

# K-Triangle

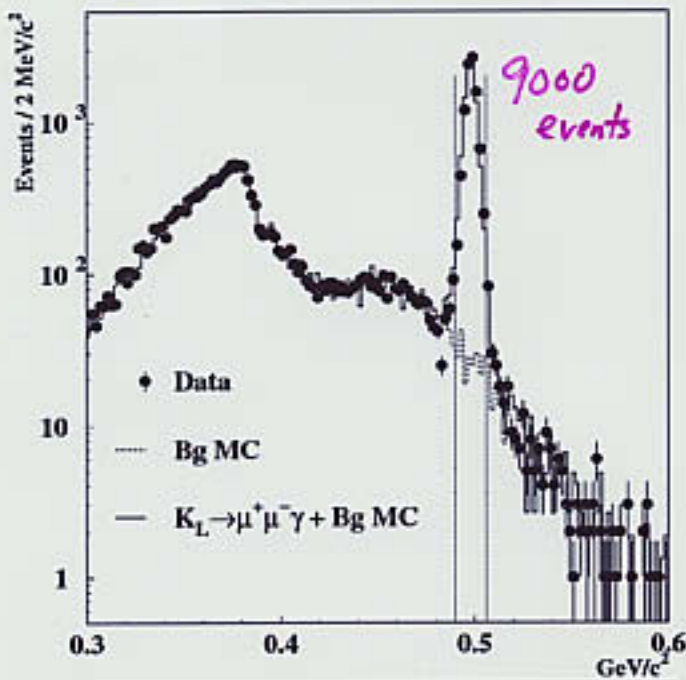
The important and unique-ness  
of  $K_L \rightarrow \pi^0 \nu \bar{\nu}$  (pure direct CP).

Some other equally important  
Symmetry Violation Decays

A detector @ JHF that will  
be able to achieve all these  
measurements

⇒ A Program for  $K_L$  Physics at  
JHF

$K_L \rightarrow \mu^+ \mu^- \gamma$  (1 evt until 1995)



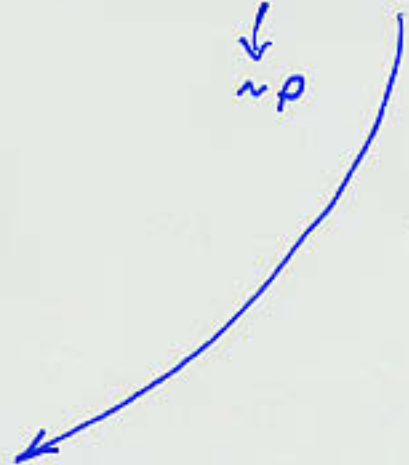
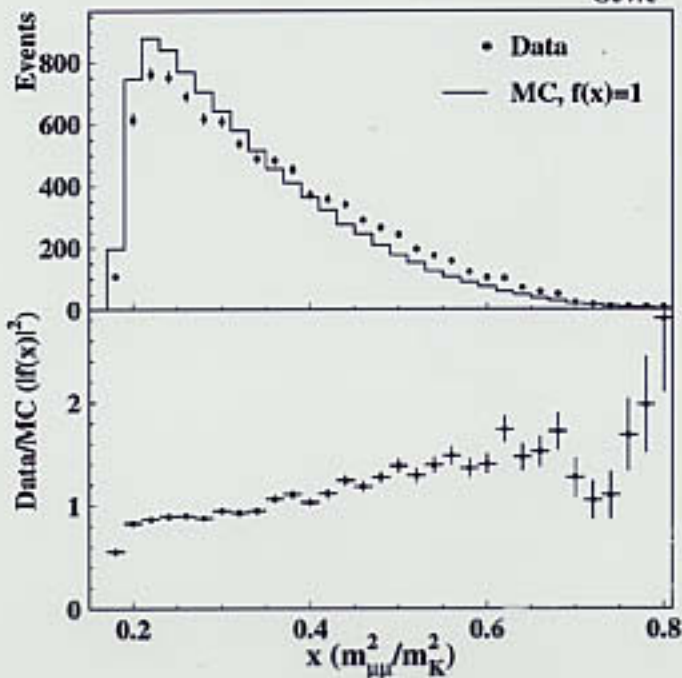
$$B(K \rightarrow \mu\mu) = (7.18 \pm 0.17) \times 10^{-9}$$

