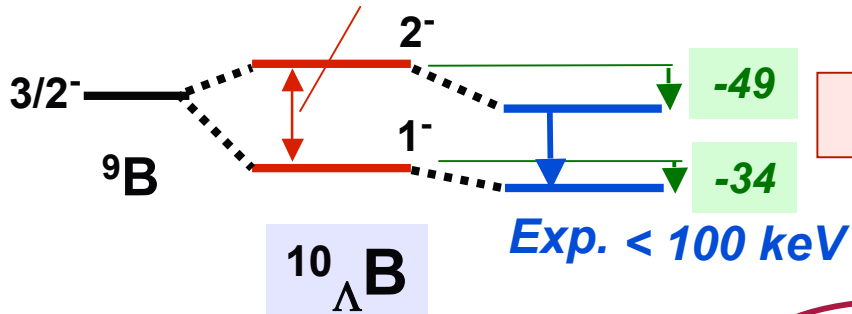
w/o  $\Lambda\Sigma$ :  $\Delta = 0.50$  MeV

w/  $\Lambda\Sigma$ :  $\Delta = 0.43$  MeV

$\Lambda\Sigma$  is really correct ?

$$0.58\Delta + 1.41S_\Lambda - 0.01S_N - 1.07T$$

$$0.54\Delta + 1.4S_\Lambda - 0.05S_N - 1.72T$$



puzzle

w/  $\Lambda\Sigma$ :  $\Delta < 0.3$  MeV

Similar structure but opposite  $\Lambda\Sigma$  effects

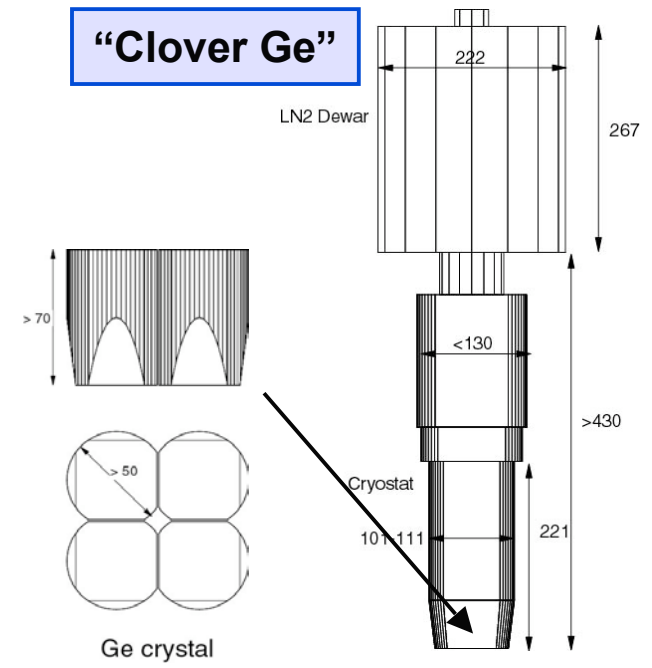
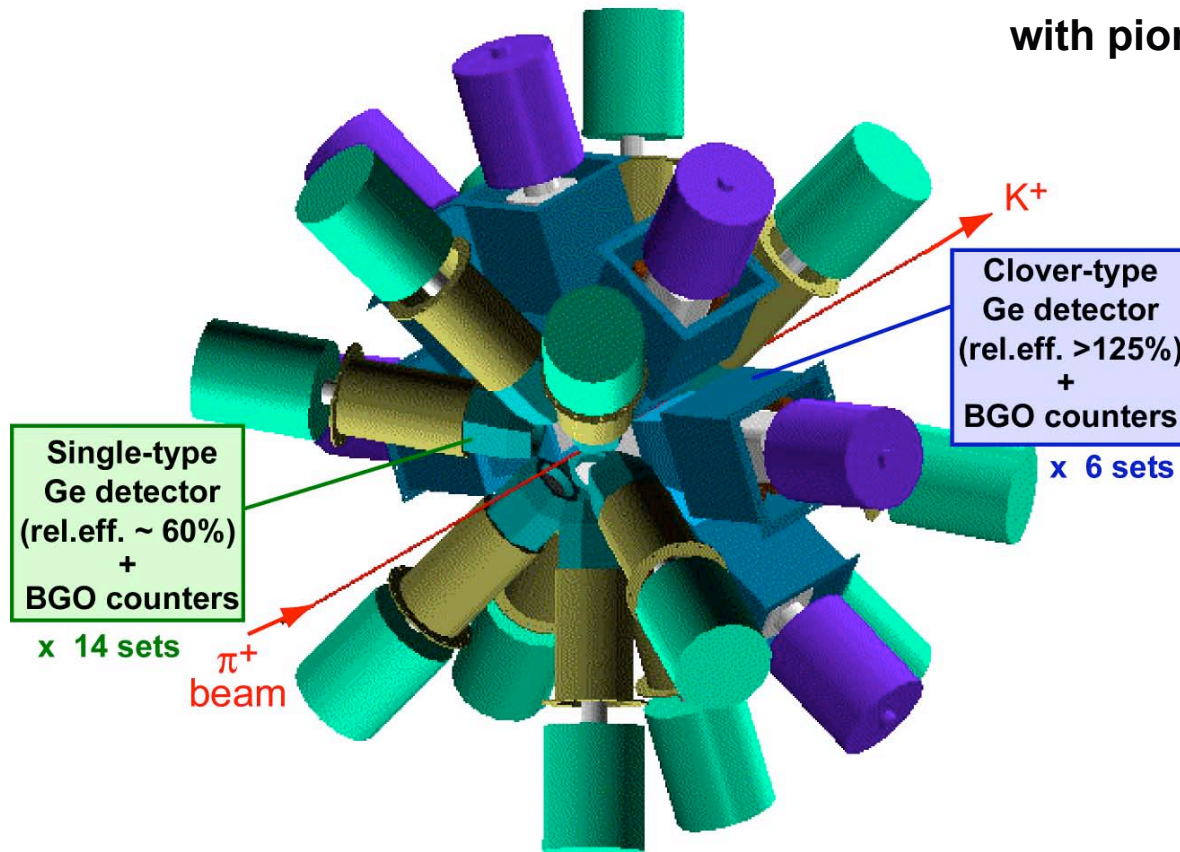
## **3. Setup and Hyperball2**

# Hyperball-2

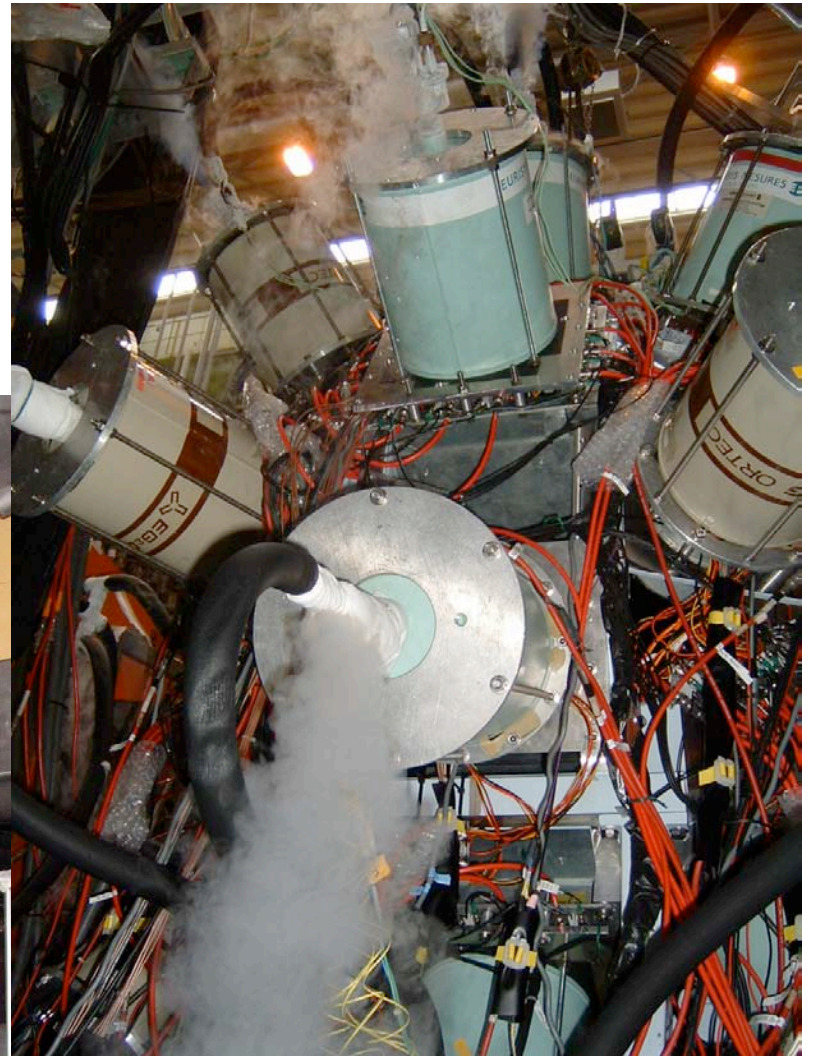
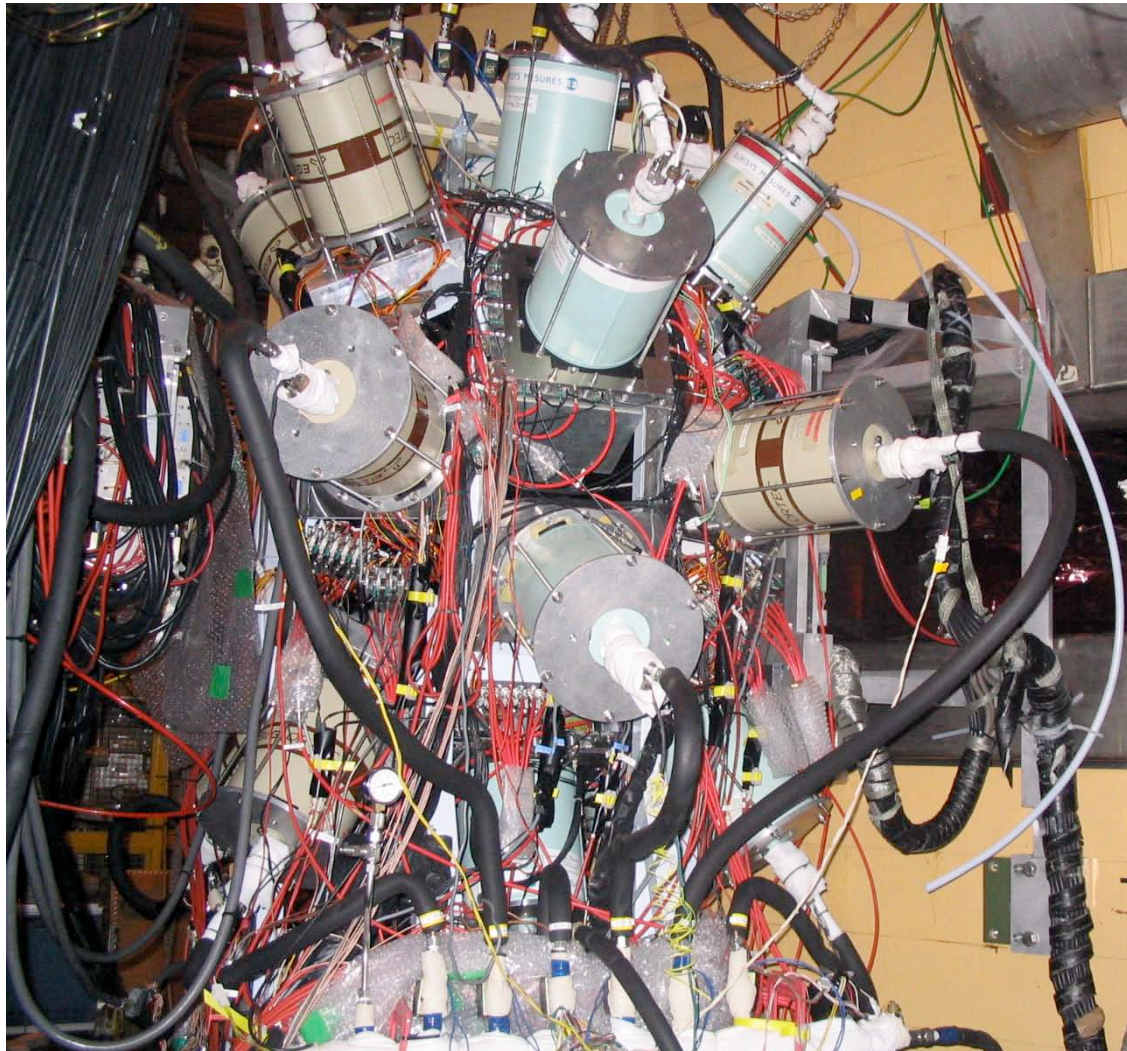
- Reset-type “Clover Ge” (r.e.>125%)  
newly developed at Eurisys Measures
- BGO counters (from China)

