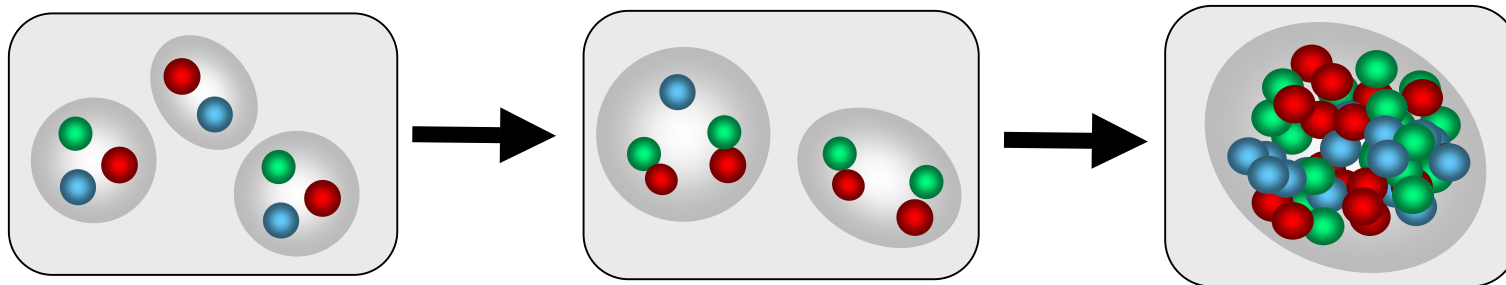


Structure and Production of Exotic Baryons

Atsushi Hosaka (RCNP, Osaka Univ)
Aug. 2 (2004), NP04@Tokai



Contents

From ordinary hadrons to **exotics** (multiquarks)
Role of chiral dynamics (and confinement)

