

12/11/01
NPOL@KEK

Rare Kaon Experiment at JHF

- A case study on $K_L \rightarrow \pi^0 \nu \bar{\nu}$
experiment -

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Goal of the experiment

• 1000 $K_L \rightarrow \pi^0 \nu \bar{\nu}$ events

$$\Rightarrow \frac{\Delta \eta_{\text{stat}}}{\eta} = \frac{1}{2} \frac{1}{\sqrt{1000}} \\ \sim 1.5\% \sim \text{theoretical uncertainty}$$

• $S/N > 10$

assume $BR(K_L \rightarrow \pi^0 \nu \bar{\nu}) = 3 \times 10^{-11}$

Basic Strategies

• High acceptance

⇒ • lower proton rate (⇒ can run w/ other experiments)

• lower K & π rates

↓

lower detector rates

lower beam related background rates

smaller rate-related acceptance loss

Assume 100% (geometrical) \times 30% (cuts)

= 30% acceptance

• Higher E_K

⇒ • Much better γ -veto efficiency.

'Extra 2σ ' is the most significant signature of $K_L \rightarrow 2\pi^0$ background.

• smaller π/K ratio

= lower π rate

↓

lower...

Assume $\langle p_K \rangle \sim 5 \text{ GeV}/c = \frac{E_p}{10}$

Flux

Required flux

$$\frac{1000 \text{ evts}}{3 \times 10^{-11}} \times \frac{1}{0.3 \text{ acceptance}} = 10^{14} \text{ } K_L \text{ decays in 1 year}$$

$$10^{14} \times \frac{3 \text{ (duty factor)}}{1 \times 10^7 \text{ sec/year}} = 30 \text{ MHz } K_L \text{ decays}$$

Inagaki's table (CP Violation in K, 1998)

$\sim 30 \text{ MHz } K_L \text{ decays}$ @ $1 \text{ E}14 \text{ ppp}$, $10^\circ \text{ tgt ang.}$
 $2 \text{ GeV/c } K$, $5.5 \mu\text{str}$
 $2.7 \text{ m decay volume}$
(4.3% decay probability)

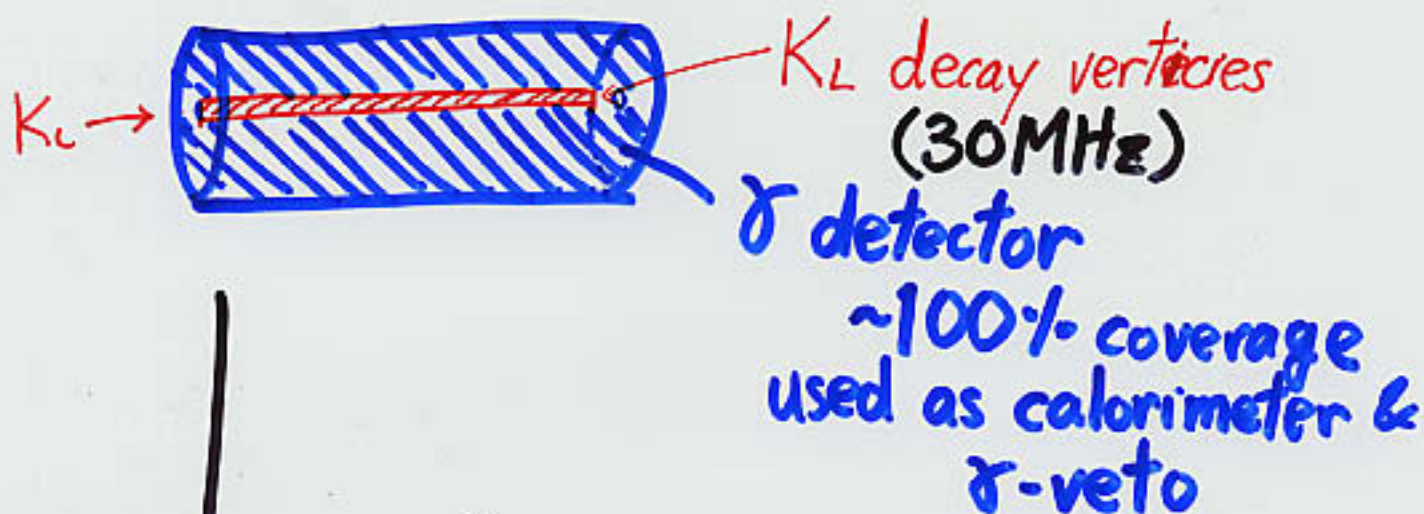
$3.6^\circ \text{ tgt angle}$ ($P_{T.K} \sim 300 \text{ MeV/c}$)