$$= |Im A|^2 + |Re A_{expl}|$$

↑  
unitarity bound  
(Known,  $7.07 \times 10^{-9}$ )

$$Re A = A_{SD} + A_{LD}$$

↓  
 $\sim \rho$



$$\Rightarrow \rho > -0.2$$

$$BR \sim 3.7 \times 10^{-7}$$

KTeV 9000 evts

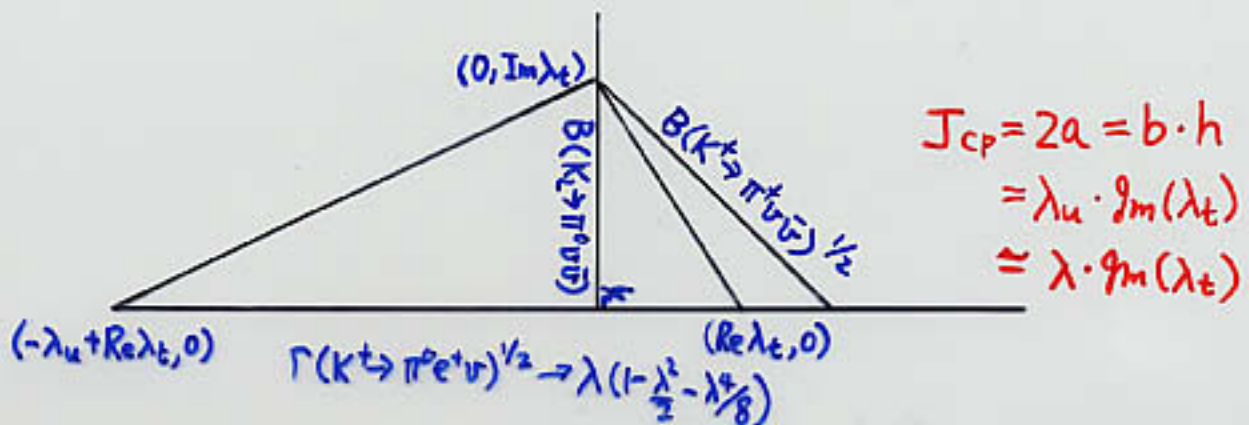
JHF > SM. events

$$\begin{aligned}
 V_{CKM} &= \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \\
 &= \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^9)
 \end{aligned}$$

6 unitarity conditions  $\Rightarrow$  6 triangles with same area  $A = \frac{1}{2} J_{CP}$

"Kaon - triangle"

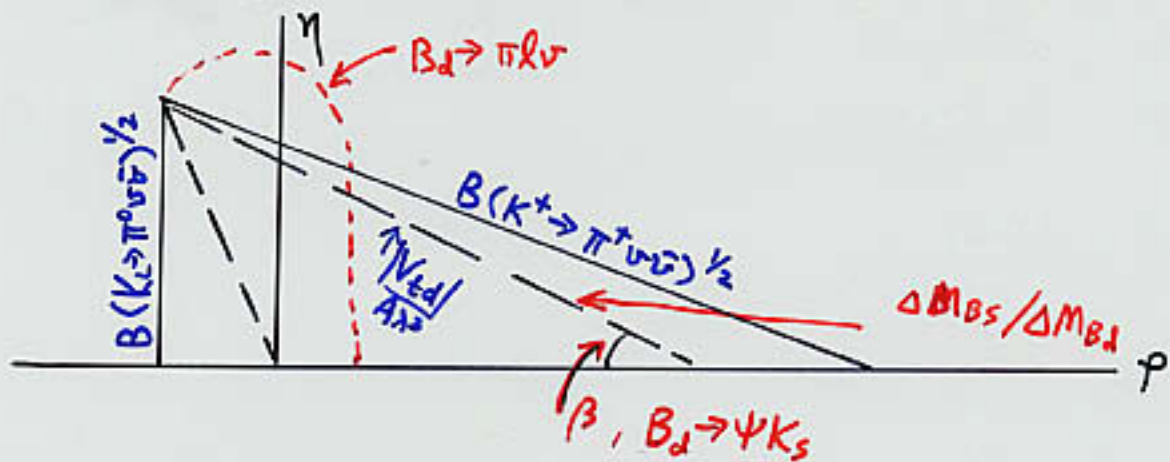
$$\begin{aligned}
 V_{us}^* V_{ud} + V_{cs}^* V_{cd} + V_{ts}^* V_{td} &= 0 \\
 \lambda_u + \lambda_c + \lambda_t &= 0
 \end{aligned}$$