- Baryon spectra

Good systematics, with some exceptions

Interesting physics

- $\Lambda(1405)$ with some emphasis on

- $\Theta(1540)$ **chiral symmetry** of QCD

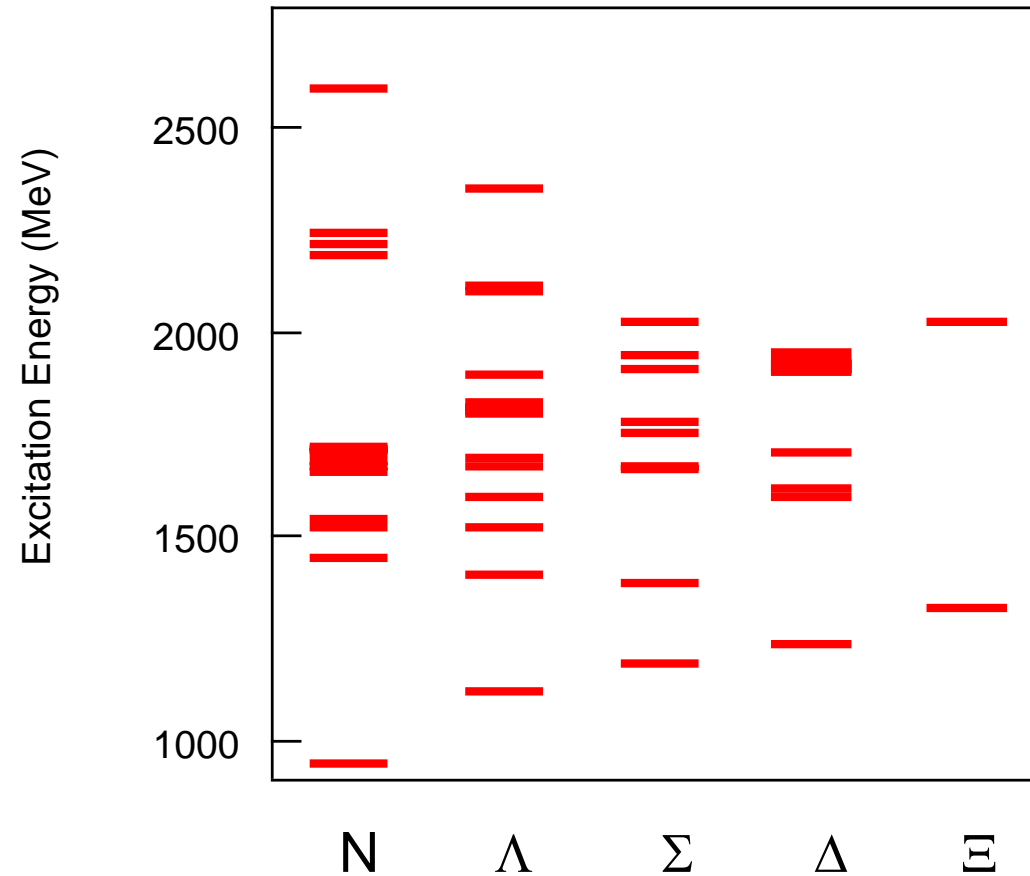
Baryon spectra

Takayama-Toki-Hosaka
Prog.Theor.Phys.101:1271-1283,1999

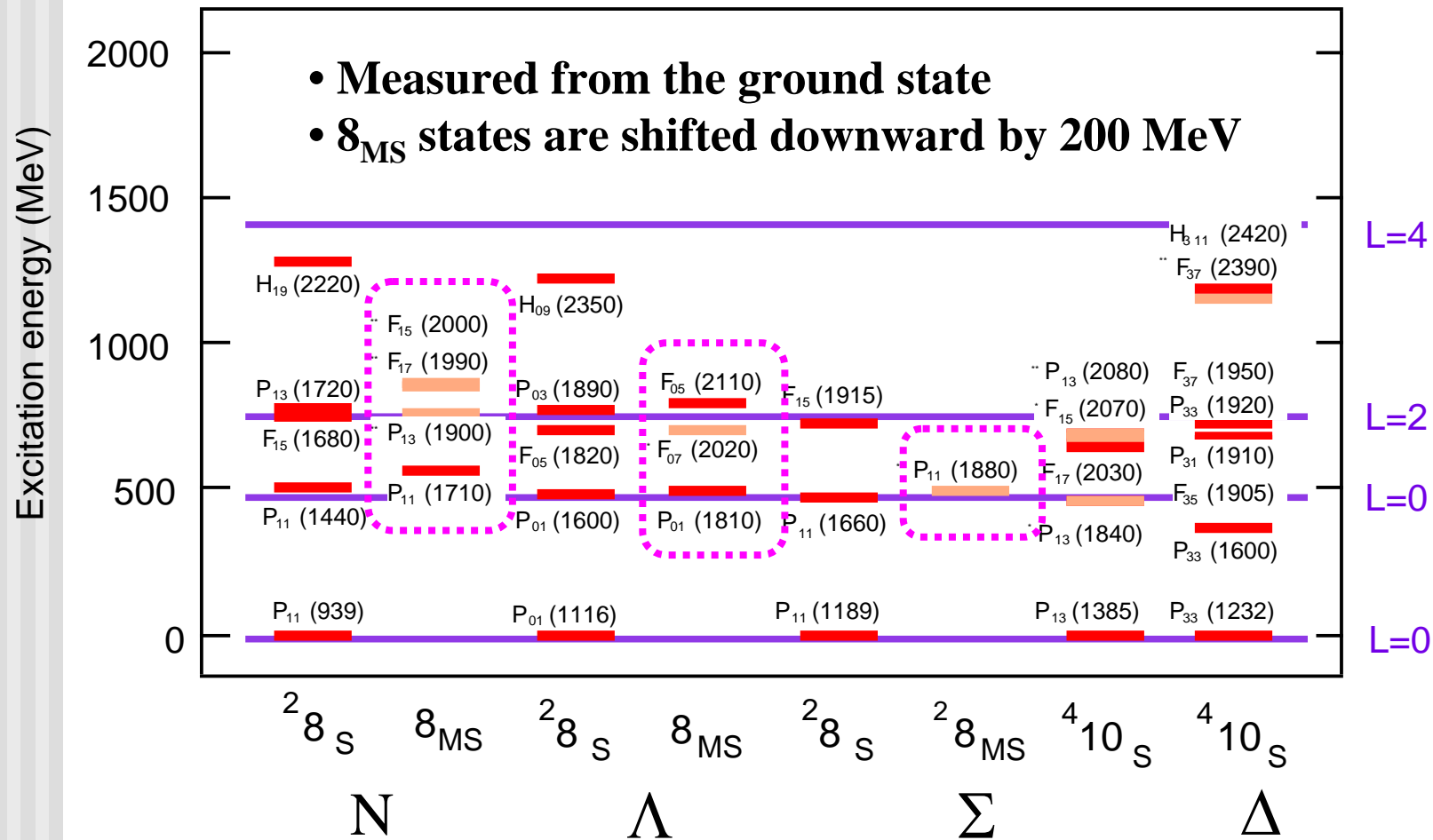
Well established states in uds baryons

49 ^{***}, ^{****} states out of 50
13 ^{*}, ^{**} states out of 31

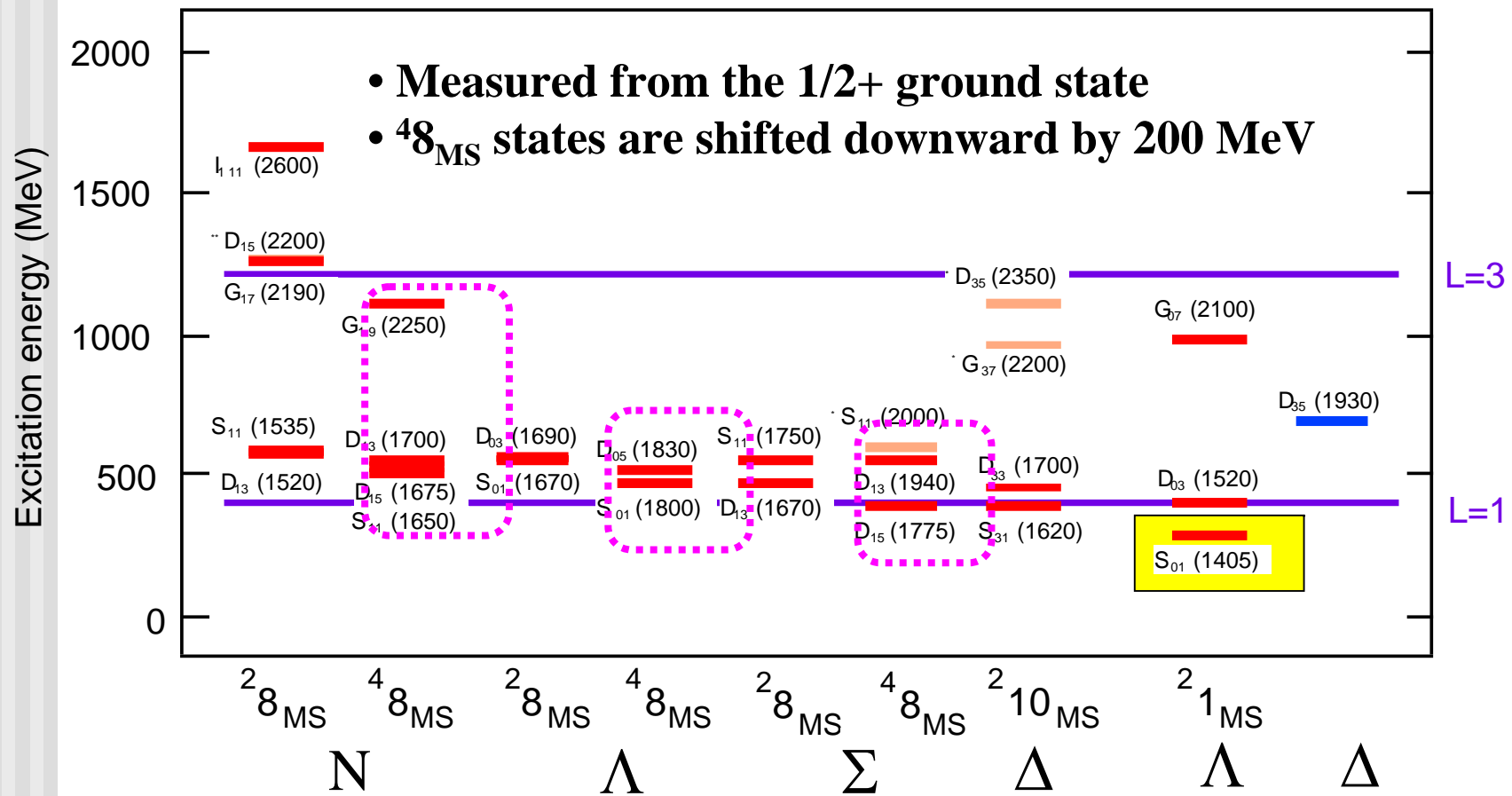
62 states
out of **81 states**



Positive parity



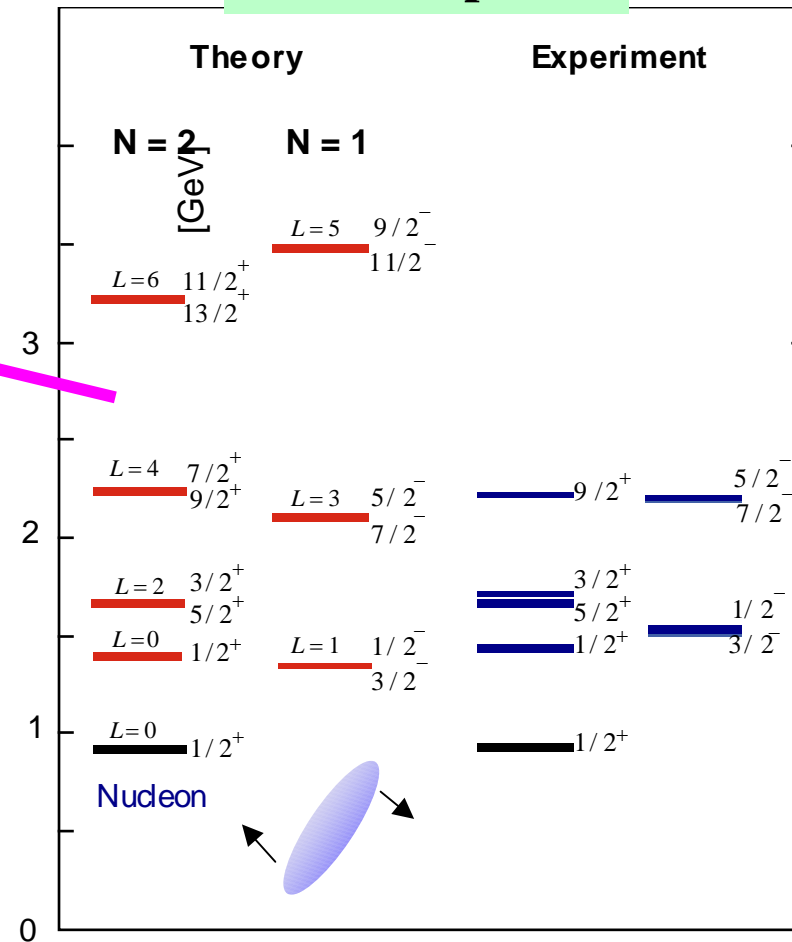
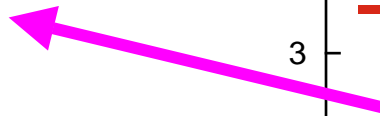
Negative parity



Observations

Nucleon spectra

- Rotational band
Roper is the band head ?
- $1/2^-$ Levels scatter
Strong meson-baryon correlation
due to chiral symmetry
=>
Renormalization due to meson cloud
is important $\sim \Lambda(1405)$



Quick summary

- There is nice **systematics** in baryon spectrum
Some are out of it

- **$\Lambda(1405)$ KN quasi-bound state?** **S=-1**

N(1535) Mirror chiral partner of N(939)

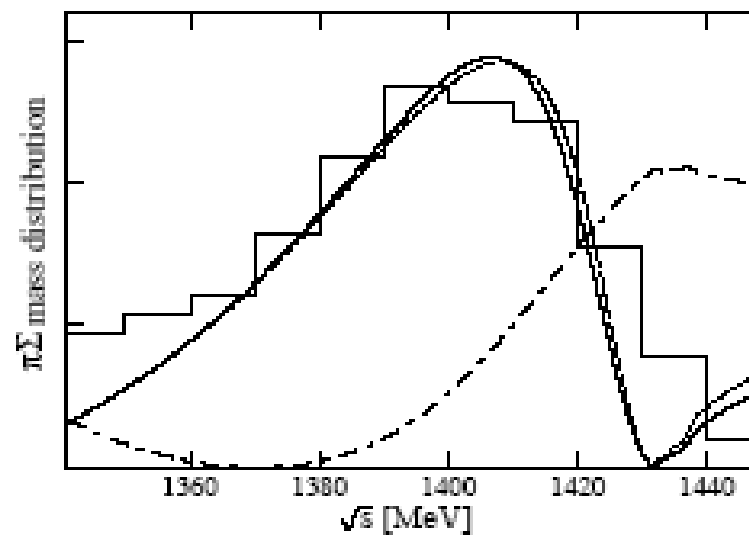
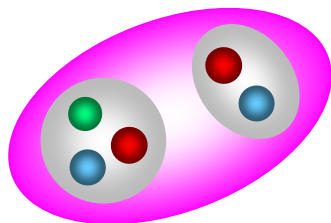
Jido-Oka-Hosaka, Prog.Theor.Phys.106:873-908,2001

- **$\Theta(1540)$ Pentaquark** **S=+1**

Does **chiral symmetry** play an important role?

Strangeness

$\Lambda(1405)$



Chiral lagrangian

- Chiral unitary model
(2001~)