- Photo-peak efficiency **x2**  
~ 2.5% -> 5% at 1 MeV
- High-rate performances same as Hyperball
- VME-based fast readout
- Clover’s already tested  
with pion beam at K6 (**T536**) -- almost OK  
(slightly lower eff. than single Ge)

x 6 sets added to Hyperball

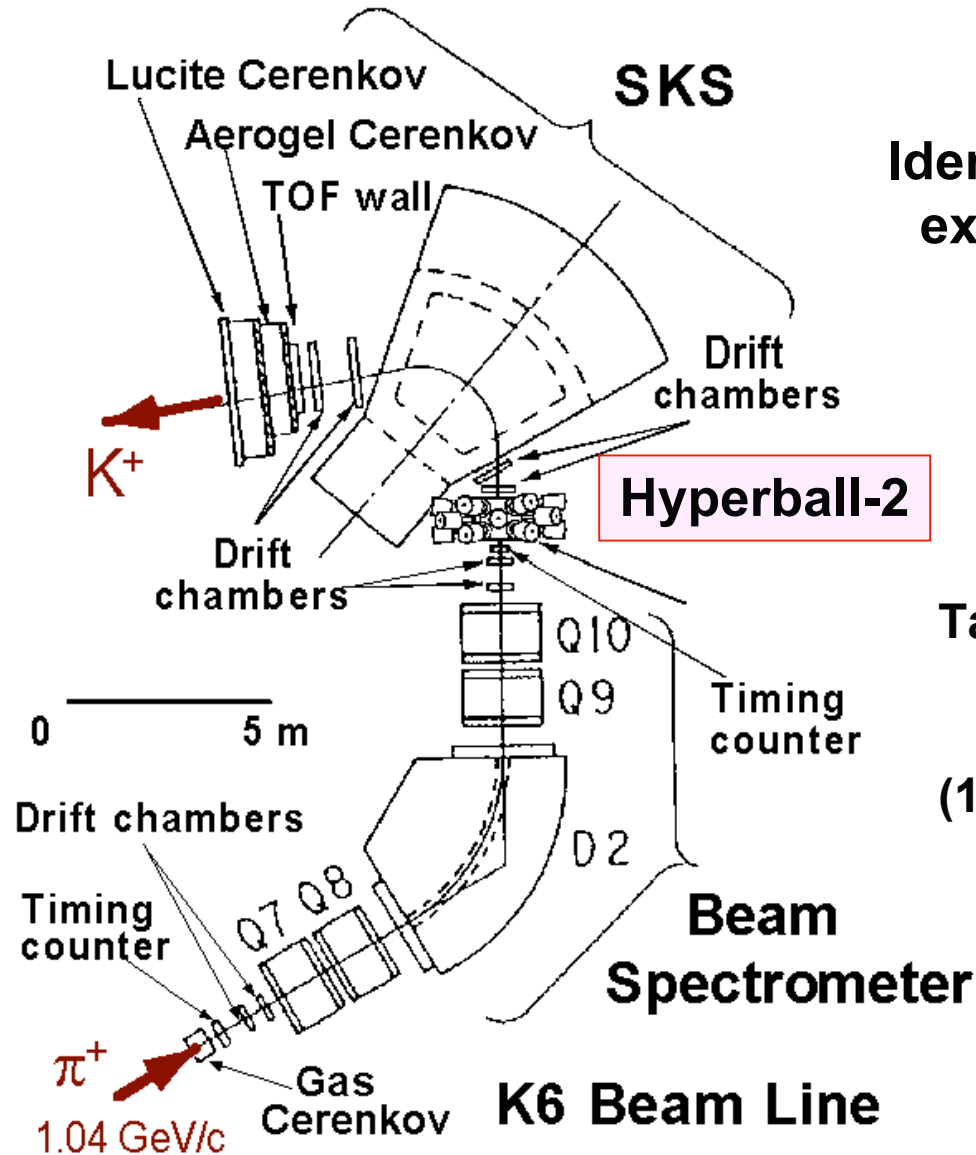


# Hyperball2 at K6





# Setup and beam status



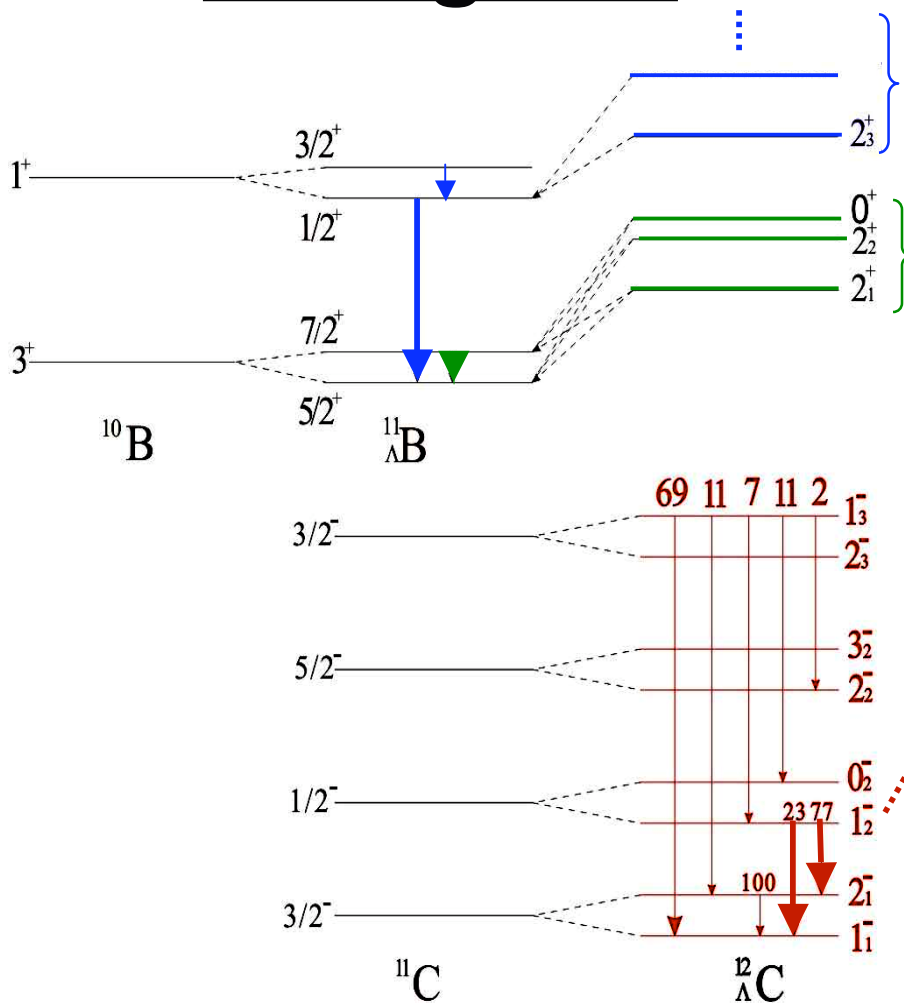
Identical to E419, E518  
except for Hyperall2

Target: polyethylene  
18.8 g/cm<sup>2</sup>  
(16.1 g/cm<sup>2</sup> for <sup>12</sup>C )