"Other-triangle"

$$V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$$



1st  
pt = 0

$$J_{CP} (\text{K-triangle}) \stackrel{?}{=} J_{CP} (\text{B-triangle})$$

$$\sin \beta \stackrel{?}{=} \frac{B(K_L \rightarrow \pi^0 \nu \bar{\nu})^{1/2}}{B(K^+ \rightarrow \pi^+ \nu \bar{\nu})^{1/2}}$$

e.g.  $\frac{B_{\pi^0 \nu \bar{\nu}} = 3 \times 10^{-11}}{B_{\pi^+ \nu \bar{\nu}} = 8 \times 10^{-10}} = 0.38$

↓

$$\sin 2\beta = 0.69 \quad ?$$

Uniqueness of  $K_L \rightarrow \pi^0 \nu \bar{\nu}$  is the

CLEAREST STANDARD MODEL  
PREDICTION ( $\sim 1\%$ )

2nd pt: One can arguably state that this  
is also the best indirect  
search for beyond SM  
Physics

E391a @ KEK-PS (now status)

KOPIO @ BNL

How to measure  $B(K_L \rightarrow \pi^0 \nu \bar{\nu})$ ? with  $> 10^2$  events?

E391A / ~~KEK~~ / JHF

BNL KOPIO

$E_K \sim 10 \text{ GeV}$  @ JHF

$E_K \sim 1 \text{ GeV}$

$E_K \sim 1 \text{ GeV}$  @ KEK

$\sim 3 \times 10^{-10}$  by 2003

$\sim 3 \times 10^{-14}$  @ JHF  
(1000 evts/yr)

$\sim 5 \times 10^{-13}$  by 2010  
(60 evts/3 years)

\* High Energy  $\Rightarrow$  Better  
bkg suppression

\* High K-Flux

High Acceptance  $\Rightarrow$  simple  
technique

kinematics,  $\gamma$  direction  
Kaon time of flight

Step-by step approach

pencil beam

flat ribbon beam

JHF:

50 GeV Synchrotron

Intensity :  $3.2 \times 10^{14}$  PPP  $\rightarrow 8.2 \times 10^{14}$  PPP

Rep rate : 0.3 Hz

Power : .8 MW  $\rightarrow$  5 MW

$K_L$  rate @  $1 \times 10^{14}$  pps } 120 MHz  
@  $10^\circ$  prod angle }

$\Rightarrow \sim 1000$  events/yr

\* Not proposed yet, but will be

\* E391a's results in coming 2 yrs  
will validate many principles and  
techniques

Conclusion so far : There seems no  
fundamental difficulties.  
MUST DO



## Symmetry Violation:

P "individually" violation

T "individually" violated

How come C violation has not been seen "individually" violated, rather it always goes with CP as a pair violation?

I claim ~~only~~ all observed "CP" violation are individually T violation, so search for explicit C violation is of most interesting and importance.

$$K_L \rightarrow \gamma\gamma\gamma \text{ or}$$

$$\pi^0 \rightarrow \gamma\gamma\gamma \text{ (via } K_L \rightarrow \pi^+\pi^-\pi^0 \text{ or } 3\pi^0 \text{)}$$