$5 \text{ GeV/c } P_K \Rightarrow 6\% \text{ decay prob.}$

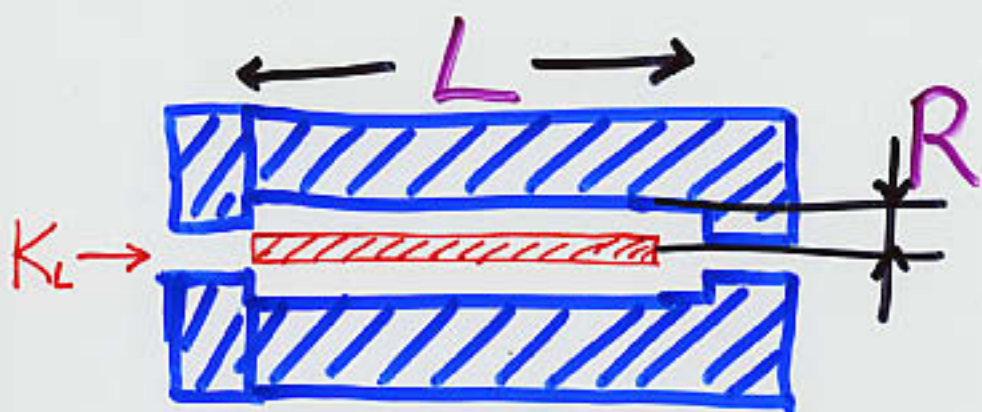
\Downarrow
 $\geq 40 \text{ MHz } K_L \text{ decays @ } 1 \text{ E}14 \text{ ppp}$
($5.5 \mu\text{str}$)
available

OK!

Detector



- avoid beam halo
- reduce shower overlaps



$$\text{hit rate} \sim 30\text{MHz} \times 4 \times \frac{1}{2\pi R L}$$

$$\left(\begin{array}{l} 2 \text{ body} \times (27+39)\% \\ 4 \text{ body} \times 13\% \\ + 6 \text{ body} \times 21\% \\ \hline 3.1 \text{ body} \end{array} \right)$$

example

$$L = 10\text{m}, R = 0.4\text{m}$$

$$\Rightarrow 5\text{MHz}/\text{m}^2$$

γ veto inefficiency due to blinding

example:

$$5 \text{ MHz/m}^2 \times 5 \text{ cm} \times 5 \text{ cm} \times T_{\text{dead}}$$