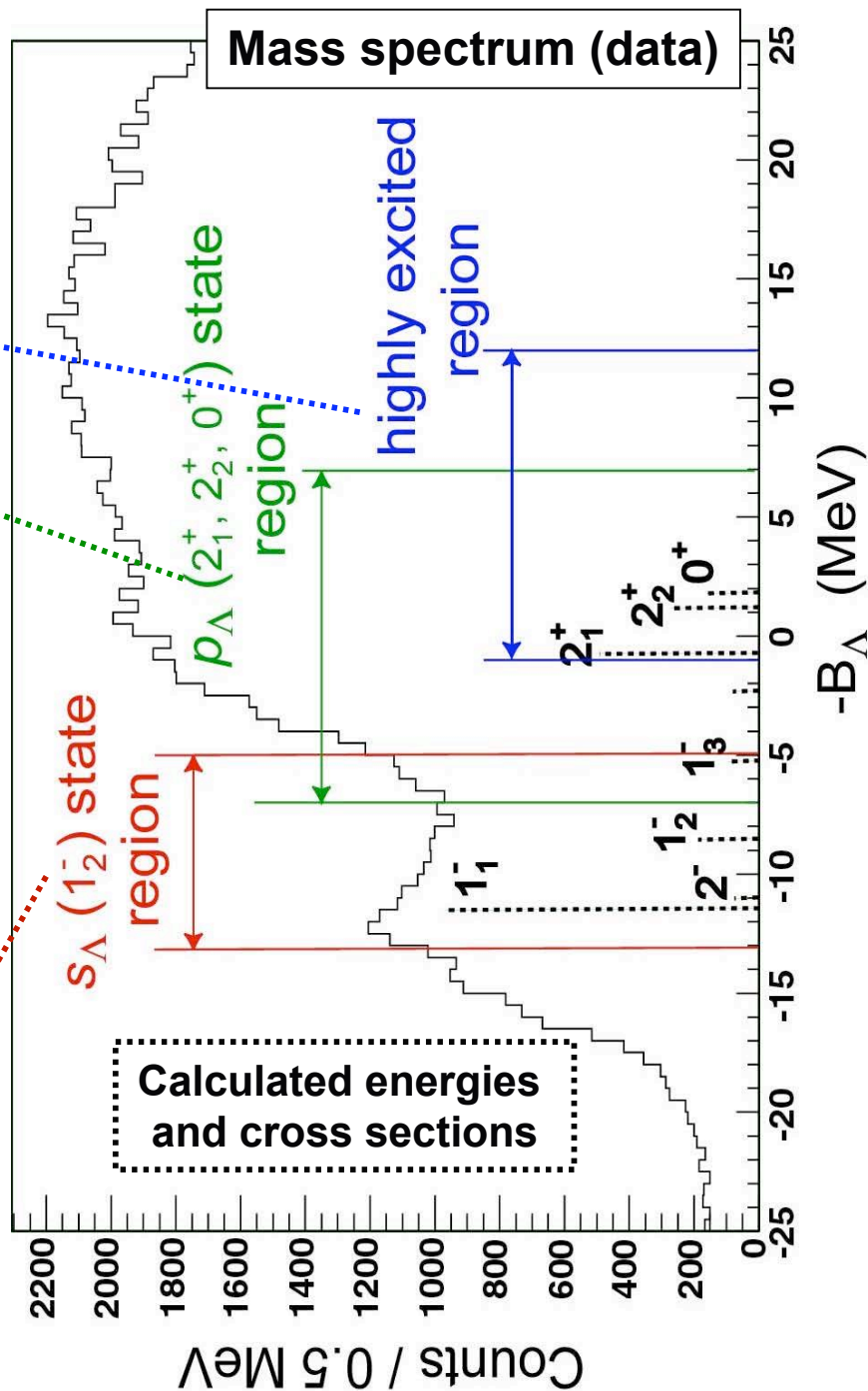
K6 Beam Line

# **4. Results and discussion**

# Mass spectrum and gates



Expected level scheme and transitions



# $p_{\Delta}$ state region

$\Delta = 0.43$  MeV from  ${}^7_{\Delta}\text{Li}$

->

$1.036\Delta$

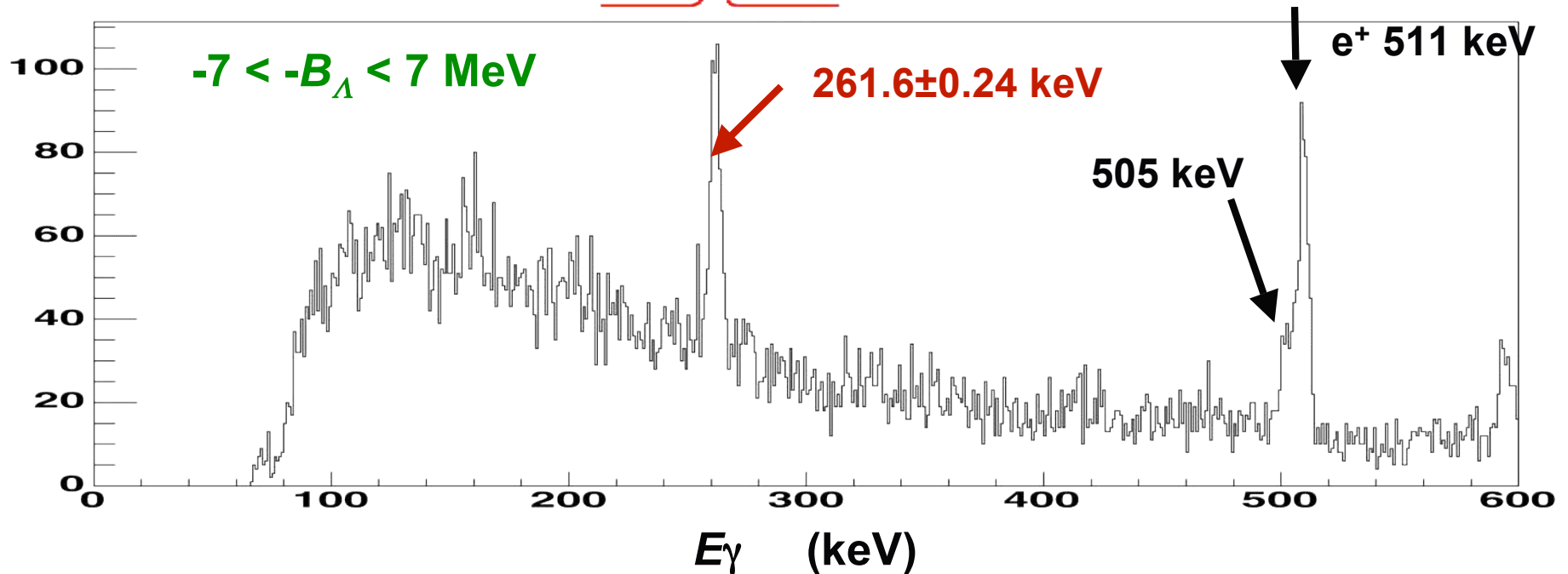
.....

${}^{11}_{\Delta}\text{B}(7/2^+ \rightarrow 5/2^+)$  peak  
observed at 262 keV

simulated peak shape  
for 0.25 MeV

very little tails

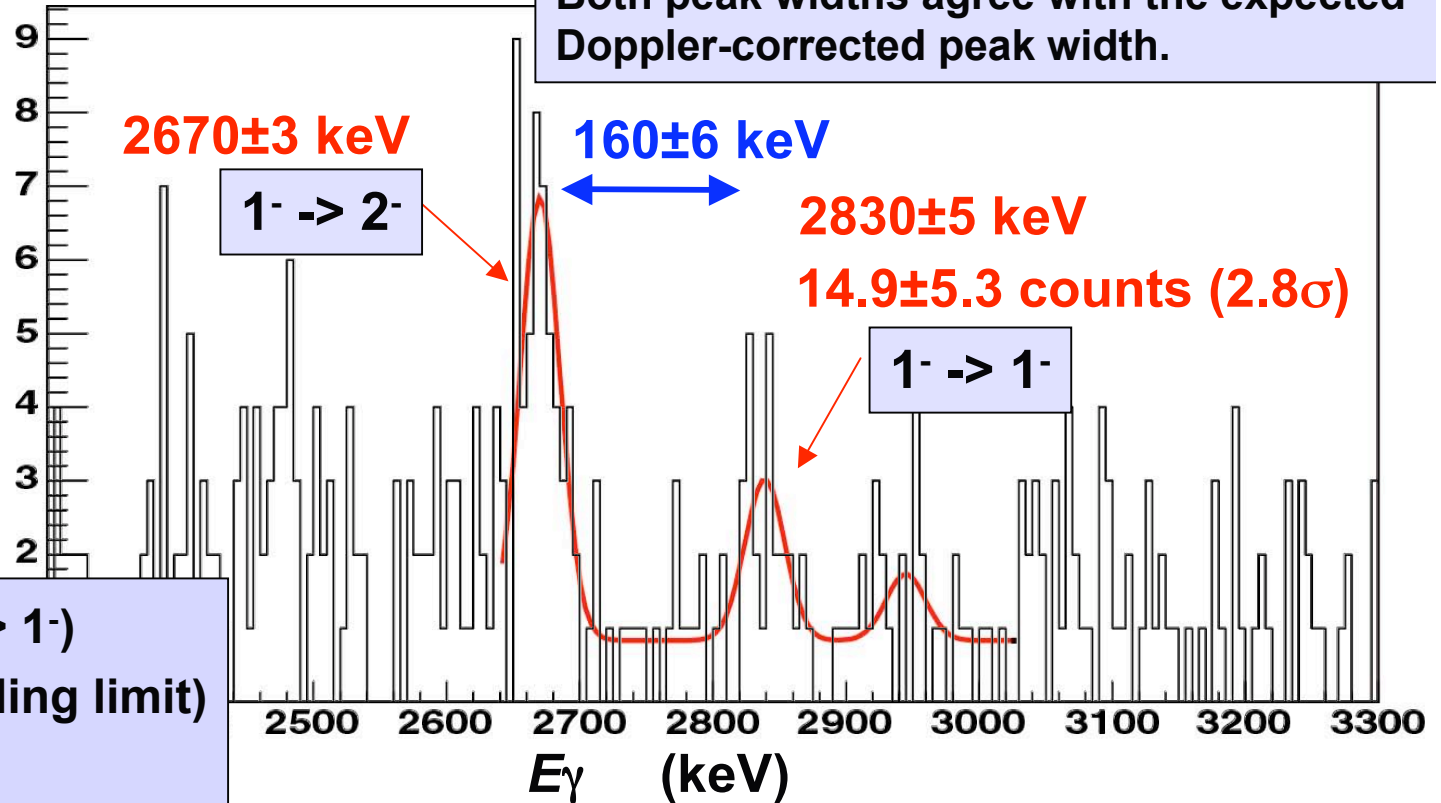
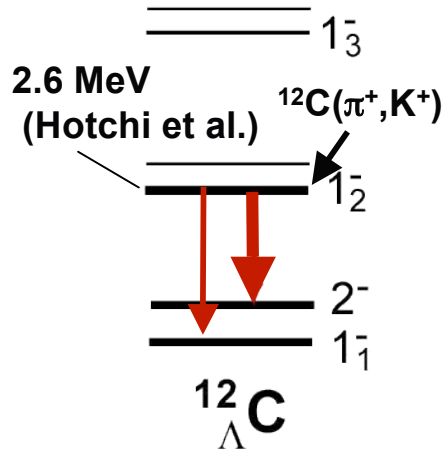
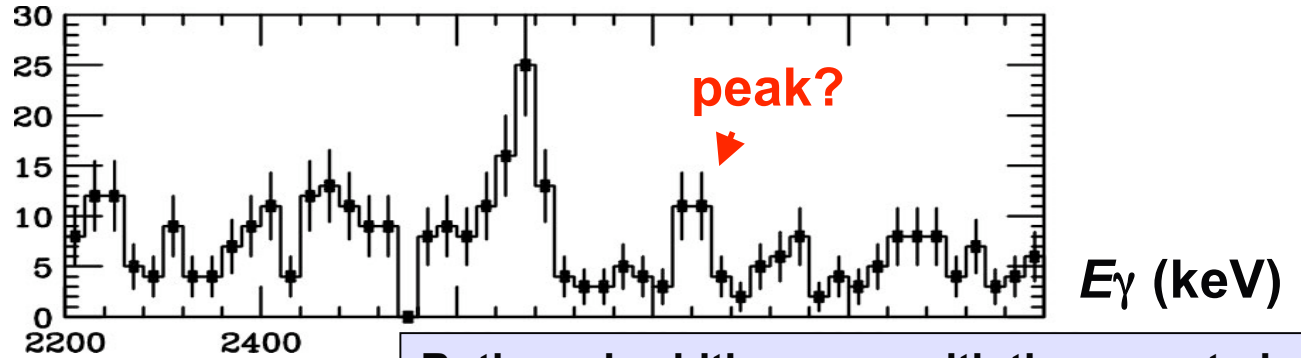
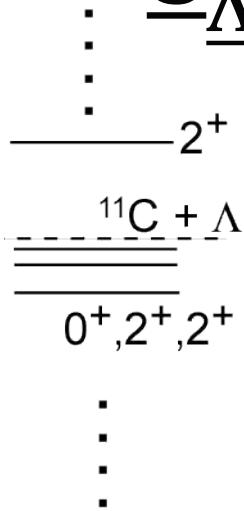
$E_{\gamma}$  is too low  
(= lifetime is too long)  
for B(M1) measurement