## Lepton Flavor Violation:

$$K_L \rightarrow \pi^0 \mu^\pm e^\mp$$

\*\*\*

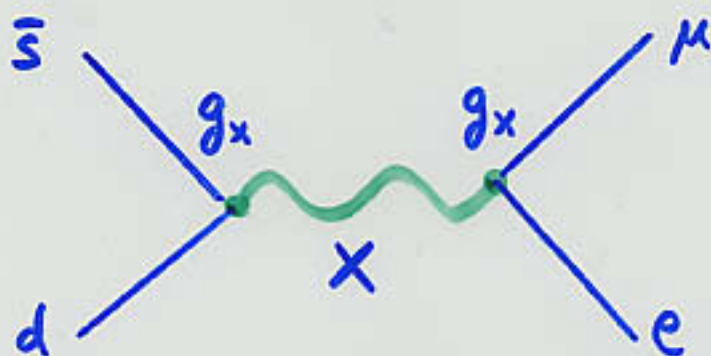
$$K_L \rightarrow \mu^+ \mu^+ e^- e^- \left. \vphantom{K_L} \right\} L_{\text{Total}} \text{ OK}$$

\*\*\*

$$K_L \rightarrow \pi^+ \pi^+ \mu^- e^- \left. \vphantom{K_L} \right\} L_{\text{flavor}} \text{ Violated}$$

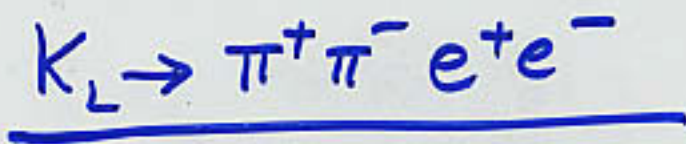


# SEARCH FOR LEPTON FLAVOR VIOLATION

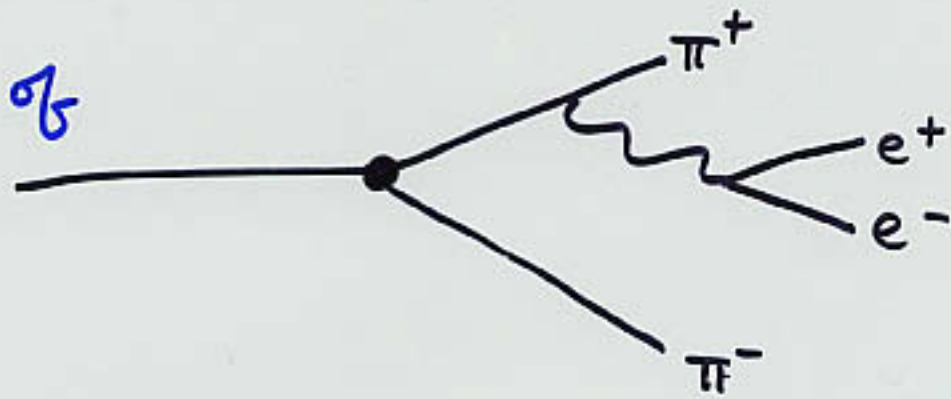


$$\text{Rate} \sim \left(\frac{g_X}{g}\right)^4 \left(\frac{M_W}{M_X}\right)^4$$

MODE	NOW (90% CL)	$M_X$ (TeV)	1998-1999
$K^+ \rightarrow \pi^+ \mu^+ e^-$	$< 2.1 \times 10^{-10}$ BNL	37	$< 4 \times 10^{-11}$
$K_L \rightarrow \mu^\pm e^\mp$	$< 3.3 \times 10^{-11}$ BNL	91	$\sim 10^{-12}$
$K_L \rightarrow \pi^0 \mu^\pm e^\mp$	$< 3.5 \times 10^{-9}$ FNAL	27	$< 4 \times 10^{-11}$
$\pi^0 \rightarrow \mu^\pm e^\mp$	$< 8.6 \times 10^{-9}$ FNAL		$< 10^{-10}$