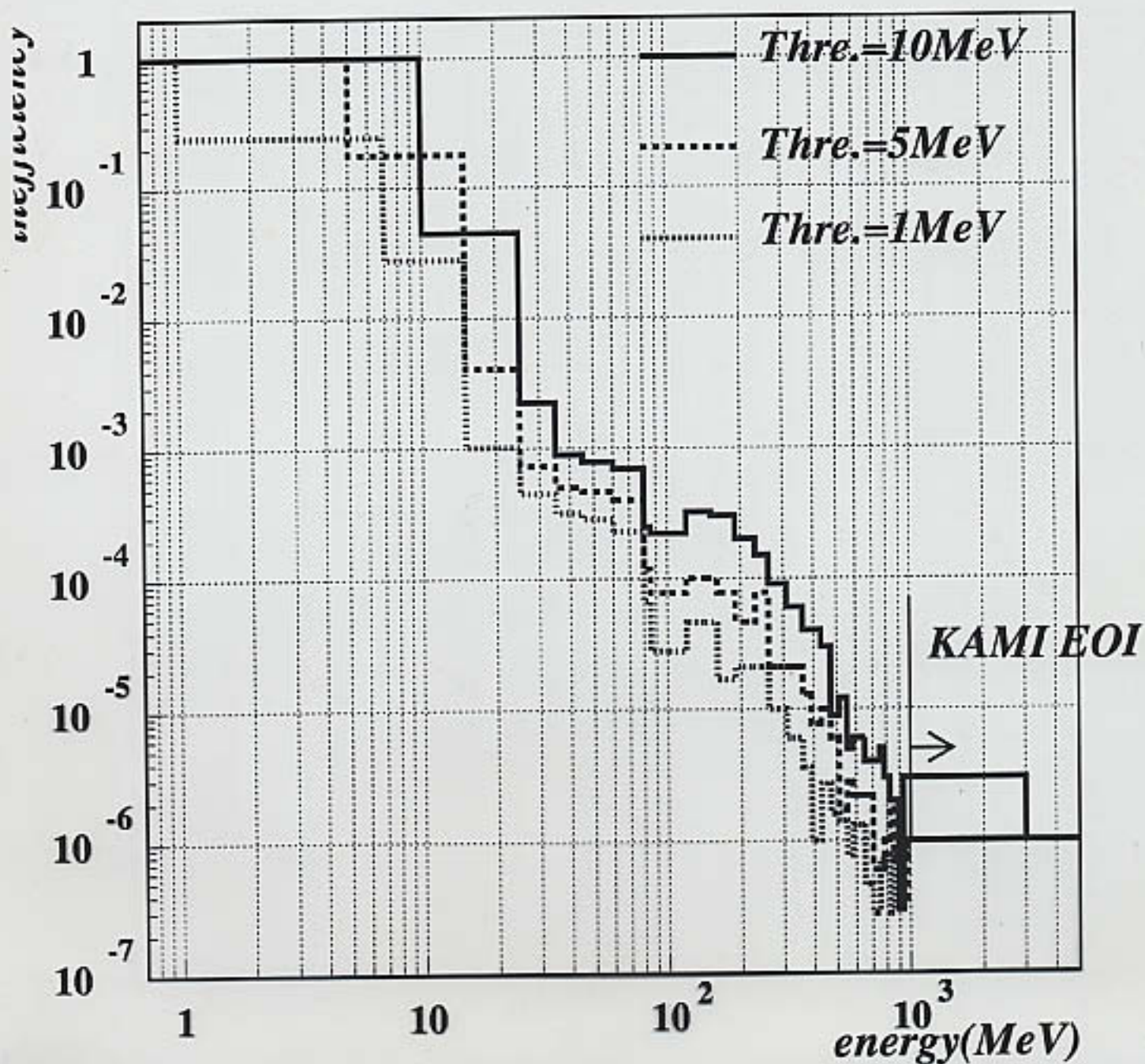
$E_\gamma = 500 \text{ MeV}$ hiding behind 16 GeV tail

$$\Rightarrow 2.6 \times 10^{-4}$$

More study using real E distribution & pulse shape analysis is needed.

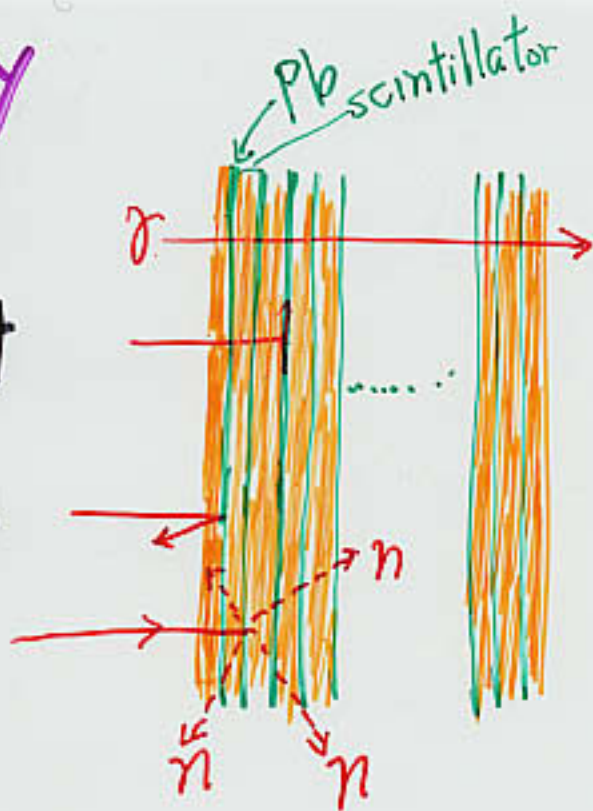
What if we lower the γ veto threshold?

photon inefficiency(1mmPb/5mmScint.)