# s<sub>Λ</sub> state region

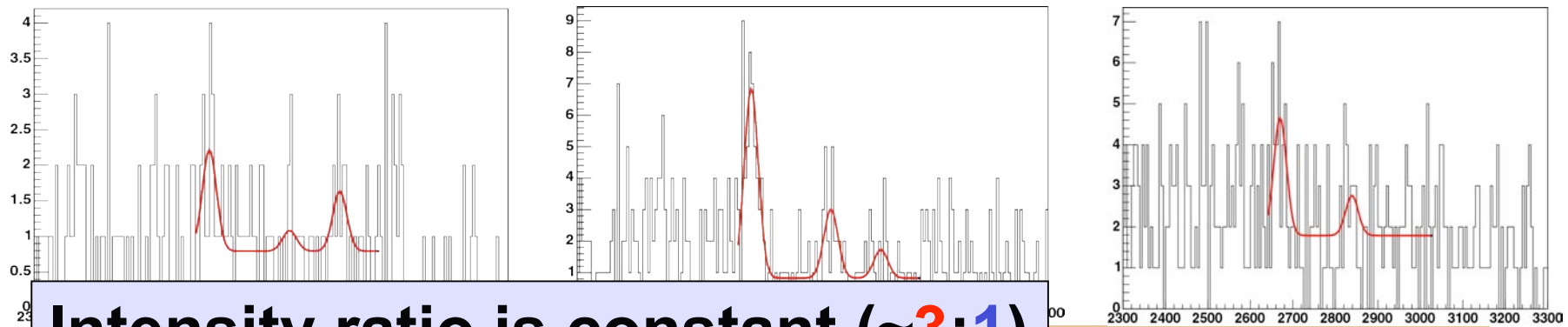
$-13 < -B_{\Lambda} < -5 \text{ MeV}$

After Doppler shift corrected

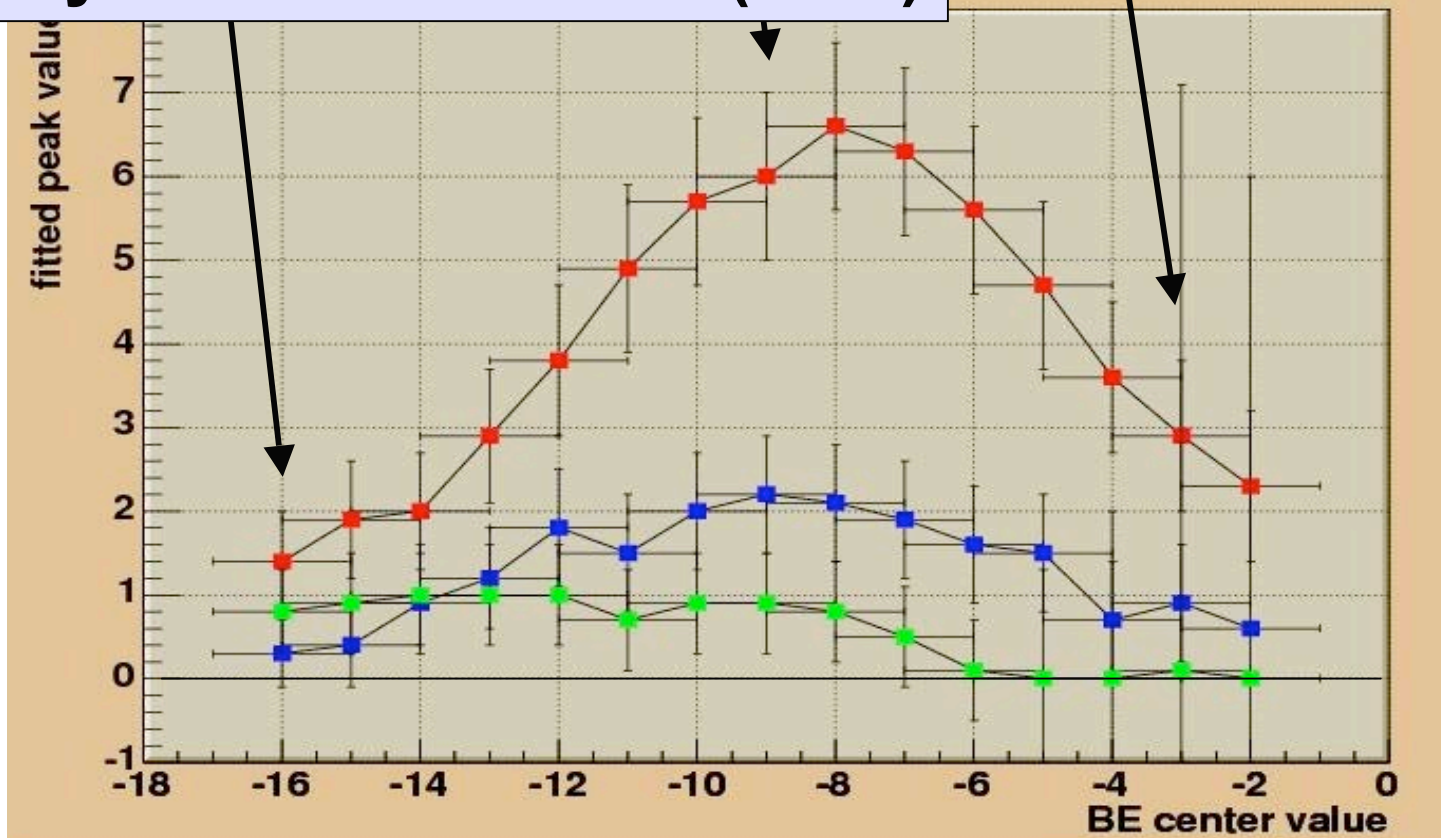


Br(1<sup>-</sup> -> 2<sup>-</sup>): Br(1<sup>-</sup> -> 1<sup>-</sup>)  
 = 5 : 1 (weak coupling limit)  
 ~ 3 : 1 (Millener)