J. A. Oller, *et al.* PLB500, 263

E. Oset, *et al.* PLB527, 99

D. Jido, *et al.* PRC66, 025203

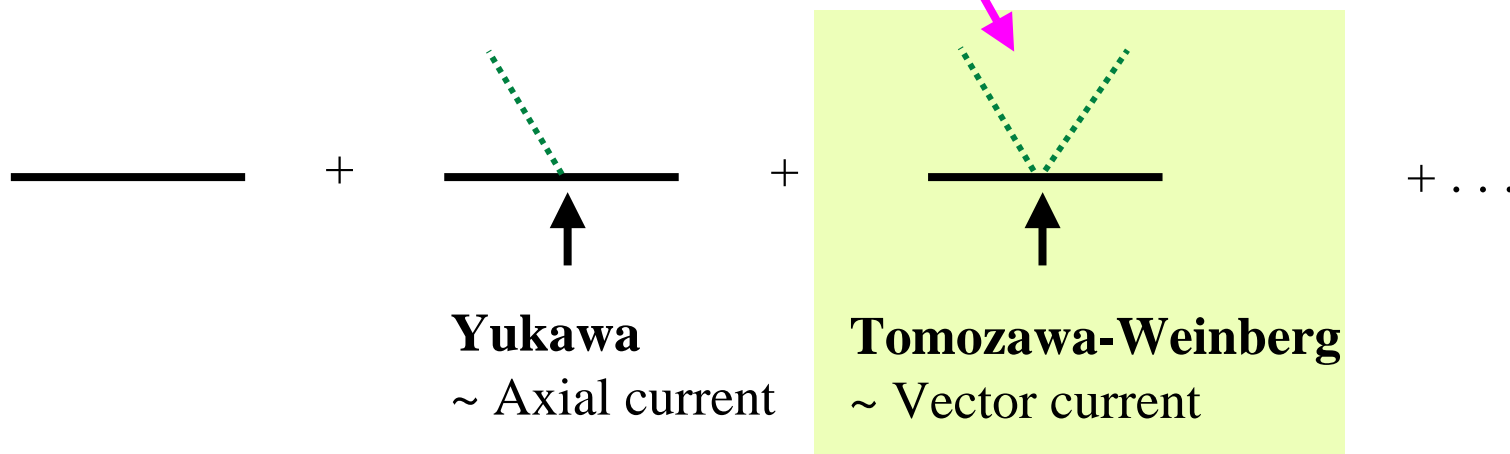
T. Hyodo, *et al.* PRC68, 018201

C. Garcia-Recio, *et al.*, PRD67, 076009

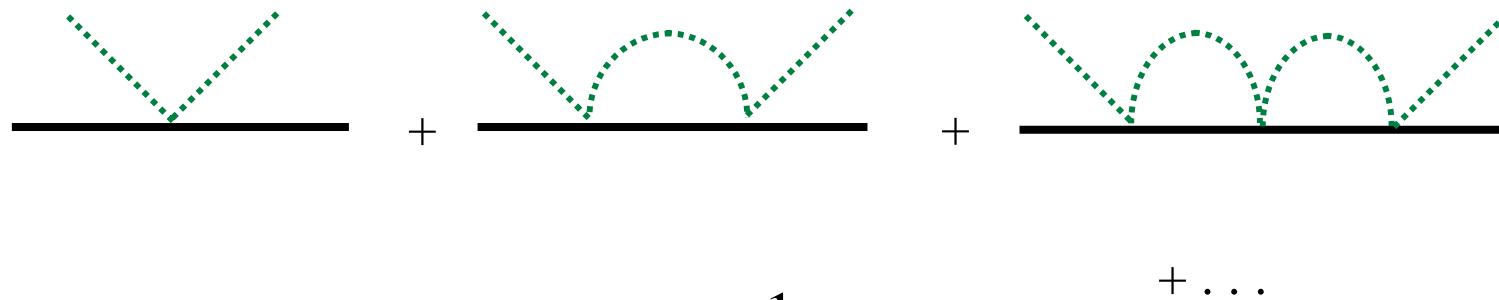
D. Jido, *et al.*, NPA725, 181

T. Hyodo, *et al.* PRC68, 065203

$$\mathcal{L}_{WT} = \frac{1}{4f^2} \text{Tr}(\bar{B}i\gamma^\mu[(\Phi\partial_\mu\Phi - \partial_\mu\Phi\Phi), B])$$



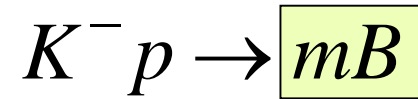
Meson-baryon scattering



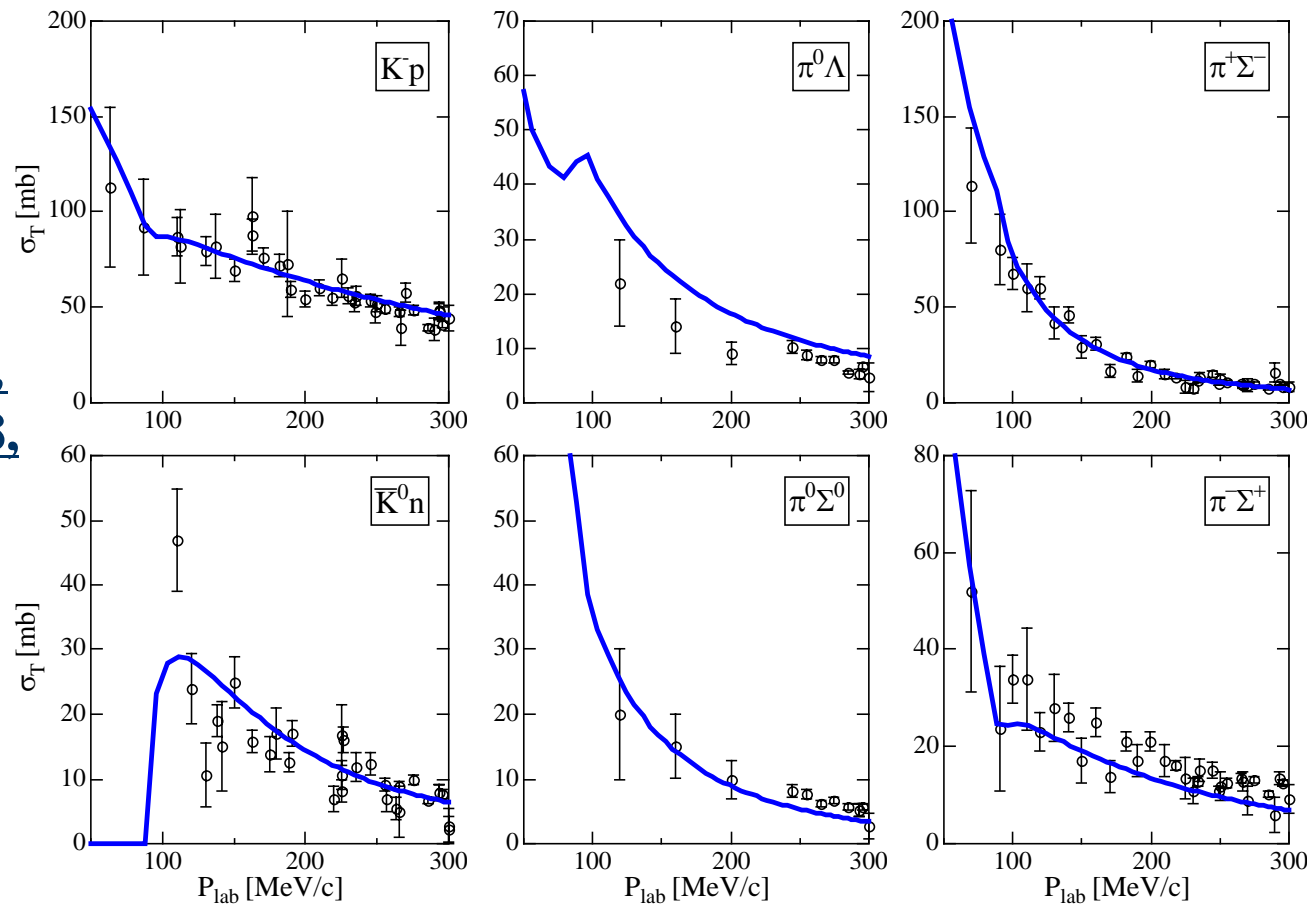
$$T = V + V \frac{1}{E - H_0} T$$

- The **chiral unitary method** sums up all diagrams of s-channel
- For **attractive interaction**, there would be **resonances**

K-P scattering



T. Hyodo, et al.,
Phys. Rev. C 68,
018201 (2003)

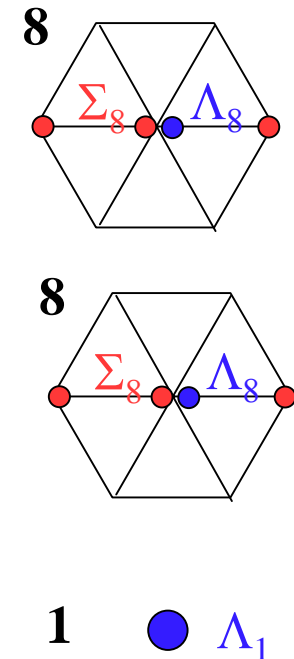
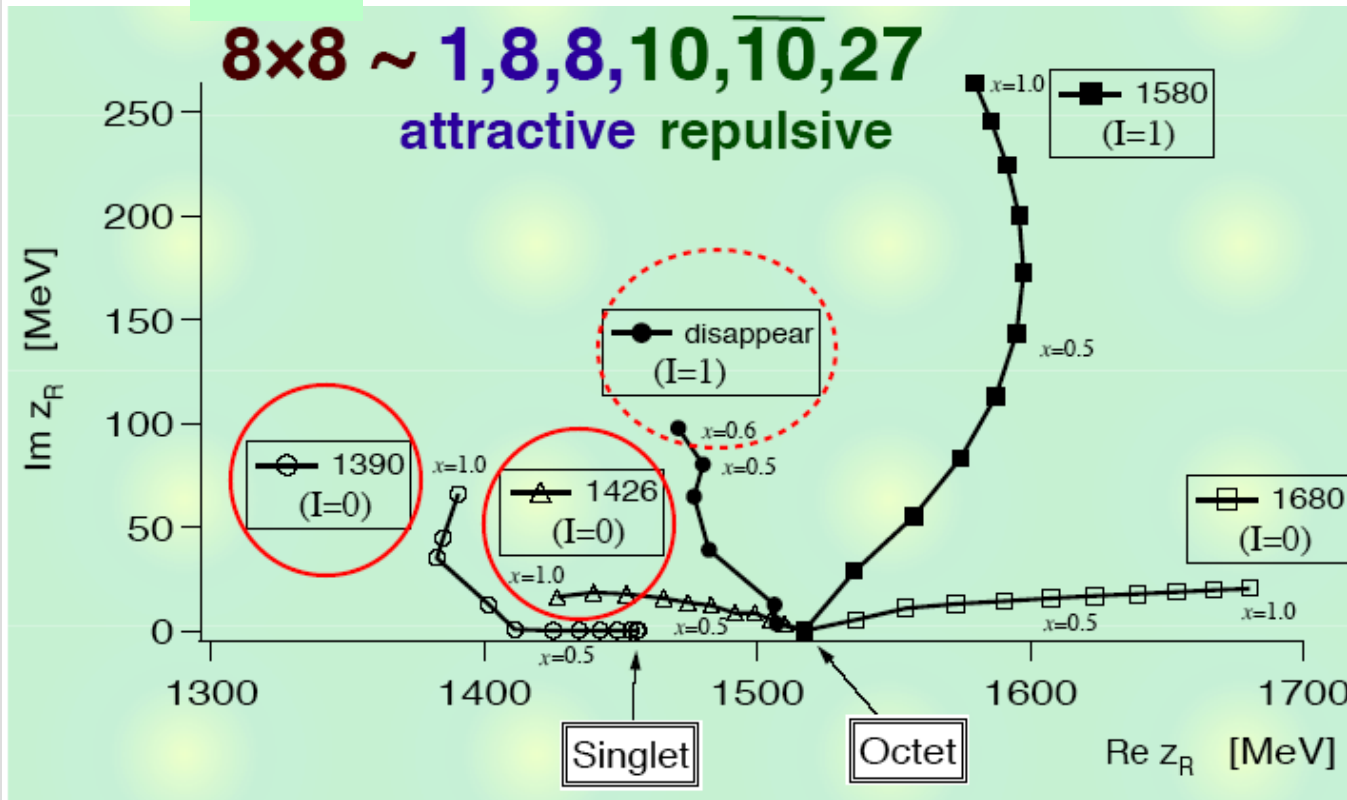