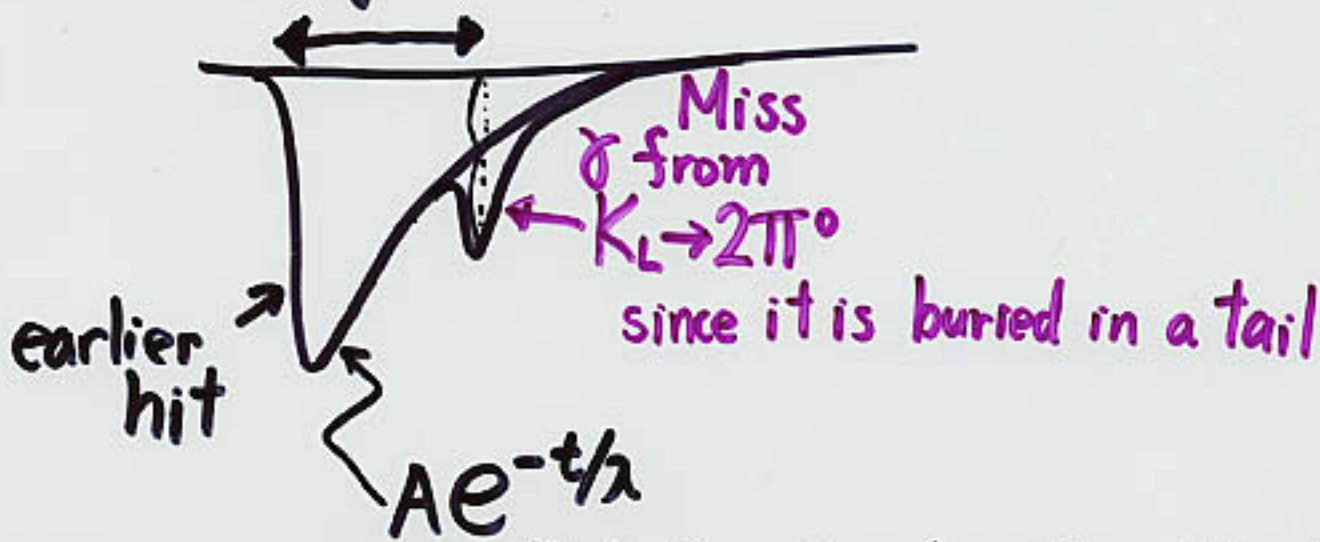


γ veto inefficiency

- Punch through
- Sampling effect
- Back scattering
- photo nuclear interaction



• Blinding



assume that for $0 \sim t$, it is blind against pulse height $E < Ae^{-t/\lambda}$.

$$t_{\text{blind}} = -\lambda \ln E/A$$

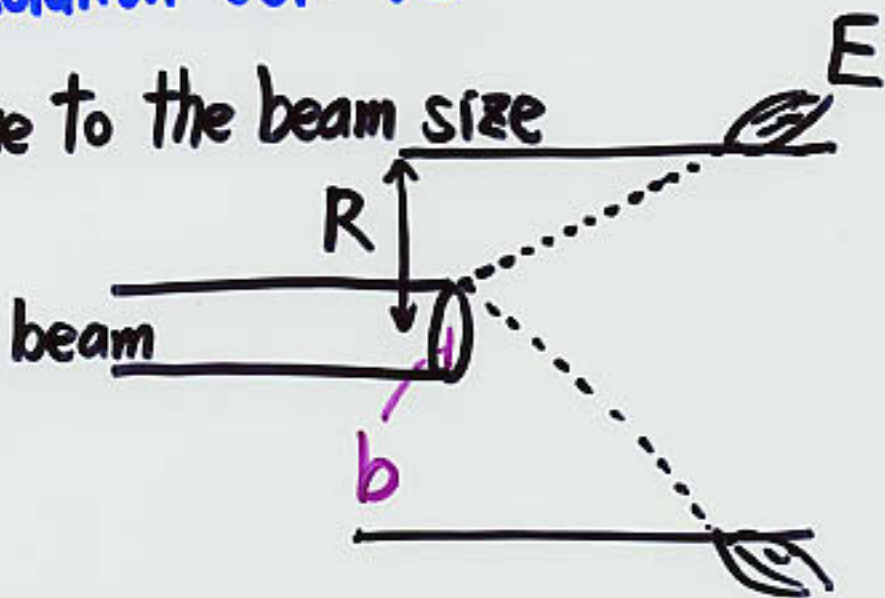
example: $\lambda = 30 \text{ ns}$, $A = 1 \text{ GeV}$