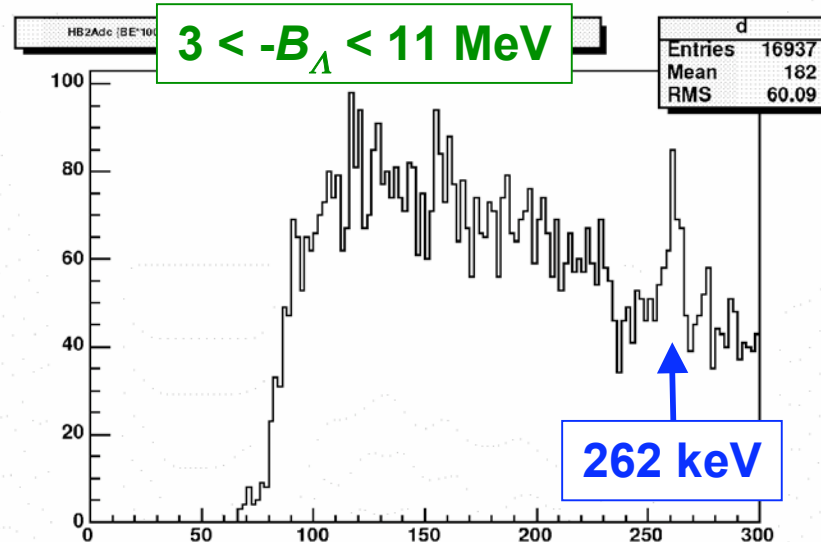
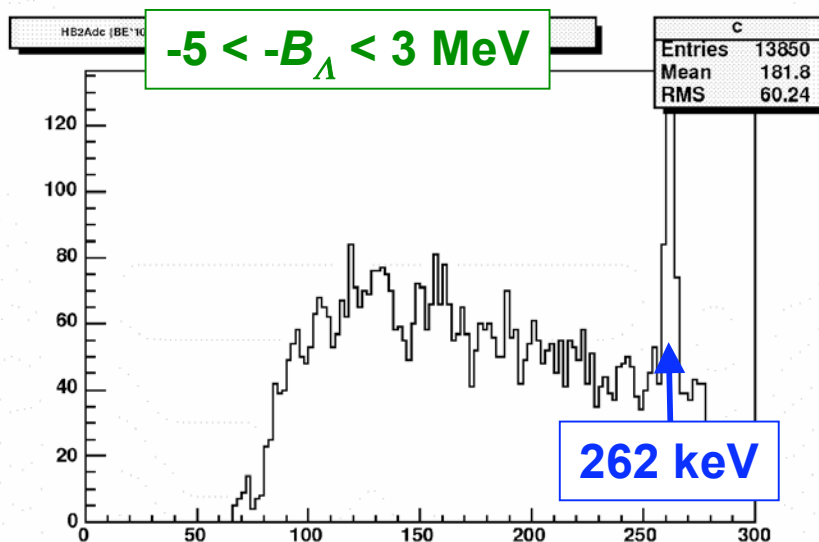
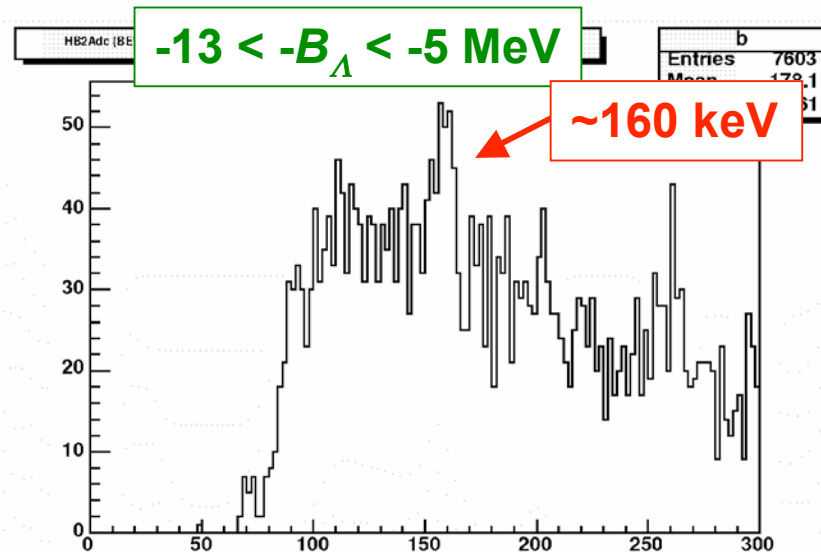
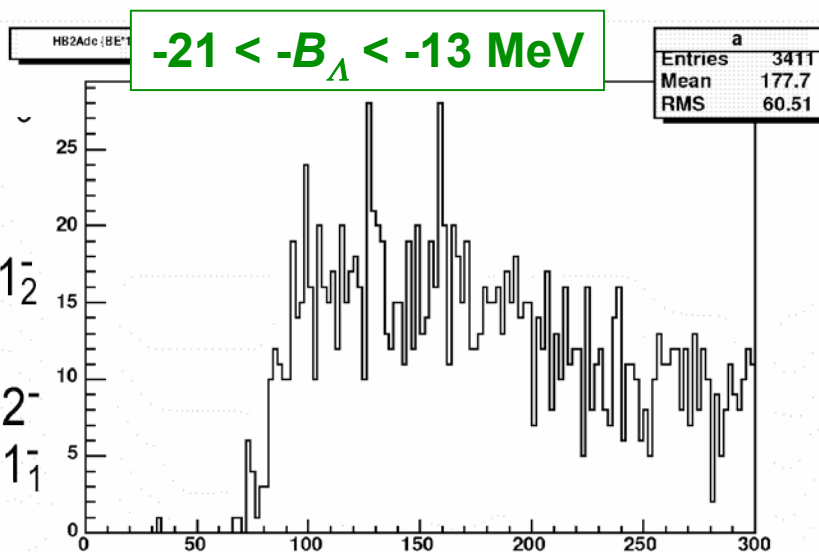
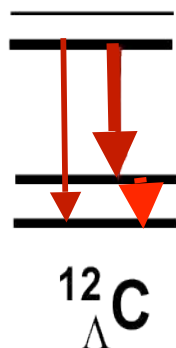
# Dependence on the mass gate position



**Intensity ratio is constant ( $\sim 3:1$ )**



# Another evidence

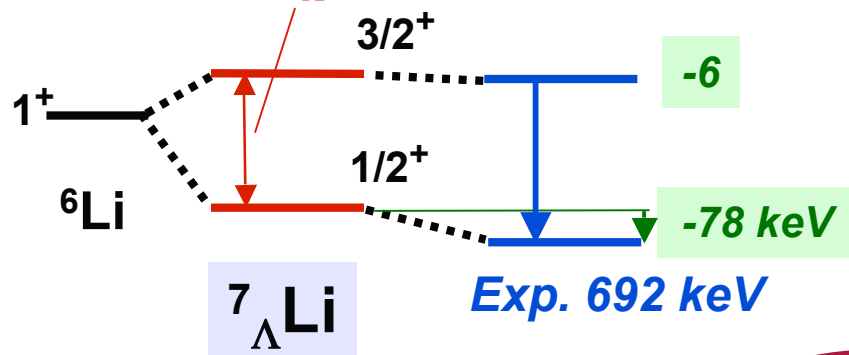


# Spin-spin strength ( $\Delta$ ) and $\Lambda$ - $\Sigma$ coupling (Millener)

$\Lambda\Sigma$  effect estimated from NSC97f

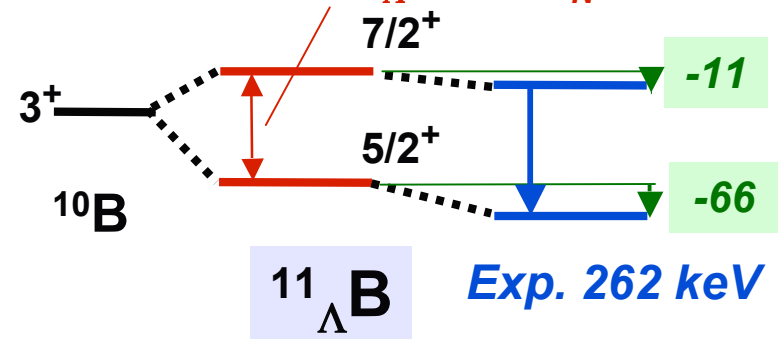
$S_\Lambda = -0.01$  MeV,  $T = 0.03$  MeV from exp.

$$1.46\Delta + .038S_\Lambda + 0.01S_N - 0.29T$$



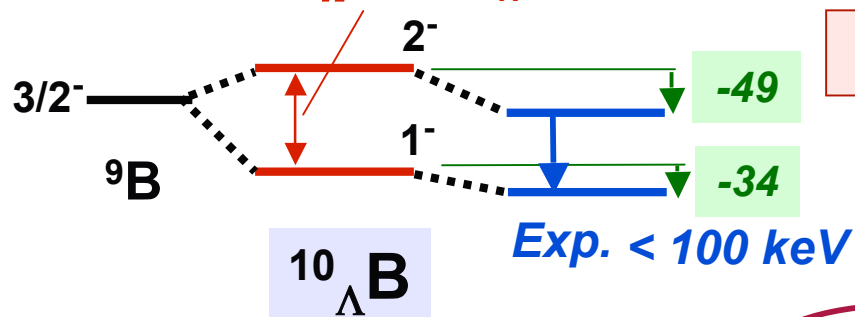
w/  $\Lambda\Sigma$ :  $\Delta = 0.43$  MeV

$$1.03\Delta + 2.47S_\Lambda + 0.03S_N - 3.36T$$



w/  $\Lambda\Sigma$ :  $\Delta = 0.30$  MeV

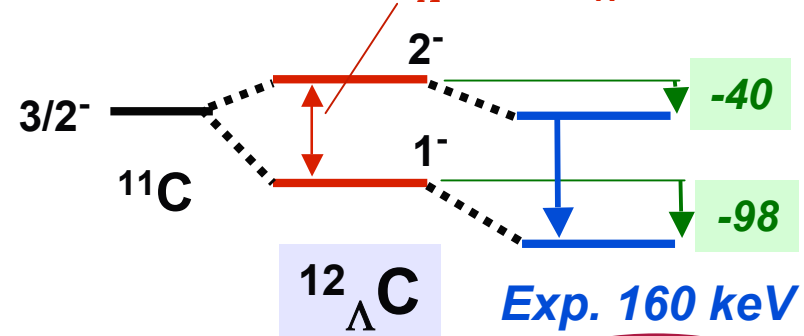
$$0.58\Delta + 1.41S_\Lambda - 0.01S_N - 1.07T$$