Two poles around $\Lambda(1405)$

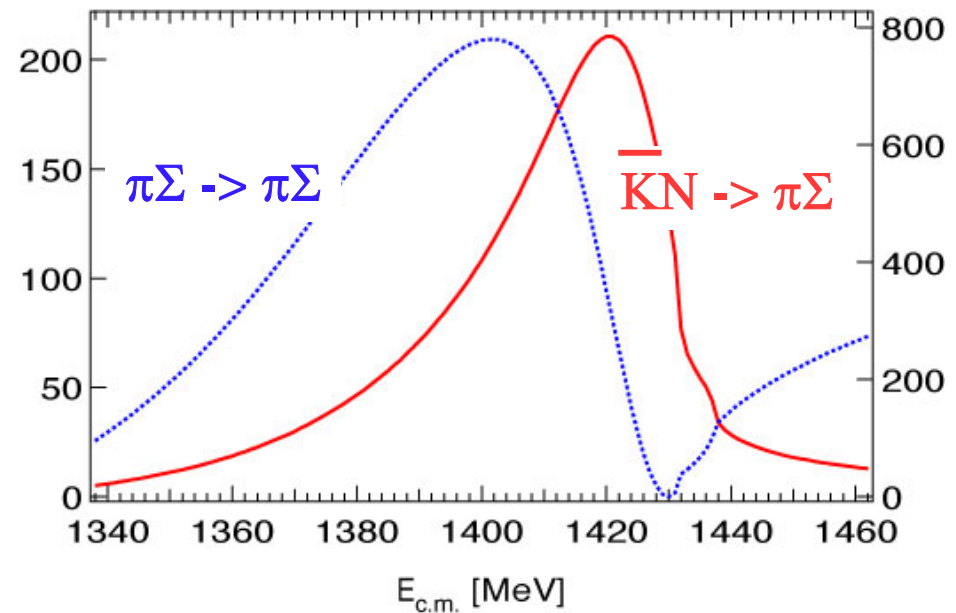
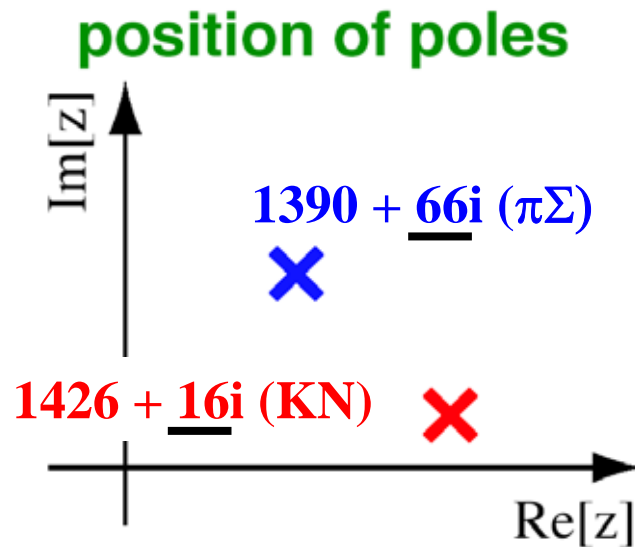
$\bar{K}\cdot N$

Jido et al, Nucl. Phys. A725:181-200, 2003

$8 \times 8 \sim 1, 8, 8, 10, \bar{10}, 27$
attractive repulsive

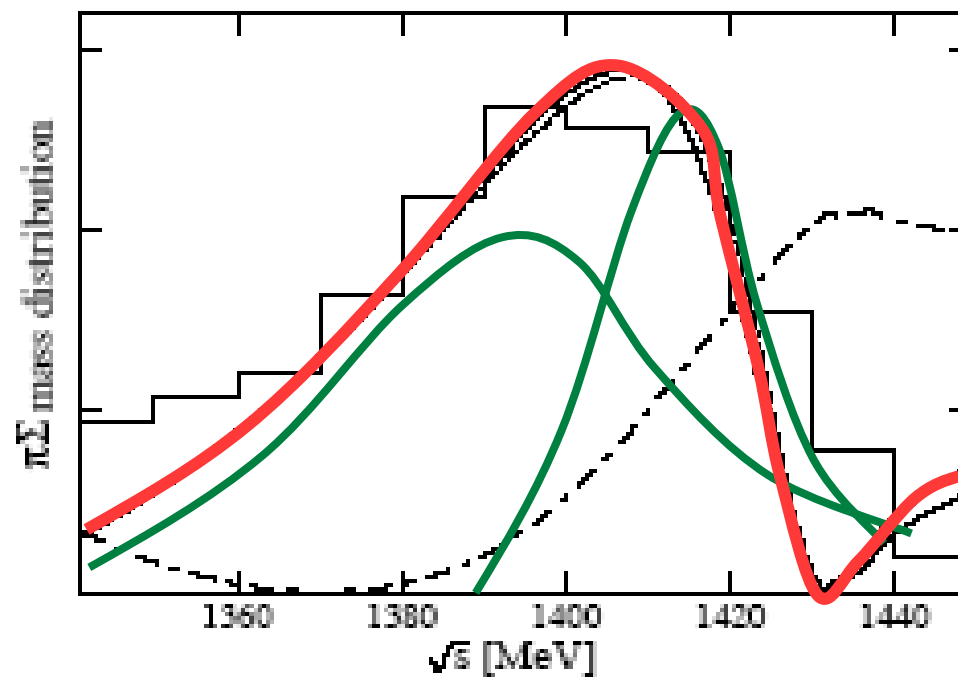


Location and shape



Observe different shapes of the two poles
Kaon-induced reactions

Mass distribution



Summary for $\Lambda(1405)$

- Chiral models predict **two poles** for KN quasi-bound states
- The **higher one** couples to **KN**
The **lower one** to **$\pi\Sigma$**
- Interesting to test chiral dynamics