E	t_{dead}
10 MeV	140 ns
100 MeV	70 ns

Energy resolution of the γ detector

• P_T resolution for π^0

□ - due to the beam size



$$\frac{\Delta P_T}{P_T} \sim \frac{\sigma_{\text{beam}}}{R} = \frac{b/\sqrt{6}}{R} \times 2 \quad \text{example:}$$

(error on both σ)

$$\sim \frac{2.6 \text{ m} / 2 \times 30 \text{ m}}{40 \text{ cm} \cdot \sqrt{6}} \times 2$$

~~~ 8%~~  $\sim 8\%$

□ - due to E resolution

$$\frac{\Delta P_T}{P_T} \sim \frac{\Delta E}{E} \cdot \sqrt{2}$$

⇓

$$\frac{\Delta E}{E} \sim \frac{1}{\sqrt{2}} \cdot 8\%$$

$\lesssim 6\%$  is good enough

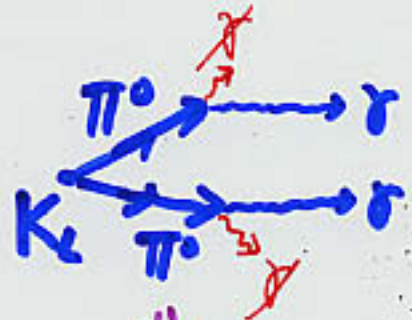
# $K_L \rightarrow \pi^0 \pi^0$ backgrounds

even pair bkg

odd pair bkg



⇒ boost

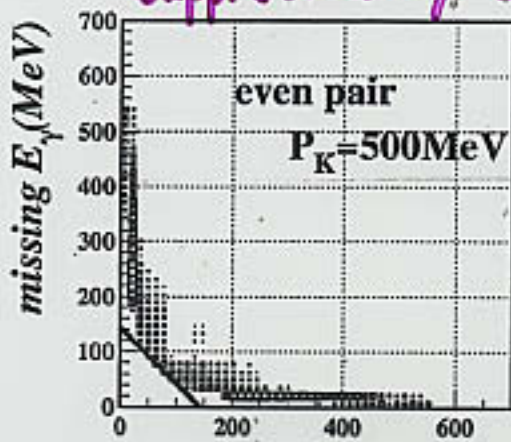


wrong  $Z$  &  $P_T$

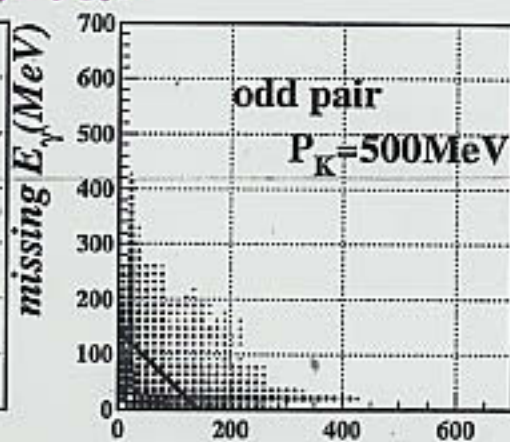