w/  $\Lambda\Sigma$ :  $\Delta < 0.3$  MeV

puzzle

$$0.54\Delta + 1.4S_\Lambda - 0.05S_N - 1.72T$$



w/  $\Lambda\Sigma$ :  $\Delta = 0.28$  MeV



# More consistency test on $\Delta$

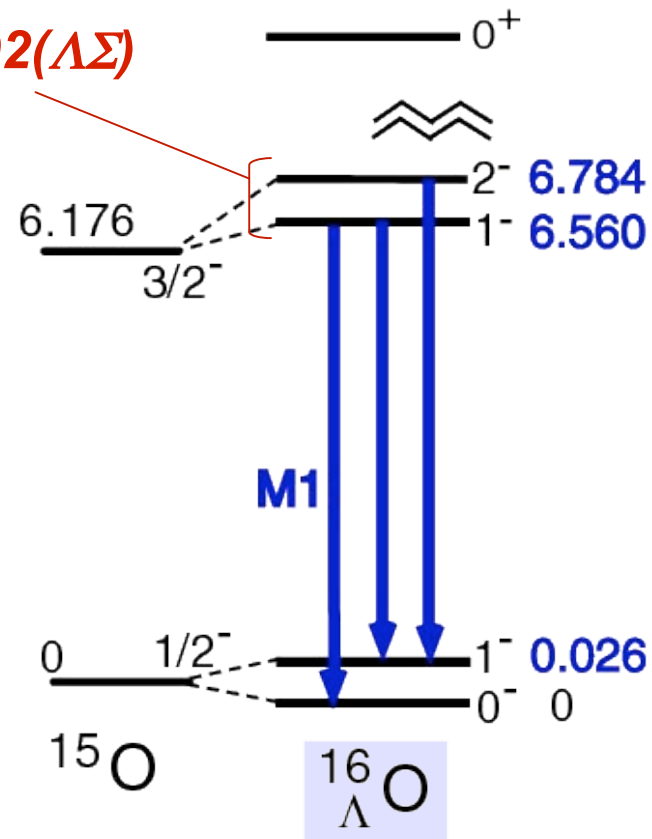
$$\underline{0.627\Delta} + 1.37S_{\Lambda} - 0.003S_N - 1.75T + 0.092(\Lambda\Sigma)$$

$$\Rightarrow w/\Lambda\Sigma: \Delta = 0.33 \text{ MeV}$$

$\Delta \sim 0.30 \text{ MeV}$  explains  
all the  $\Delta$ -dominating doublet spacings  
( $^{10}_{\Lambda}\text{B}$ ,  $^{11}_{\Lambda}\text{B}$ ,  $^{12}_{\Lambda}\text{C}$ ,  $^{16}_{\Lambda}\text{O}$ ) except for  $^7_{\Lambda}\text{Li}$

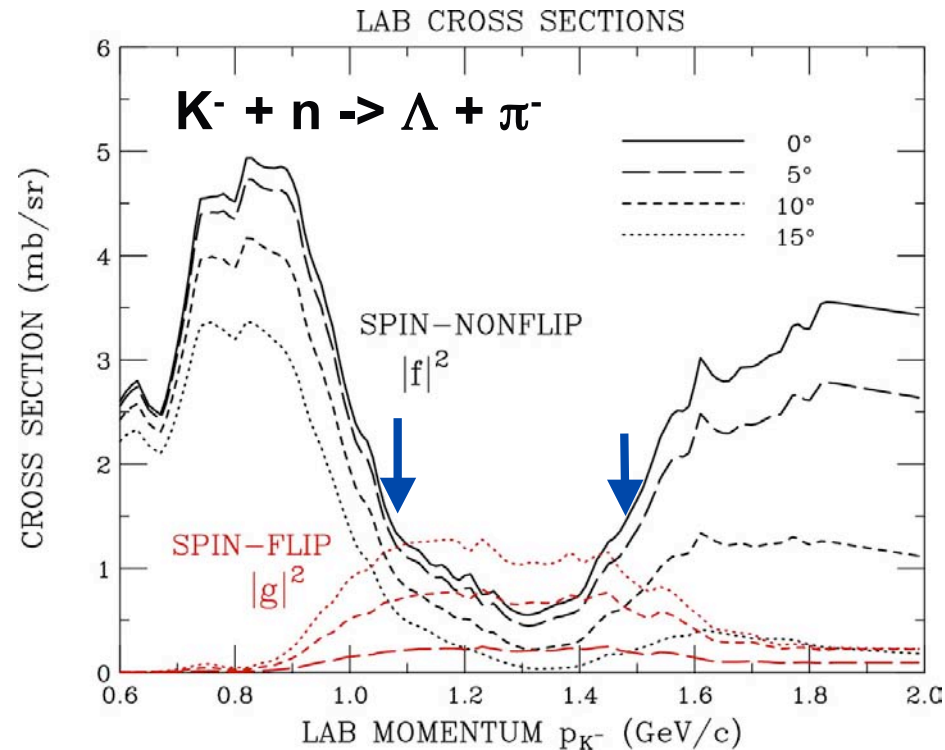
Why is  $\Delta$  for  $^7_{\Lambda}\text{Li}$  large ( $\sim 0.43 \text{ MeV}$ )?  
Size effect? But  $\Delta$  should be smaller  
for loosely-bound nucleus such as  $^7_{\Lambda}\text{Li}$ .

$^{16}\text{O}$  ( $K^-, \pi^-\gamma$ ) BNL E930('01)



# **5. Further experiments at J-PARC**

# Best $K^-$ beam momentum



**Both spin-flip and nonflip states should be produced.**

**->  $p_K = 1.1$  or  $1.5$  GeV/c**

**$p_K = 1.1$  GeV/c : K1.1 + “SKS” (ideal)**

**$p_K = 1.5$  GeV/c : K1.8 + SKS (realistic)**

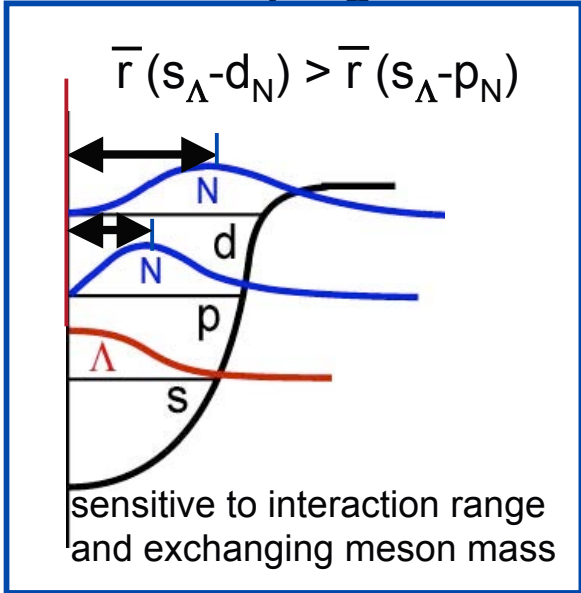
**High  $K/\pi$  ratio to minimize radiation damage to Ge detectors**

**-> Double-stage separation. K1.8BR is not good.**

# Proposed DAY-1 experiment

$(K^-, \pi^- \gamma)$  at  $p_K = 1.5 \text{ GeV}/c$

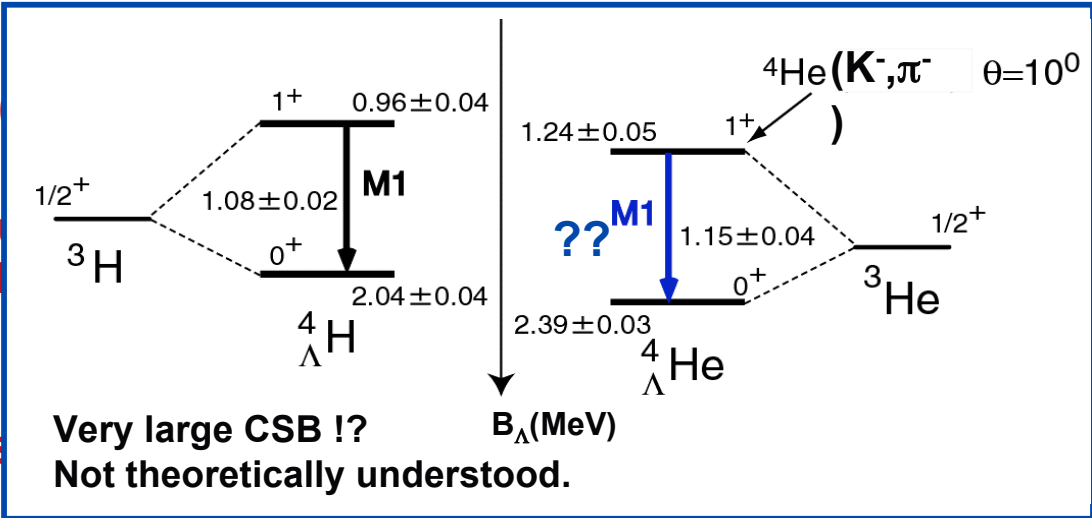
DAY1 program: Feasible even with low intensity beam ( $\sim 2 \mu\text{A}$ )



Measurement and  $g_\Lambda$  in a nucleus

Qualities exist and most reliable. (500 hrs)

tion  
0+20  
t eno  
s wel



(3) Radial dependence of

$^{19}_\Lambda \text{F}$  : Easiest in sd-s

(4) Charge symmetry breaking in  $\Lambda N$  interaction and spin-flip property in hypernuclear production

$^4_\Lambda \text{He}$  : Largest CSB is suggested but previous data is suspicious.

Easiest to observe a spin-flip state (100 hrs)

# Proposed B(M1) measurement

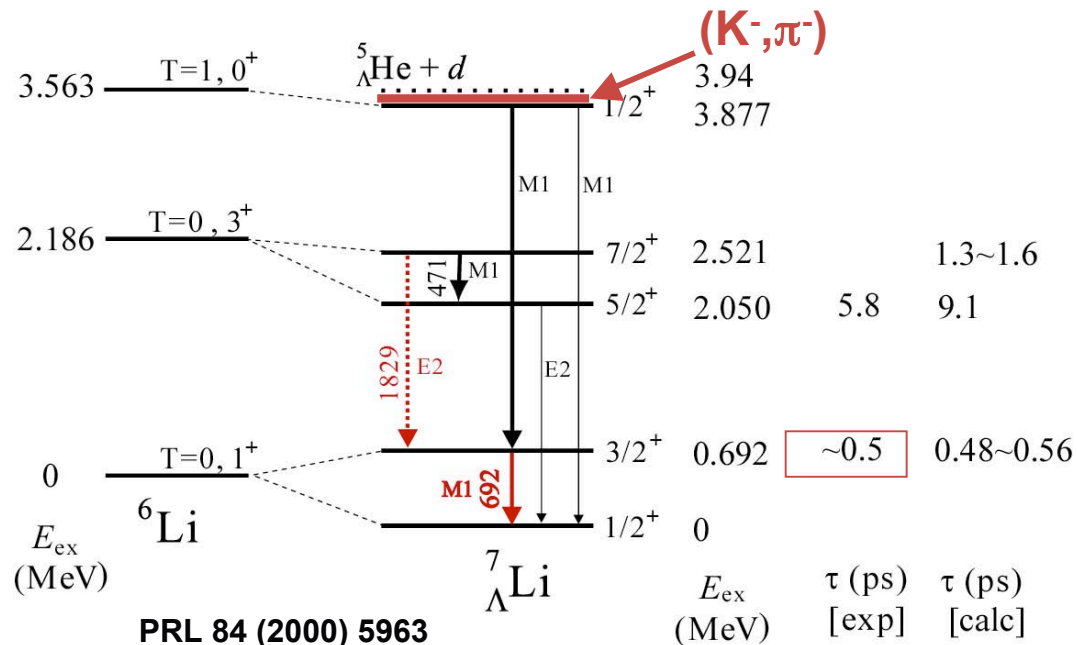
## Difficulties in B(M1) measurement

- Doppler Shift Attenuation Method works only when  $\tau \lesssim t_{\text{stop}}$
- $\tau$  is very sensitive to  $E_\gamma$  because  $B(M1) \propto 1/\tau \propto E_\gamma^3$ . But  $E_\gamma$  is unknown.
- Cross sections and background cannot be accurately estimated.