Pentaquark Θ^+

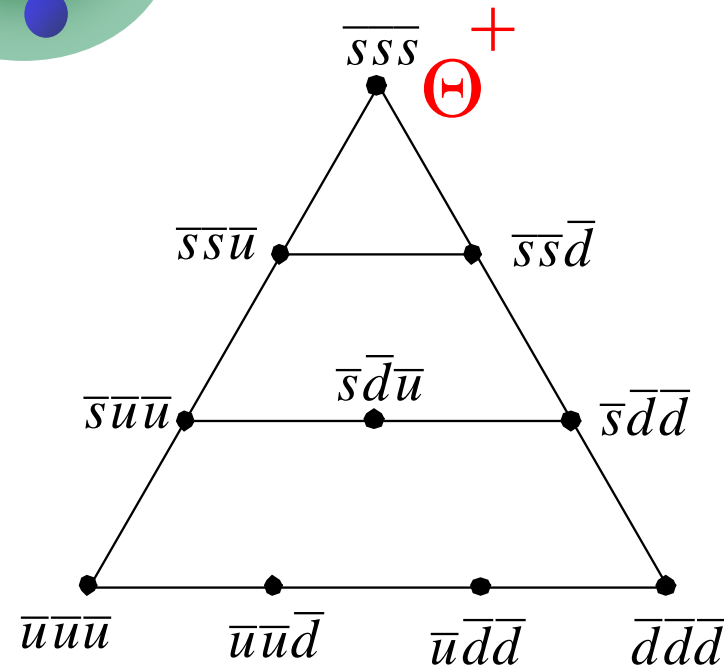
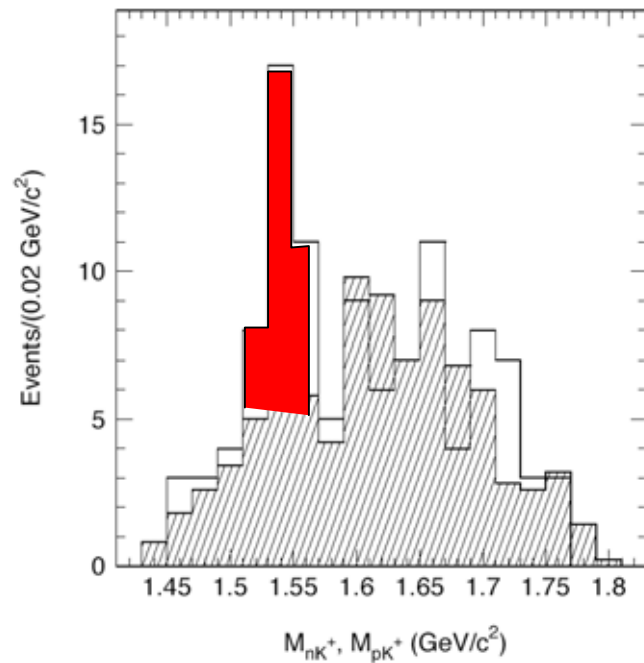
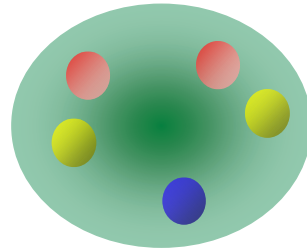
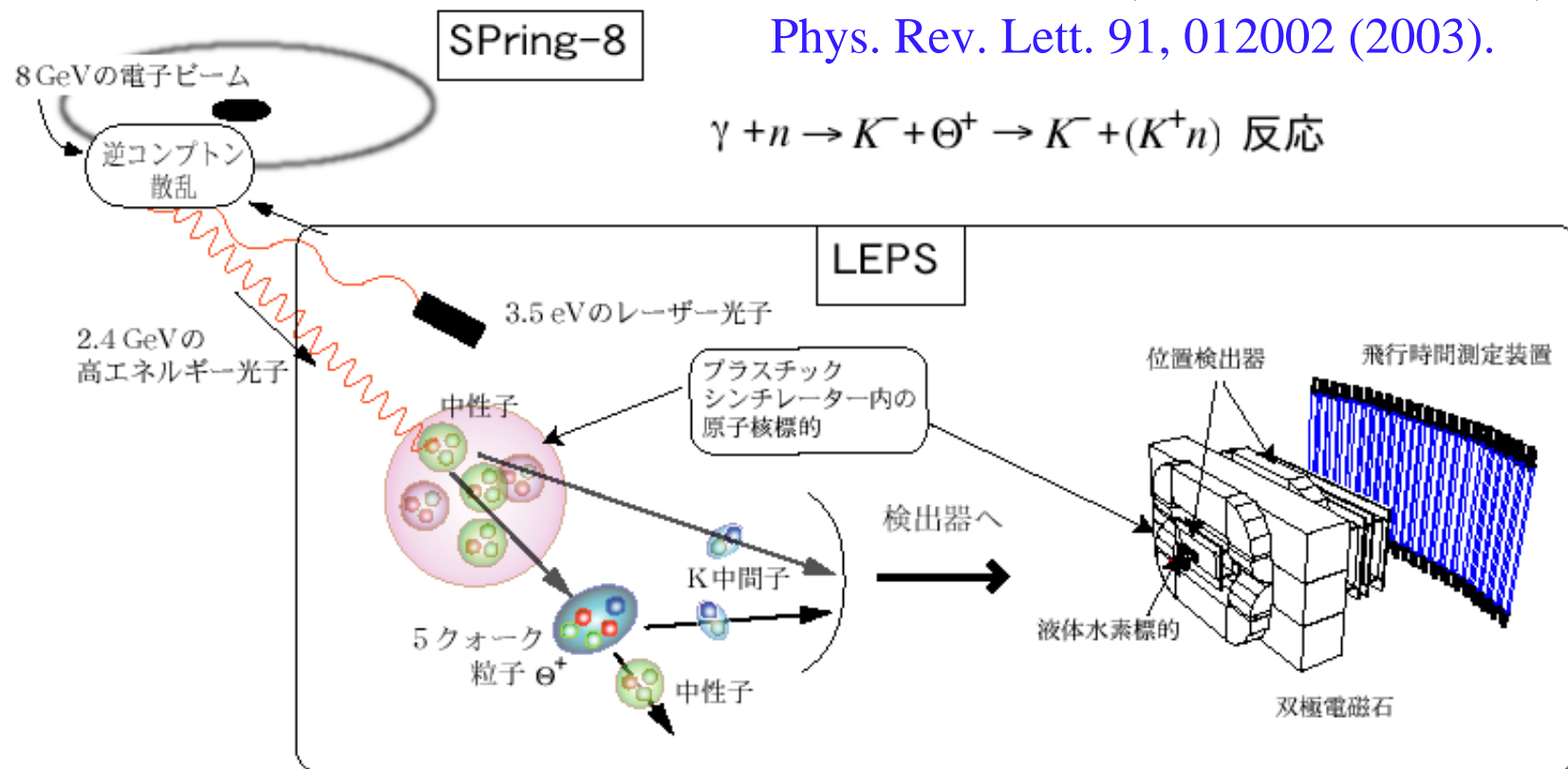


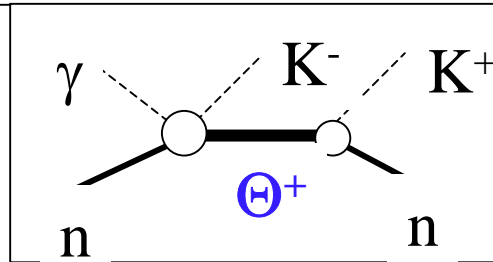
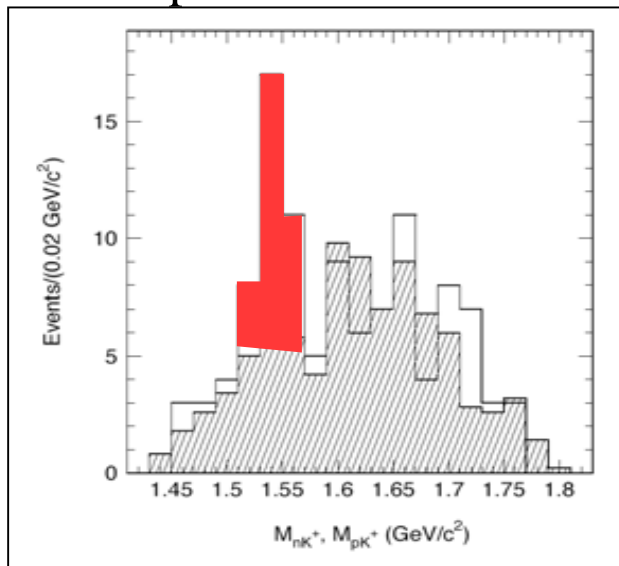
Photo-production at LEPS

T. Nakano et. al. (LEPS collaboration),
 Phys. Rev. Lett. 91, 012002 (2003).

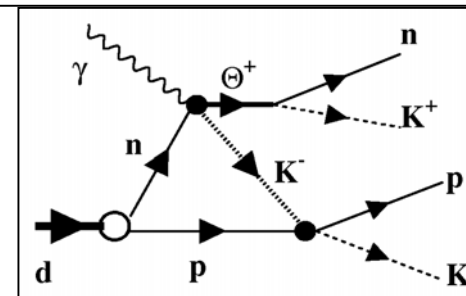
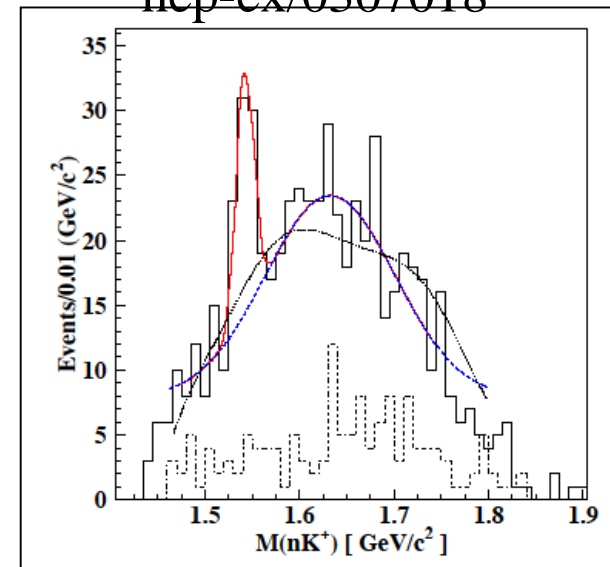


Some data

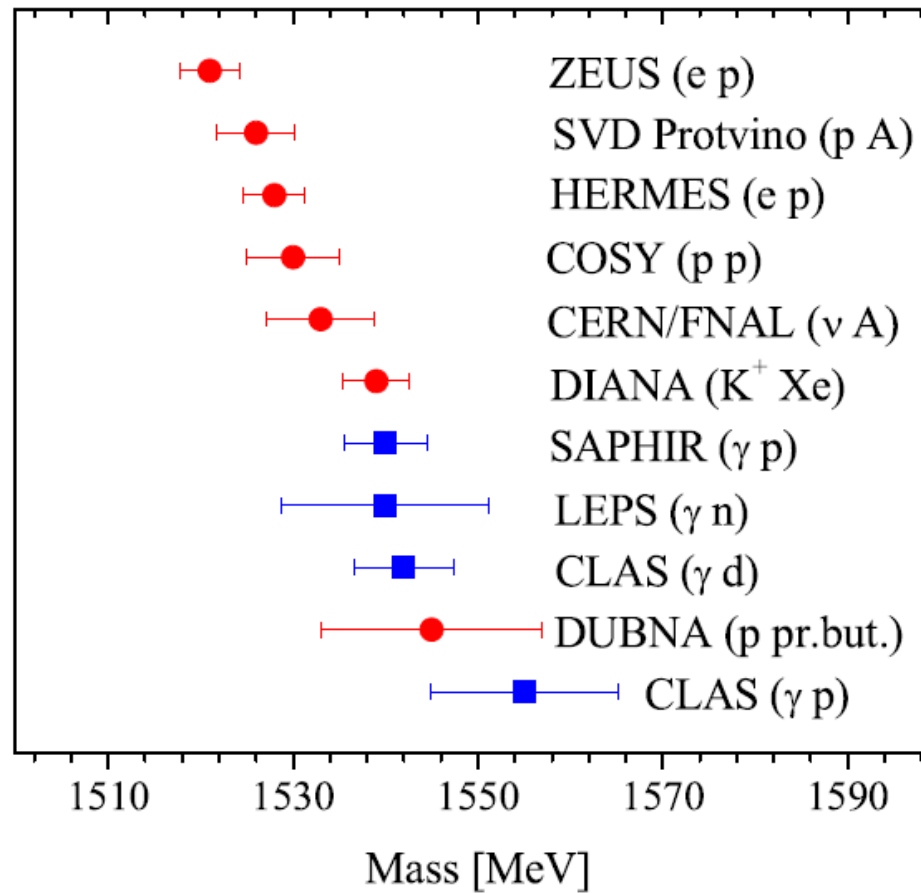
LEPS at Spring-8
hep-ex/0301020



CLAS at J-Lab
hep-ex/0307018



Experiments



Final state:

$K^+ + n$

$K^0 + p$

$\bar{K}^0 + p ?$

Negative results

- E690 (pp, $s = 39 \text{ GeV}$)
- CDF(pp \bar{p} , $s = 1.96 \text{ TeV}$)
- BaBar (e^+e^- , $s = 10.58 \text{ GeV}$)
- Belle ($e^+(3.5\text{GeV})e^-(8\text{GeV})$
 $\Rightarrow K^+(\sim 1\text{GeV})N$)

Data

800 GeV

$$pp \rightarrow (pK_s)K^- \pi^+ p$$

QuickTimeý Ç²
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Consider reaction mechanism

Titov-Hosaka-Date-Ohashi

High energy processes may be
Suppressed by quark counting

Theory

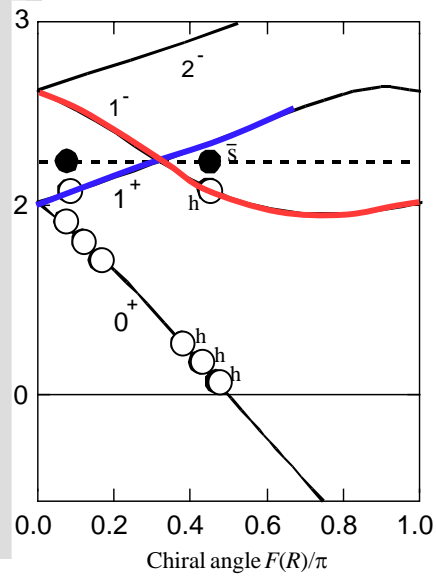
	Mass	Spin	Parity	Width
Quark model	~1.7 GeV	1/2, 3/2	-	Too large
	~1.9 GeV		+	OK
Chiral soliton	~1.5 GeV	1/2	+	OK
Lattice	~1.5 GeV	1/2 (assumed)	- (+?)	?
Sum rule	~1.5 GeV	1/2 (assumed)	- (+?)	?

Chiral dynamics?



Parity

Chiral bag



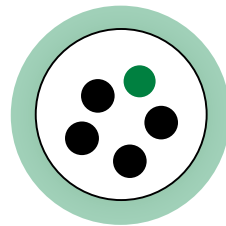
bag

Chiral angle $F(R)/\pi$

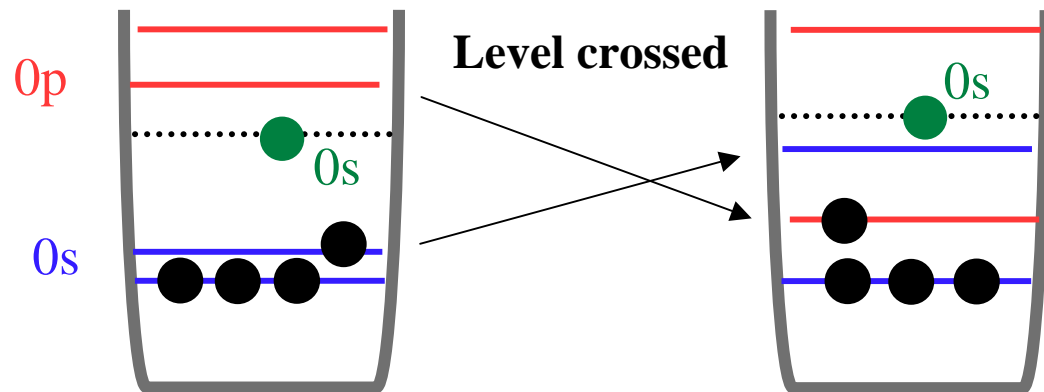
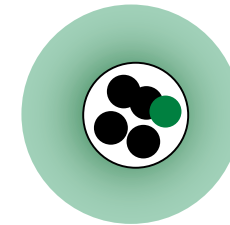


Skyrmion

Weak pion



Strong pion



$(0s)^4 0s$

Negative parity

$(0s)^3 0p 0s$

Positive parity

Decay width

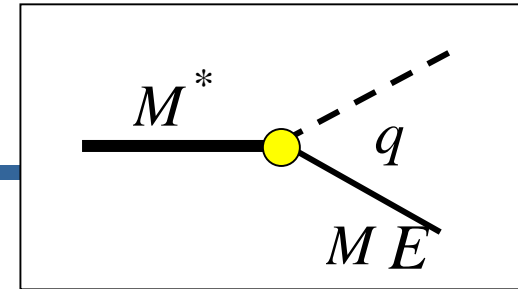
Very **sensitive to parity**

Quark model calculation

Positive vs. Negative parities

Exact calculation of 5-body system

Decay of baryons



1/2+ P-wave coupling

$$L = g_{KN\Theta} \bar{N} \gamma_5 \Theta K \quad \rightarrow \quad \Gamma^+ = \frac{g_{KN\Theta}^2}{2\pi} \frac{Mq^3}{E(E+M)M^*}$$

For $M^* = 1540$ MeV, $g = 13$, then $\Gamma = 180$ MeV

If $g = 4$, then $\Gamma = 20$ MeV

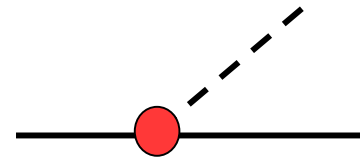
1/2- S-wave coupling

$$L = g_{KN\Theta} \bar{N} \Theta K \quad \rightarrow \quad \Gamma = \Gamma^+ \frac{(E+M)^2}{q^2} \sim 50! \quad \Gamma = \begin{matrix} 9 \text{ GeV} \\ 1 \text{ GeV} \end{matrix}$$

Rough estimate in the quark model

πqq

$$L_{\pi qq} = g \bar{q} \gamma_5 \pi q \rightarrow g \frac{\sigma_q q}{2m_q}$$



Through the GT relation

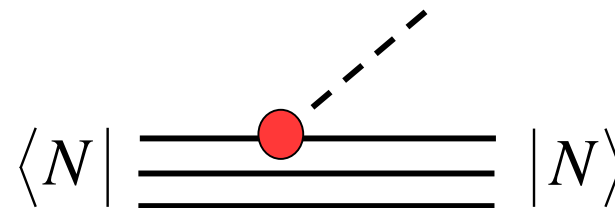
Matrix element of axial current

πNN

$$g_{\pi NN} \sim (N_c + 2)g \sim 5g$$

~ 13

Coherent sum over
Three quarks



$KN\Theta$

$$\langle N | \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array} \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array} | \Theta \rangle \sim \langle qqqq | \begin{array}{c} \text{---} \\ \text{---} \\ \text{---} \\ \text{---} \end{array} | qqqs \rangle$$

Without sum over quarks

$$g_{KN\Theta} \sim 4$$

$$\Gamma \sim \begin{array}{ll} 20 \text{ MeV, if } P = + \\ \sim 1000 \text{ MeV} & P = - \end{array}$$

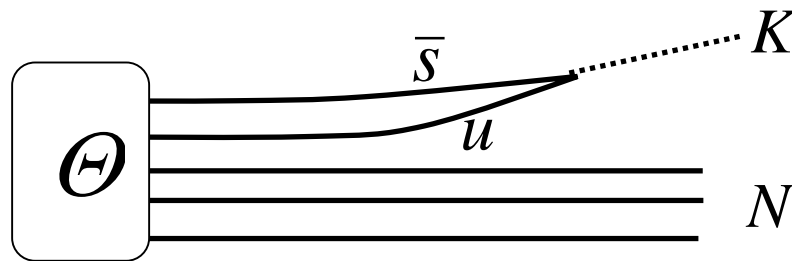
Natural width

Actual calculation

Negative parity

Assume SU(6) and $(l=0)^5 \sim$ ground state

SFC wave function is **uniquely** determined



$$|\Theta\rangle = \frac{1}{2}|KN\rangle + \dots$$

$$= \frac{1}{2\sqrt{3}}|K^*N\rangle + \dots$$

$$g \sim 3$$

$$\Gamma \sim 500 \text{ MeV}$$

1/2- state is almost continuum

Positive parity

More complicated than s-wave
due to p-wave excitation

1. Attractive for sf interaction $\sum_{ij} \vec{\sigma}_i \cdot \vec{\sigma}_j \lambda_i^a \lambda_j^a$

$$|\Theta\rangle = \sqrt{\frac{5}{96}} |KN\rangle + \dots$$

$$g \sim 8 \Rightarrow \Gamma \sim 80 \text{ MeV}$$

2. Attractive for cs interaction

$$\frac{g_{K^*N\Theta}}{g_{KN\Theta}} = \sqrt{3}$$

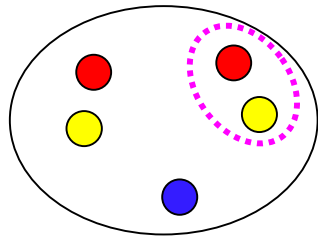
$$|\Theta\rangle = \sqrt{\frac{5}{192}} |KN\rangle + \dots$$

$$g \sim 6 \Rightarrow \Gamma \sim 40 \text{ MeV}$$

3. Diquark correlation

Jaffe-Wilczek
hep-ph/0307341

Phys.Rev.Lett. 91 (2003) 232003



$$qq \quad S = 0, I = 0, C = 3^*$$

Correlation in **CSF** part only (**no orbital**)

$$g \sim 3 \Rightarrow \Gamma \sim 10 \text{ MeV}$$

Decay width of positive parity can be small
negative parity is likely to be large
(strongly couples to scattering states)