Inner-Brem  $\sigma_f$   
radiative  $\in$   
 $E2$



Direct emission  
 $M1$



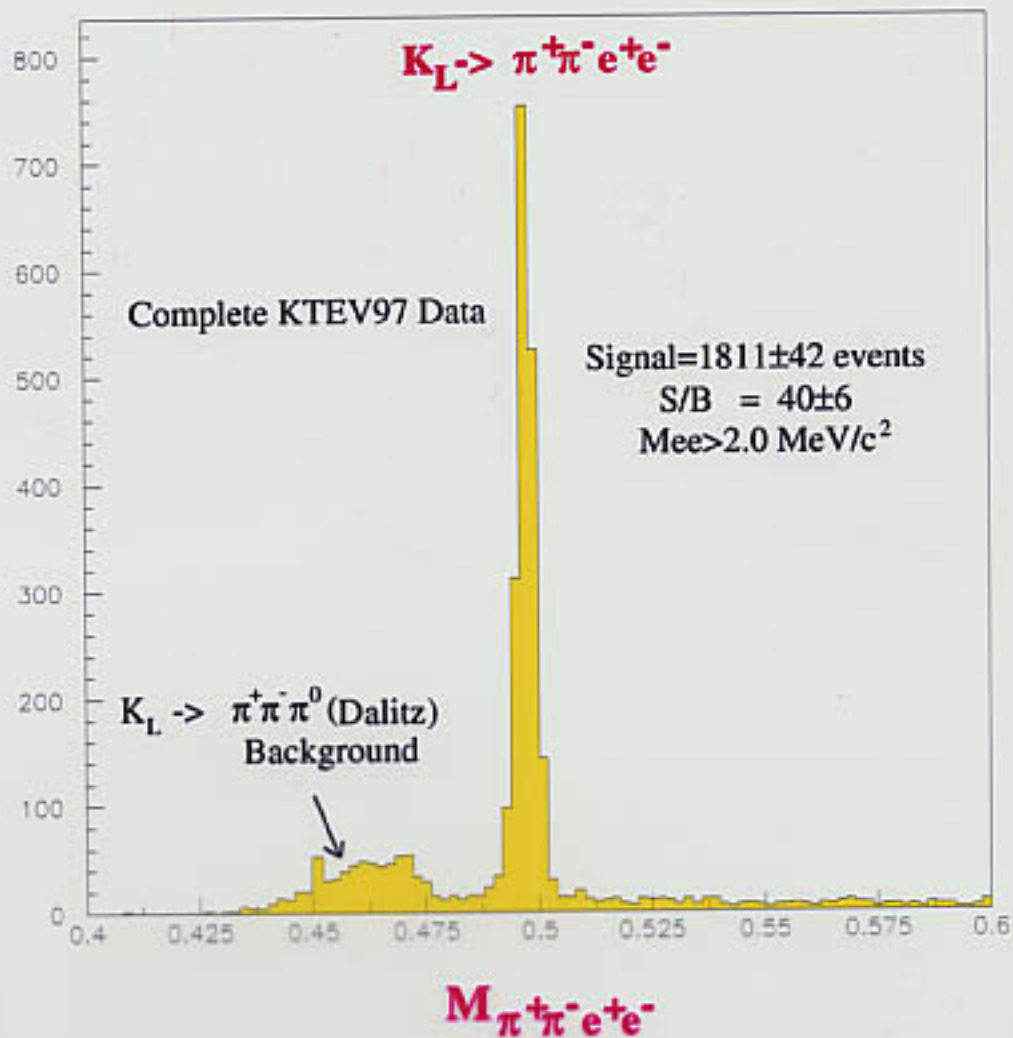
\*  $\sigma_f$   $E1$ ,  $\in'$  effect

Interference  $\sigma_f$  IB & DE brings out the  $\in$  asymmetry in angular distribution ( $\gamma^*$  polarization) of  $e^+e^-$  relative to  $\pi^+\pi^-$ .