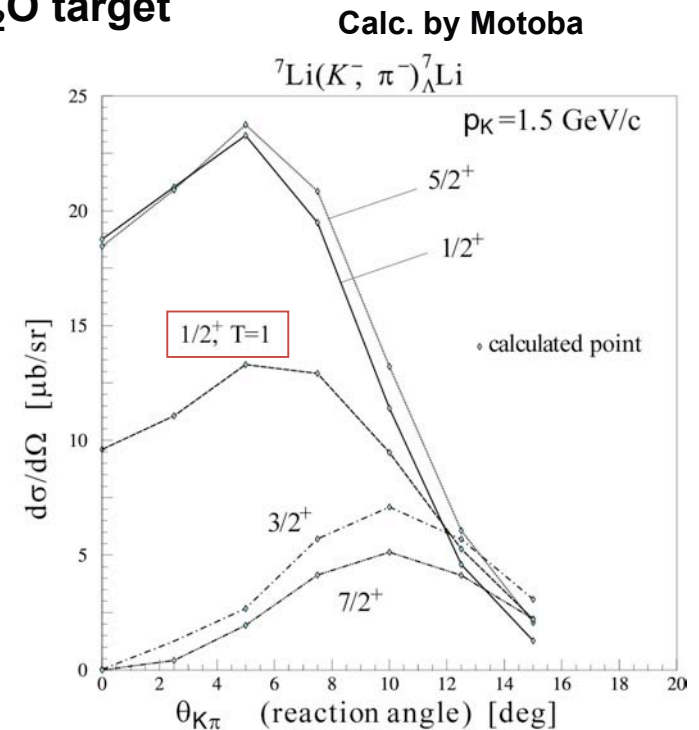
Previous attempts:  $^{10}_\Lambda\text{B}$ ,  $^{11}_\Lambda\text{B}$  ( $E_\gamma$  too small  $\rightarrow \tau \gg t_{\text{stop}}$ ),  $^7_\Lambda\text{Li}$  (byproduct: indirect population)

To avoid ambiguities, we use the best-known hypernucleus,  $^7_\Lambda\text{Li}$ .

- Energies of all the bound states and B(E2) were measured,
- $\gamma$ -ray background level was measured,
- cross sections are reliably calculated.
- $\tau = 0.5\text{ps}$ ,  $t_{\text{stop}} = 2\text{-}3\text{ ps}$  for 1.5 GeV/c ( $K^-, \pi^-$ ) and  $\text{Li}_2\text{O}$  target



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# Expected yield and sensitivity

## Yield estimate

$$N_K = 0.5 \times 10^6 / \text{spill}$$

$$\text{Target } (^7\text{Li in Li}_2\text{O}) = 20\text{cm} \times 2.0\text{g/cm}^3 \times 14/30 \times 0.934 / 7 \times 6.02 \times 10^{23}$$

$$\int d\sigma/d\Omega(1/2;1) \Delta\Omega \times \text{BR}(1/2^+; 1 \rightarrow 3/2^+) = 0.84 \mu\text{b} \times 0.5$$

$$\varepsilon(\text{Ge}) \times \varepsilon(\text{tracking}) = 0.7 \times 0.6$$

=>

$$\text{Yield } (3/2^+ \rightarrow 1/2^+) = 7.3 / \text{hr}(1000 \text{ spill})$$

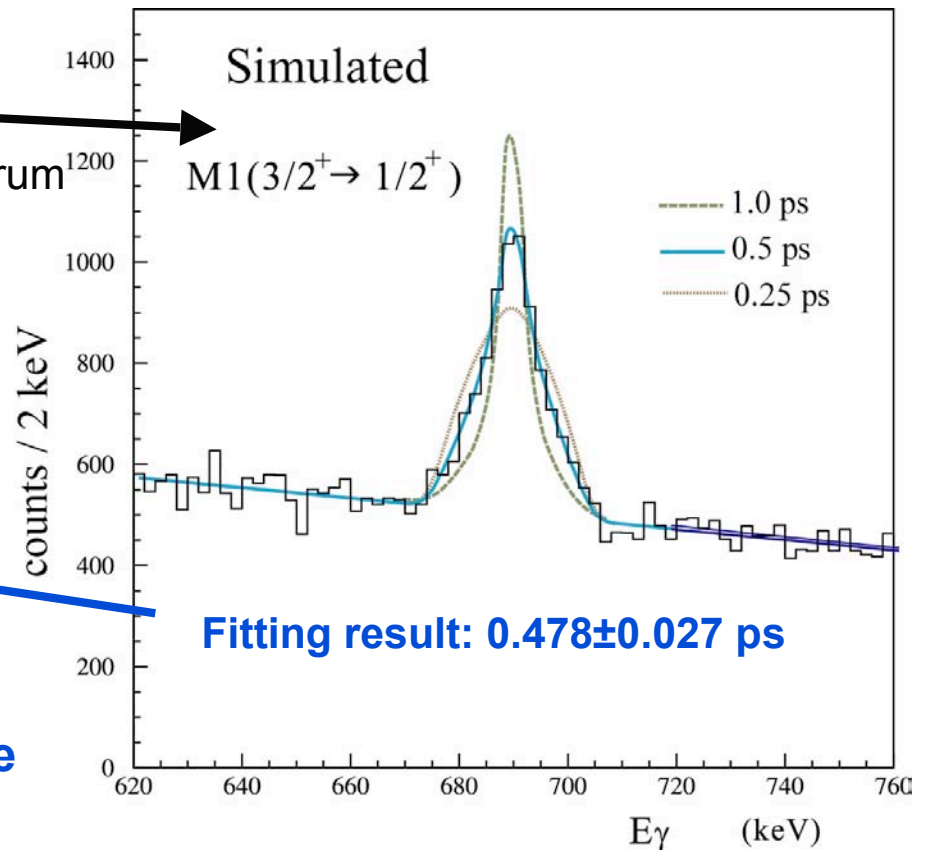
$$= 3600 / 500 \text{ hrs}$$

Background estimated from E419  $^7\Lambda\text{Li}$  spectrum

■ Stat. error  $\Delta\tau/\tau = 5.4\%$

$$\Rightarrow \frac{\Delta|g_\Lambda - g_c|}{|g_\Lambda - g_c|} \sim 3\%$$

■ Syst. error < 5%  
mainly from stopping time



# Beam and Setup

SMF: Muon filter to suppress  $K^- \rightarrow \mu^- \nu$

- Spectrometer: SKS (modified)
  - $\Delta p \sim 4 \text{ MeV (FWHM)}$
  - $\Omega \sim 110 \text{ msr}$

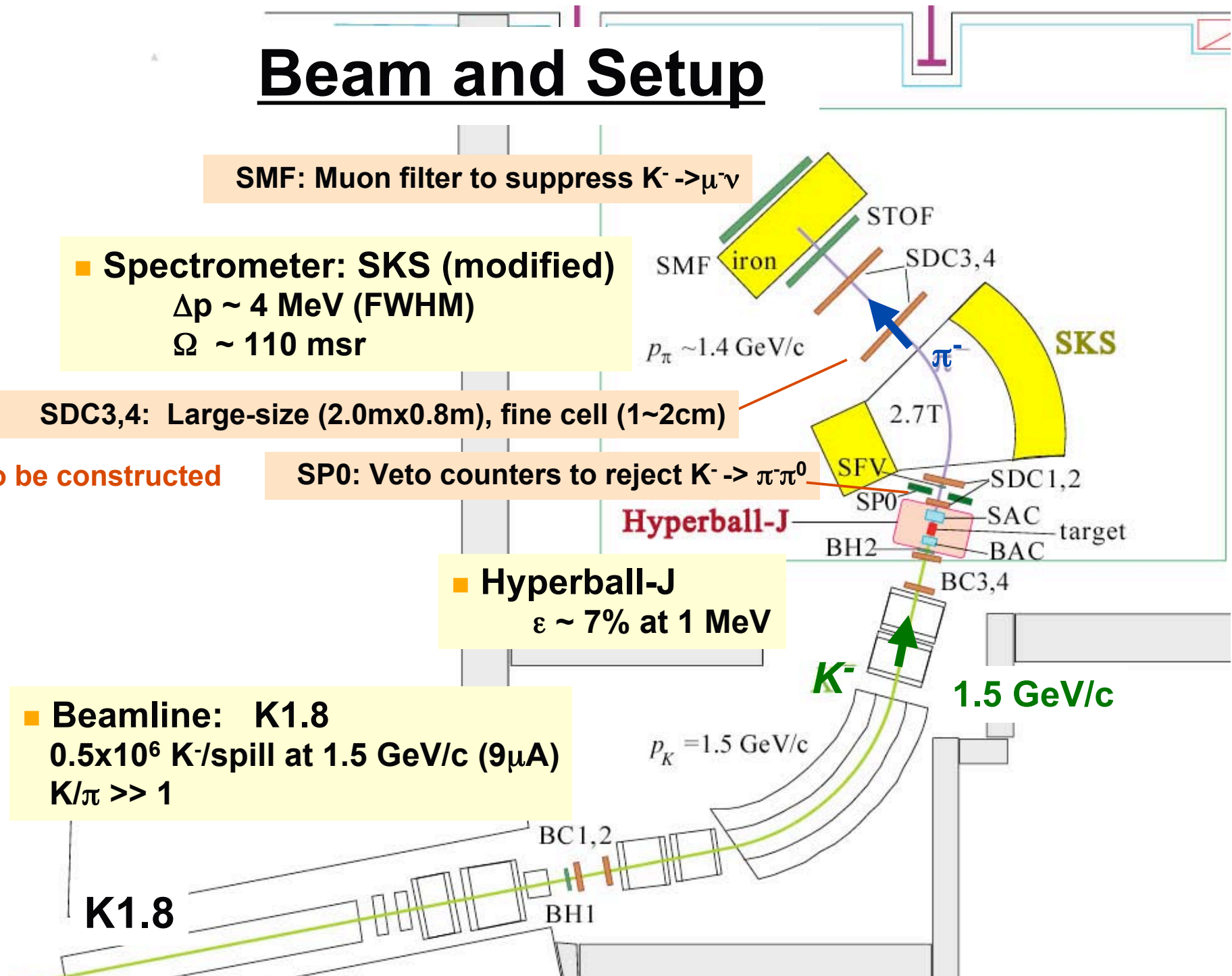
SDC3,4: Large-size (2.0m x 0.8m), fine cell (1~2cm)