4. Dynamical calculation of 5-body system

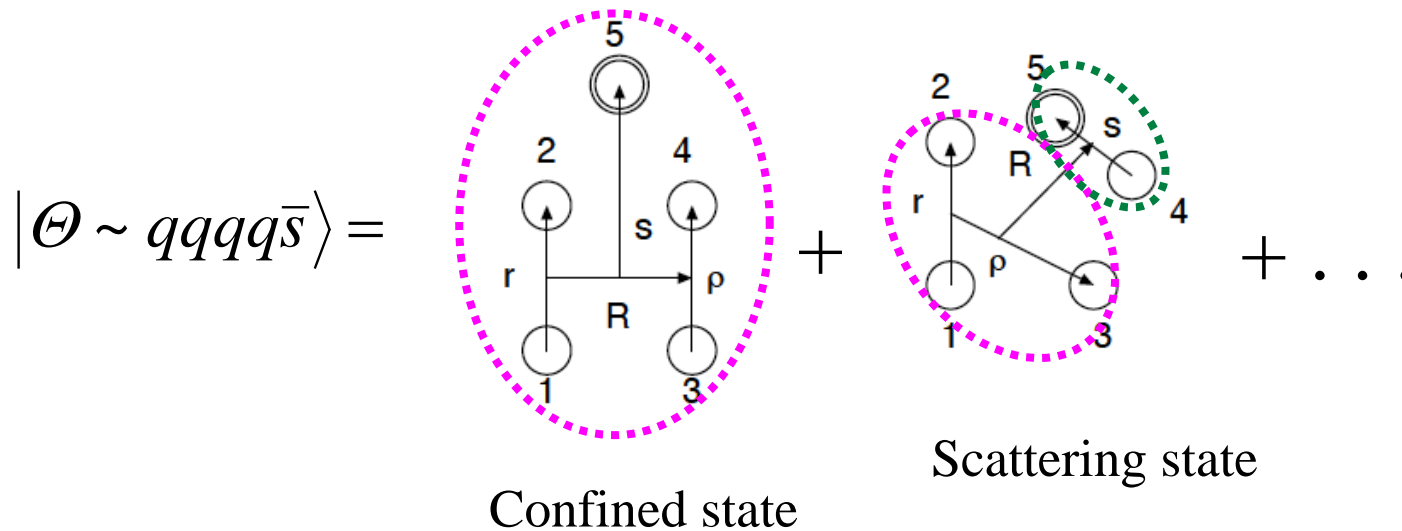
Hiyama, talk at Pentaquark04

With Kamimura, Hosaka, Toki and Yahiro

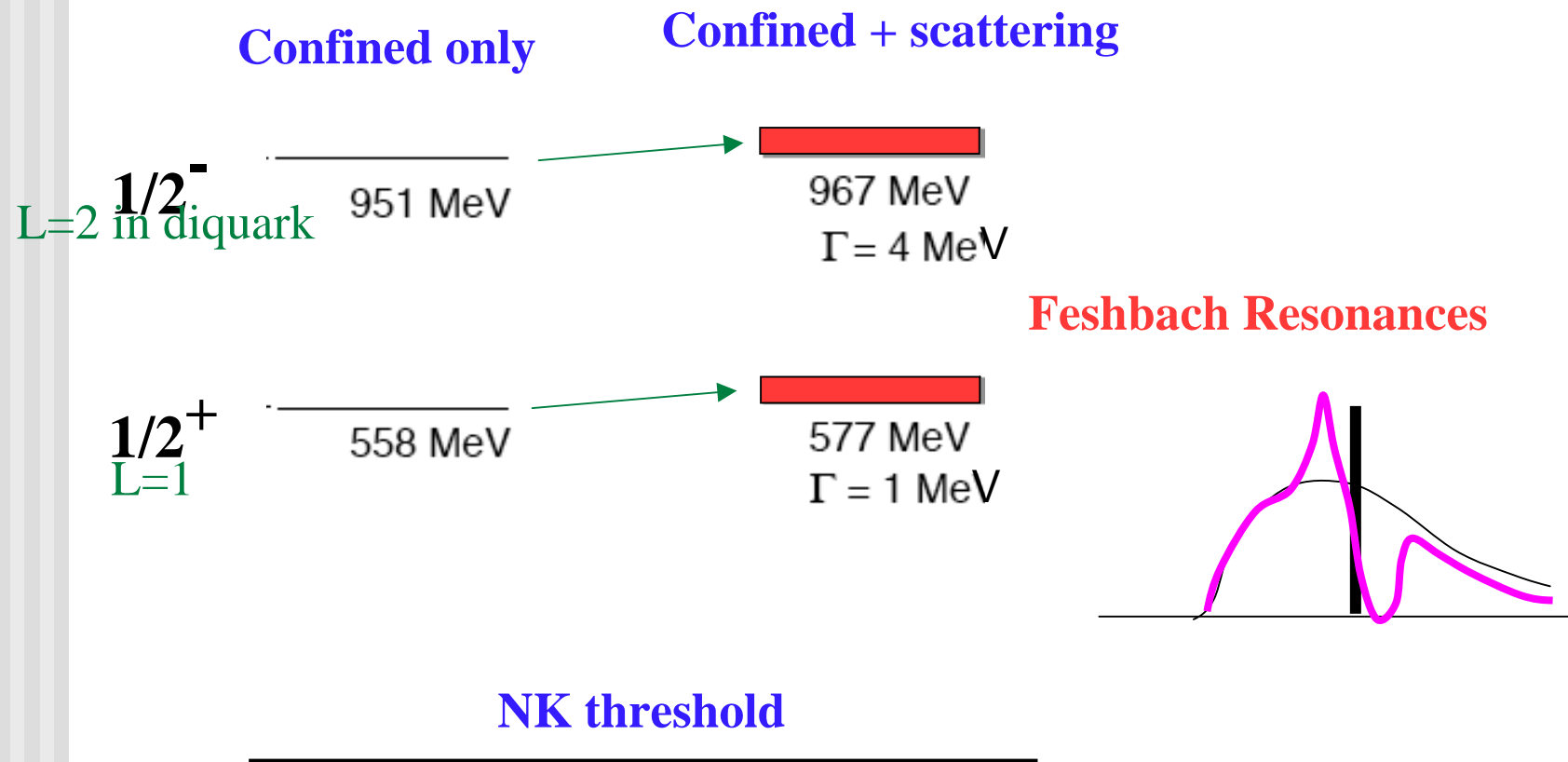
Very recent and new **accurate** calculation for five body system

$$H = \sum \left(m_i + \frac{p_i^2}{m_i} \right) + V_{conf} + V_{ss-corr}$$

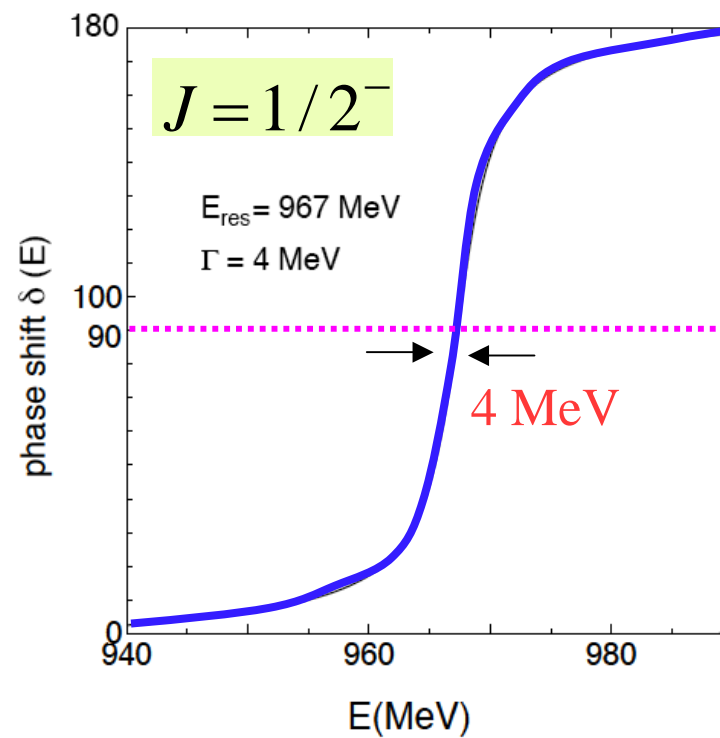
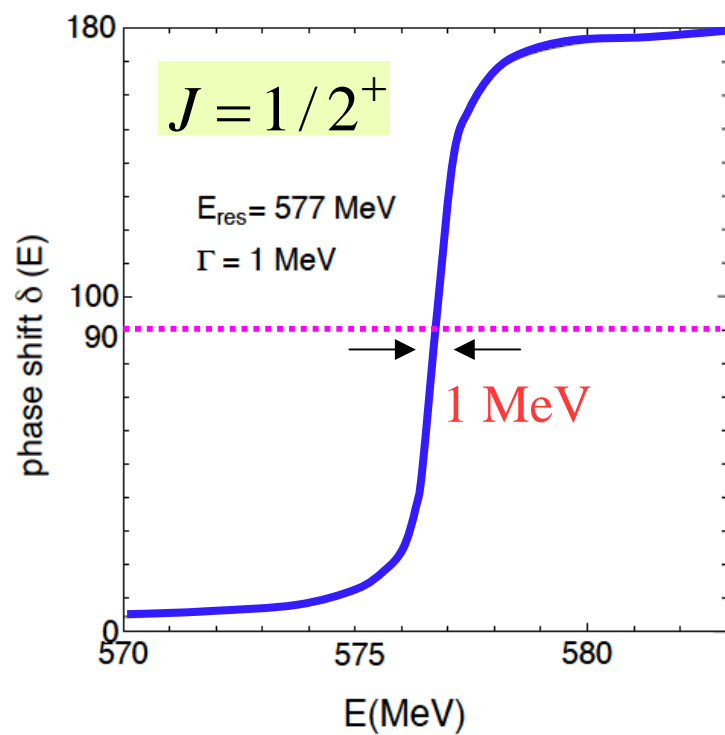
Gaussian Expansion Method
(Hiyama et al.)