$$E_{\gamma_1} + E_{\gamma_2} = E_{\pi^0} > \gamma_K \left( \frac{M_K}{2} - P_{\pi^0}^* \beta_K \right)$$

missed  $\gamma$

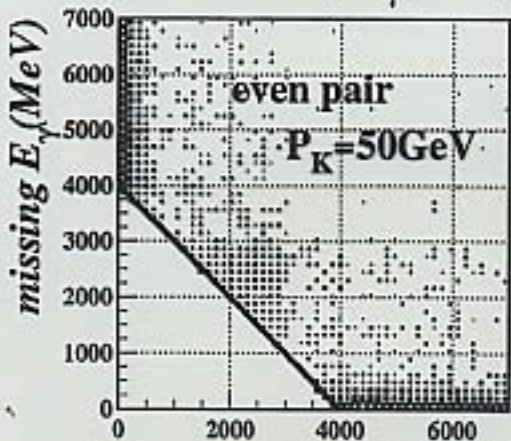
suppressed by  $\gamma$ -veto



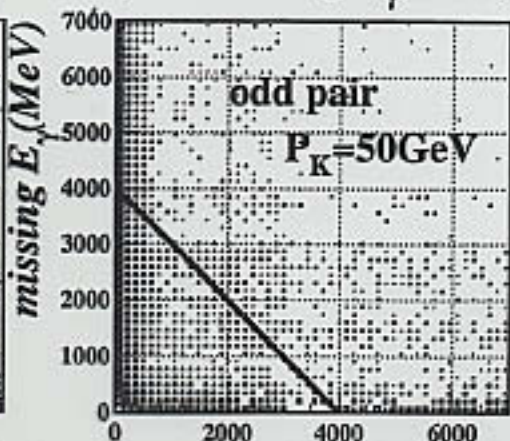
(a) missing  $E_\gamma$  (MeV)



(b) missing  $E_\gamma$  (MeV)



(c) missing  $E_\gamma$  (MeV)



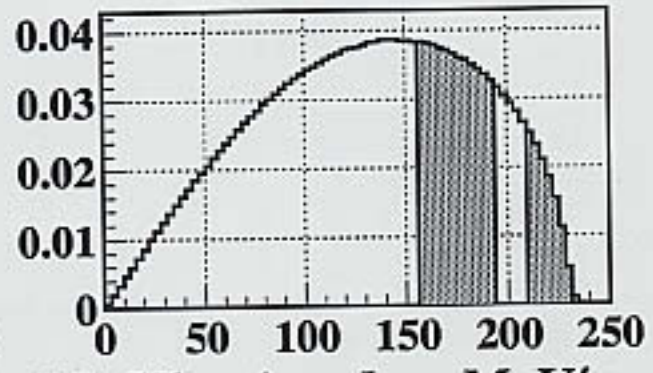
(d) missing  $E_\gamma$  (MeV)

$P_T$  cut

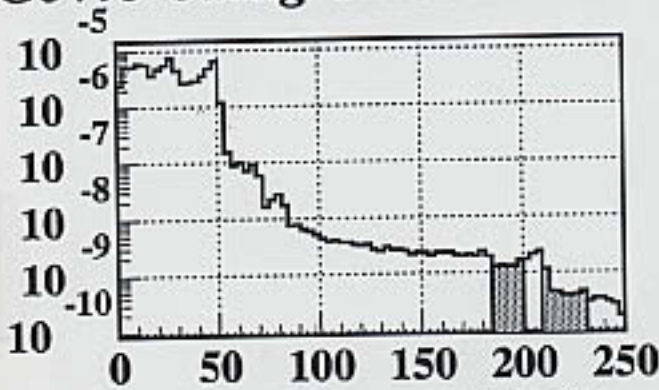
Pt 1mmPb/5mmScint



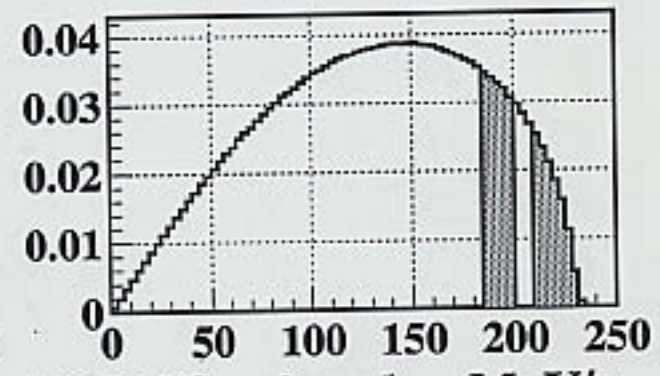
*5 GeV/c background MeV/c*



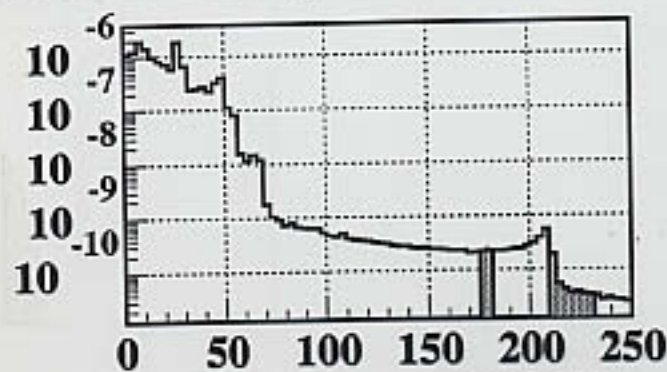
*5 GeV/c signal MeV/c*



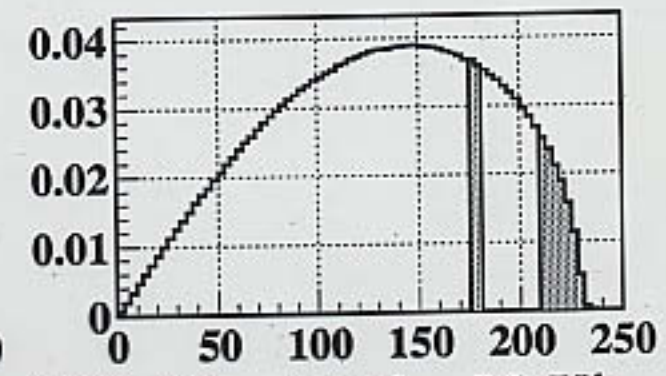
*10 GeV/c background MeV/c*



*10 GeV/c signal MeV/c*



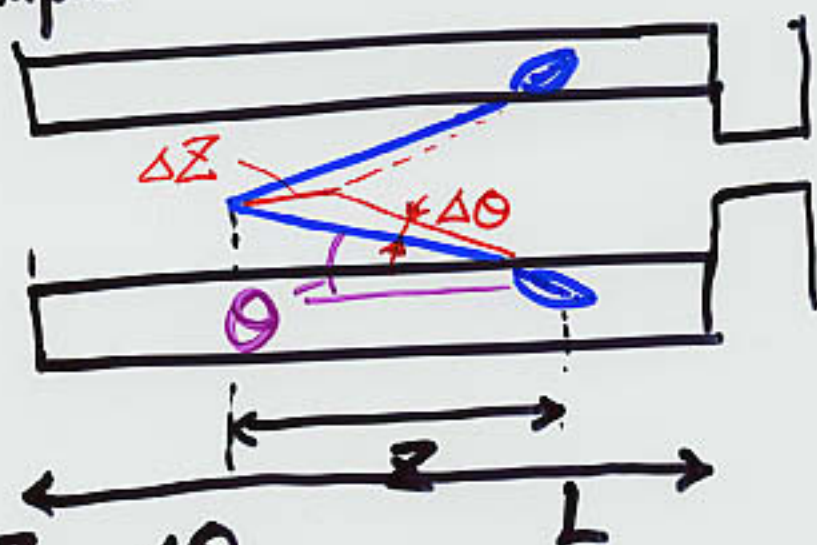
*50 GeV/c background MeV/c*