To be constructed

SP0: Veto counters to reject  $K^- \rightarrow \pi^- \pi^0$

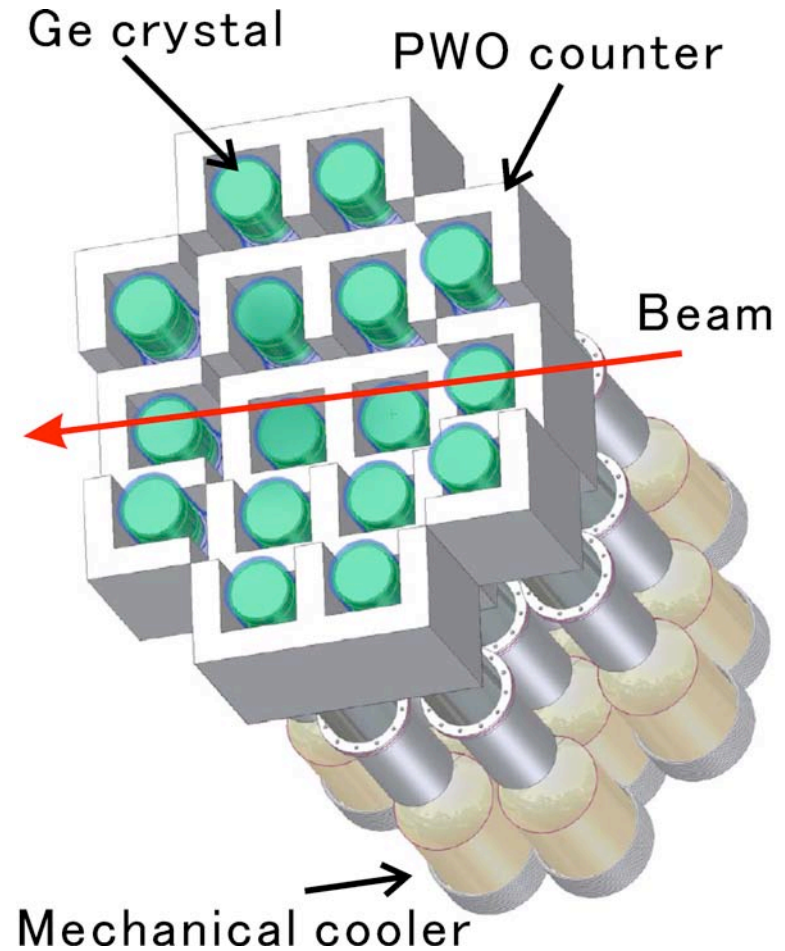
- Hyperball-J
  - $\epsilon \sim 7\% \text{ at } 1 \text{ MeV}$

- Beamline: K1.8
  - $0.5 \times 10^6 \text{ K}^-/\text{spill at } 1.5 \text{ GeV}/c \text{ (} 9 \mu\text{A)}$
  - $K/\pi \gg 1$



# Hyperball-J Under construction

- Ge (single, r.e.~60%) x ~32  
→ peak efficiency ~6% at 1 MeV  
( x ~3 of Hyperball)
- Mechanical cooling
  - Lower temp. for less radiation damage
  - Save space for flexible arrangement
- PWO background suppression counters replaced from BGO for higher rate
- Waveform readout (under development)  
=> Rate limit  $\sim 2 \times 10^7$  particles /s  
(x5 of Hyperball)



Lower half



# Further plans of $\gamma$ spectroscopy **K1.8-> K1.1**

Reaction / p (GeV/c) ; **Beamline** ; **Features**

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- (1) **Complete study of light ( $A < 30$ ) hypernuclei**  $\dots, {}^{20}_{\Lambda}\text{Ne}, {}^{23}_{\Lambda}\text{Na}, {}^{27}_{\Lambda}\text{Al} / {}^{28}_{\Lambda}\text{Si}$   
 ( $K^-, \pi^-$ ) p= 1.1 and 0.8 ; **K1.1** ;  $\gamma\gamma$  coin, angular corr. , B(E2),...  
 “Table of Hyper-Isotopes”  $\Lambda N$  interaction ( $\Lambda N - \Sigma N$ , p-wave, ..) **Partly in E13**  
 Shrinkage, collective motion, ...
- (2) **Systematic study of medium and heavy hypernuclei**  ${}^{89}_{\Lambda}\text{Y}, {}^{139}_{\Lambda}\text{La}, {}^{208}_{\Lambda}\text{Pb}$   
 ( $K^-, \pi^-$ ) p=0.8-1.8 ; **K1.1 and K1.8** ; p-wave  $\Lambda N$  interaction
- (3) **Hyperfragments**  ${}^8_{\Lambda}\text{Li}, {}^8_{\Lambda}\text{Be}, {}^9_{\Lambda}\text{B}, \dots$   
 K<sup>-</sup>-in-beam (stopped K<sup>-</sup>) p=0.8 ; **K1.1** ; p/n-rich hypernuclei,
- (4) **n-rich and mirror hypernuclei**  ${}^7_{\Lambda}\text{He}, {}^9_{\Lambda}\text{Li}, {}^{12}_{\Lambda}\text{B} \dots$   
 ( $K^-, \pi^0$ ) p= 1.1 and 0.8 ; **K1.1** ; charge sym.break., shrinkage of n-halo,
- (5) **B(M1) using Doppler shift**  ${}^7_{\Lambda}\text{Li}$  and heavier **Partly in E13**  
 ( $K^-, \pi^-$ ) p= 1.1 and ( $\pi^+, K^+$ ) p= 1.05 ; **K1.1** ;  $\mu_{\Lambda}$  in nucleus
- (6) **B(M1) using  $\gamma$ -weak coincidence**  
 ( $K^-, \pi^-$ ) p= 1.1 and 0.8 ; **K1.1** ;  $\rho, T$  dependence of  $\mu_{\Lambda}$  in nucleus

**S=-2**

Reaction / p (GeV/c) ; **Beamline** ; **Features**

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(7)  $\Xi$  atom X rays

in E03, E07

(K<sup>-</sup>, K<sup>+</sup>) p=1.8 GeV/c; **K1.8** ;  $\Xi$ N interaction

(8)  $\Lambda\Lambda$ -hypernuclei

(K<sup>-</sup>, K<sup>+</sup>) p=1.8 GeV/c; **K1.8** ;  $\Lambda\Lambda$ ,  $\Xi$ N- $\Lambda\Lambda$  interactions

# Summary

- $^{12}\text{C}(\pi^+, \text{K}^+\gamma)^{11}_{\Lambda}\text{B}, ^{12}_{\Lambda}\text{C}$  experiment was performed at K6/SKS and Hyperball2. Hyperball2 (upgraded Hyperball) worked well.
- We observed five transitions:
  - $^{12}_{\Lambda}\text{C}(1^-\rightarrow 2^-)$  at 2.67 MeV (new)
  - $^{12}_{\Lambda}\text{C}(1^-\rightarrow 1^-)$  at 2.83 MeV (new,  $2.8\sigma$  significance)
  - $^{11}_{\Lambda}\text{B}(7/2^+\rightarrow 5/2^+)$  at 0.262 MeV (also observed in E518 w/o assignment)
  - $^{11}_{\Lambda}\text{B}(1/2^+\rightarrow 5/2^+)$  at 1.48 MeV (also observed in E518)
  - $^{11}_{\Lambda}\text{B}(3/2^+\rightarrow 1/2^+ ?)$  at 0.505 MeV (also observed in E518 w/o assignment)
- $^{11}_{\Lambda}\text{B}(7/2^+, 5/2^+)$ ,  $^{12}_{\Lambda}\text{C}(1^-, 1^-)$ ,  $^{16}_{\Lambda}\text{O}(1^-, 2^-)$  can be explained by  $\Delta \sim 0.3$  MeV, and  $^{10}_{\Lambda}\text{B}(3^+, 2^+)$  is also consistent. “ $^{10}_{\Lambda}\text{B}$  puzzle” is now “ $^7_{\Lambda}\text{Li}$  puzzle”. The calculated  $\Sigma\text{N}-\Lambda\text{N}$  coupling effect looks OK.
- $^{11}_{\Lambda}\text{B}(7/2^+\rightarrow 5/2^+)$  energy is too small for B(M1) measurement.
- J-PARC E13 ( $\gamma$  spectroscopy of light  $\Lambda$  hypernuclei) is approved as one of the Day-1 experiment at K1.8.
- It aims at B(M1) measurement ( $^7_{\Lambda}\text{Li}$ ), more p-shell data for  $\Lambda\text{N}$  interaction ( $^{10}_{\Lambda}\text{B}$ ,  $^{11}_{\Lambda}\text{B}$ ), charge symmetry breaking ( $^4_{\Lambda}\text{He}$ ), radial dependence of  $\Lambda\text{N}$  interaction ( $^{19}_{\Lambda}\text{F}$ )
- Hyperball-J and SksMinus detectors are under preparation.