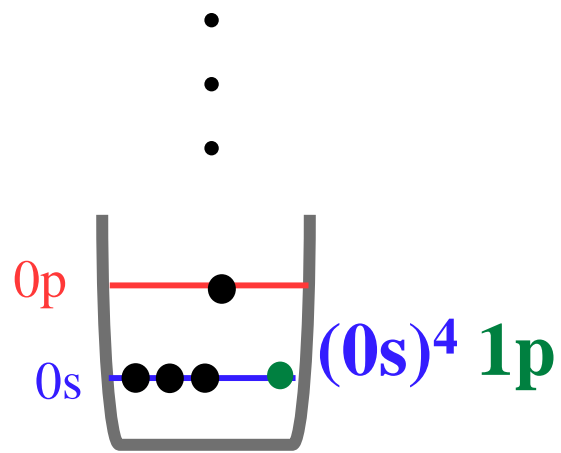
Energy levels



Phase shifts

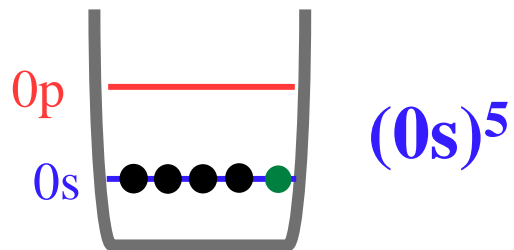


What we expect

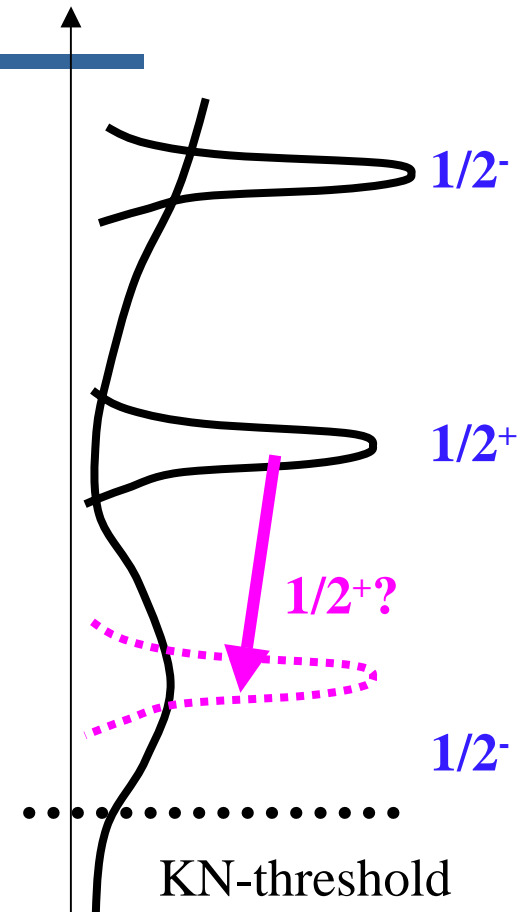


⋮

Positive parity
Energy high?
Narrow width



Negative parity
BUT almost continuum



Summary for Pentaquark

- Experimental and theoretical situations are not yet fixed

Both chiral soliton and quark model prefer $1/2^+$
Narrow decay width may be explained

Need more theoretical study (Models, lattice,...)

- Narrow resonance ($\Gamma \sim 1$ MeV) indicates systems which can not be accessed by ordinary hadrons (processes).
- Reaction mechanism is crucially important.

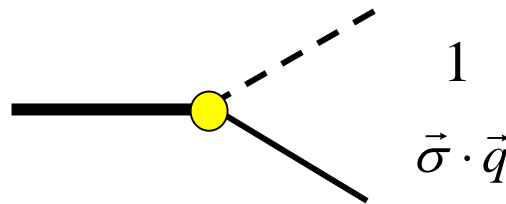
Determining parity

(1) $\gamma + n \rightarrow K^- + \Theta^+$ [Nam-Hosaka-Kim](#)
[hep-ph/0308313, Phys.Lett.B579:43, 2004](#)

(2) K^* production

(3) K^+ induced reaction [Hyodo-Hosaka-Oset](#)
[nucl-th/0307105, Phys.Lett.B579:290, 2004](#)

Difficulty



When averaged over spin
 \Rightarrow Both are isotropic

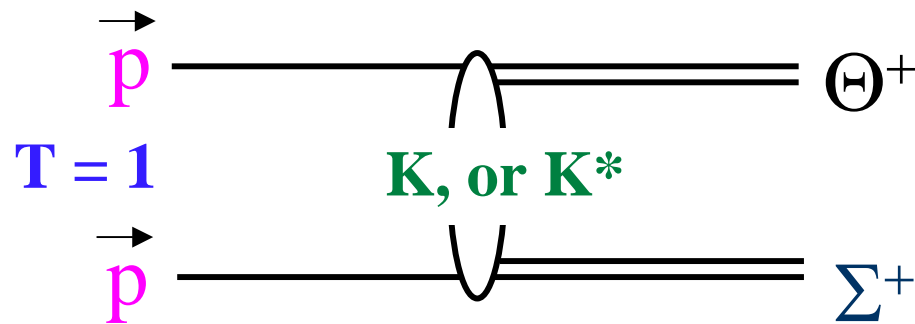
(4) Model-independent method



[Thomas-Hicks-Hosaka](#)
[hep-ph/0312083, Prog.Theor.Phys.111:291,2004,](#)

[Nam-Kim-Hosaka, hep-ph/0401074](#)

Model-independent method



At threshold
S-wave dominant

If $S = 0$, then $L_i = \text{even}$, $P = \text{even} \implies P(\Theta) = +$

If $S = 1$, then $L_i = \text{odd}$, $P = \text{odd} \implies P(\Theta) = -$


Cross sections

Nam-Hosaka-Kim,
hep-ph/0401074

$$\Gamma = 15 \text{ MeV}$$

Positive parity


Negative parity

QuickTimey C²
TIFFAILZWAj ëLIÉVÉçE
Ç™Ç±ÇÄÉsÉNE'EEÇ%â@ÇEÇZÇ¼Ç...ÇÖIKóvÇ-Ç ÄB

S=0

S=1

2729

1.5 μb

QuickTimey C²
TIFFAILZWAj ëLIÉVÉçEOÉaÉÄ
Ç™Ç±ÇÄÉsÉNE'EEÇ%â@ÇEÇZÇ¼Ç...ÇÖIKóvÇ-Ç ÄB

S=1

S=0

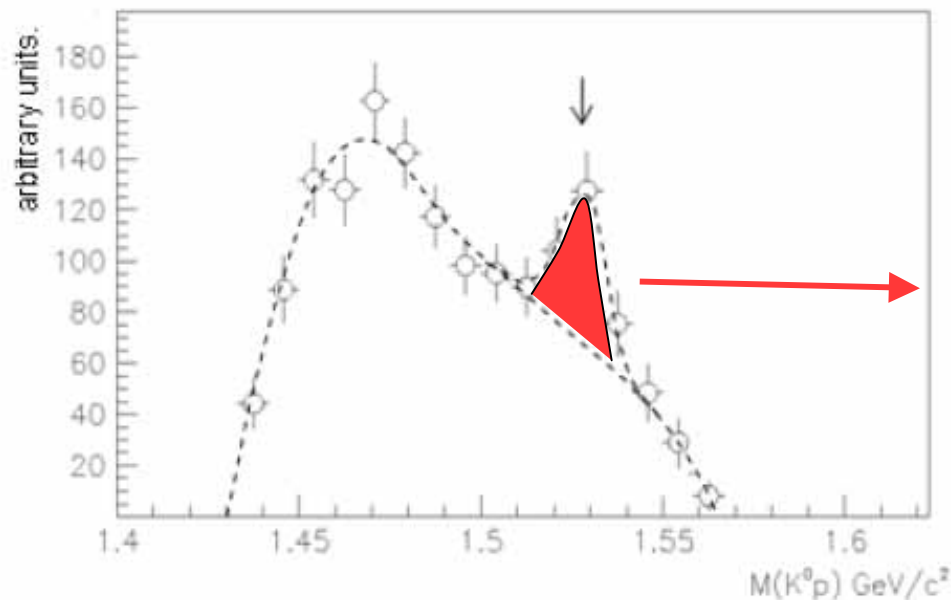
0.15 μb

Results from Julich

hep-ex/0403011

Beam momentum	excess energy	$\sigma_{\text{tot}} (pp \rightarrow pK^0\Sigma^+)$
2.85 GeV/c	93 MeV	$7.8 \pm 1.6 \mu\text{b}$
<u>2.95 GeV/c</u>	<u>126 MeV</u>	<u>$12.7 \pm 1.3 \mu\text{b}$</u>
3.2 GeV/c	206 MeV	$27.2 \pm 2.5 \mu\text{b}$

32 MeV above $\Theta\Sigma$



$\sigma =$

$0.4 \pm 0.1 \pm 0.1 \mu\text{b}$

$\Gamma = 18 \pm 4 \text{ MeV}$

What we can say

At 30 MeV above the $\Theta\Sigma$ threshold
Reduction due to initial state int.

	$\Gamma = 15 \text{ MeV}$
Positive parity	$0.5 \mu\text{b}$
	Factor 10 difference
Negative parity	$0.05 \mu\text{b}$

Summary

Many baryons are fit into a nice systematics

Negative parity baryons are influenced by chiral meson-baryon int. Quasi MB states

There is much to study for Pentaquarks, not well explored by theory.

Interesting features from qqq , $qqqqq$, and more, before going to the multi-quark matter.