*50 GeV/c signal MeV/c*

Can we further suppress odd-pair background?

• example



$$\frac{\Delta Z}{Z} \sim \frac{\Delta \theta}{\theta}$$

$$\theta \sim \frac{0.16 \text{ GeV}}{1 \text{ GeV}} \sim 0.1$$

$$Z \sim \frac{R}{\theta} \sim \frac{0.4 \text{ m}}{0.1} \sim 4 \text{ m}$$

To get

$$\frac{1}{10} \sim \frac{\Delta Z}{L} = \frac{Z}{L} \cdot \frac{\Delta \theta}{\theta}$$

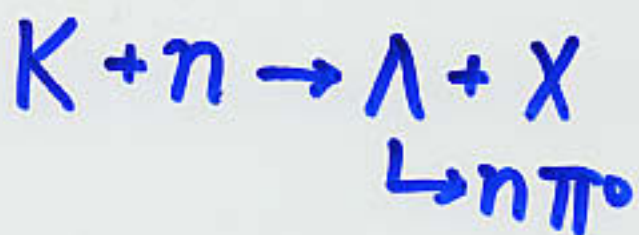
$$\sim \frac{4 \text{ m} \cdot \Delta \theta}{10 \text{ m} \cdot 0.1}$$

$\Delta \theta \sim 0.025$  is required

ultimate  $\Delta \theta_{\gamma} \sim \frac{14 \text{ MeV}}{500 \text{ MeV}} \sqrt{\frac{1 \text{ mm}}{5 \text{ mm}}} \frac{1}{\sqrt{2}}$

$\sim 0.01$  for 16 GeV  $\gamma$

even pair background



⋮

- How to measure the background level and shape