$$\text{Br}(K_L \rightarrow \pi^+ \pi^- e^+ e^-) = [3.32 \pm 0.14 (\text{stat}) \pm 0.28 (\text{syst})] \times 10^{-7}$$

$$a_1/a_2 = -0.705^{+0.01}_{-0.02} \quad (\text{M1})$$

$$|\text{g}_{\text{M1}}| = 1.35 \pm 0.13 (\text{stat}) \pm 0.04 (\text{syst})$$



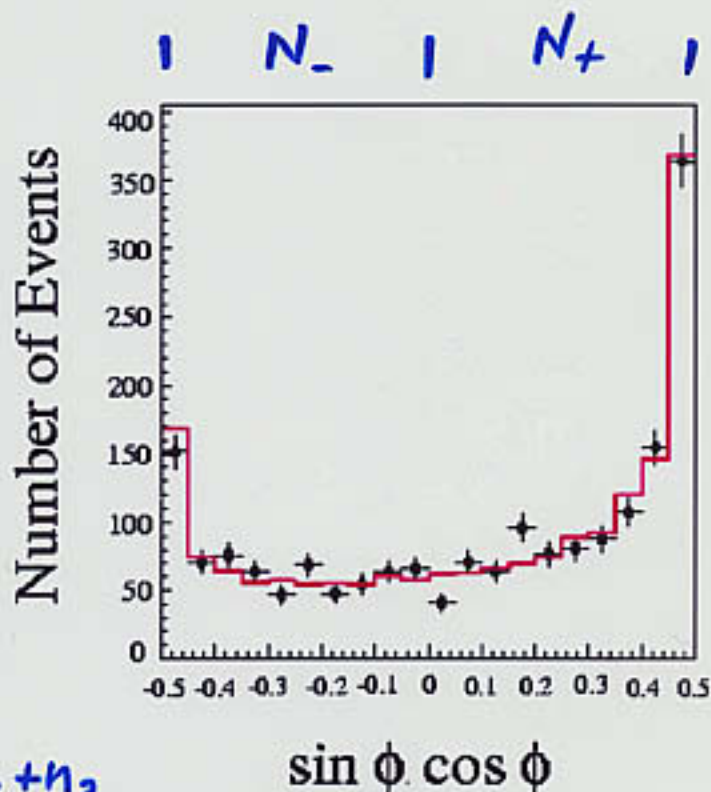
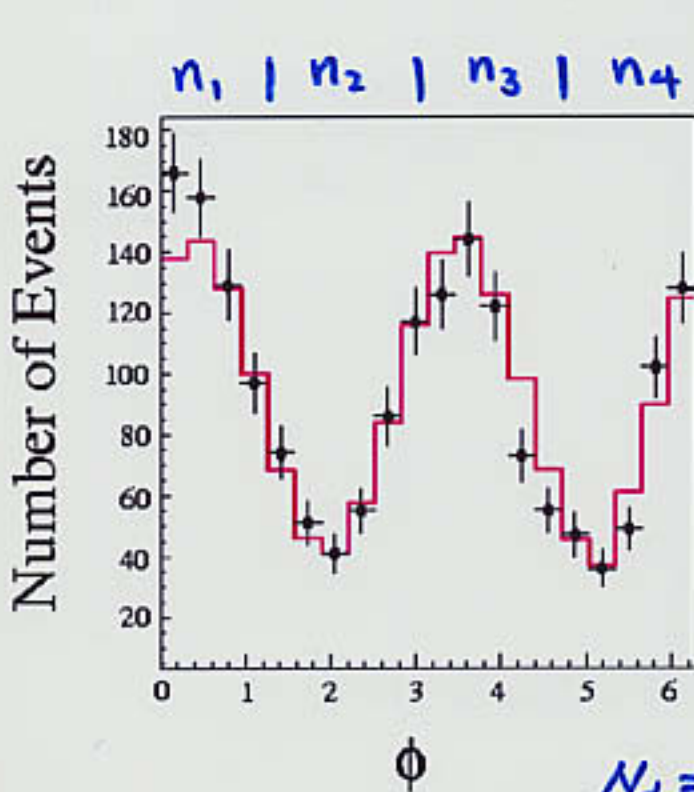




$$\vec{n}_e = (\vec{p}_{e^+} \times \vec{p}_{e^-}), \quad \vec{n}_\pi = (\vec{p}_{\pi^+} \times \vec{p}_{\pi^-})$$

$$\hat{z} = (\vec{p}_{\pi^+} + \vec{p}_{\pi^-})$$

T-odd ! triple products :  $(\vec{n}_e \times \vec{n}_\pi) \cdot \hat{z} \sim \sin\phi \cos\phi$



$$N_+ = n_1 + n_3$$

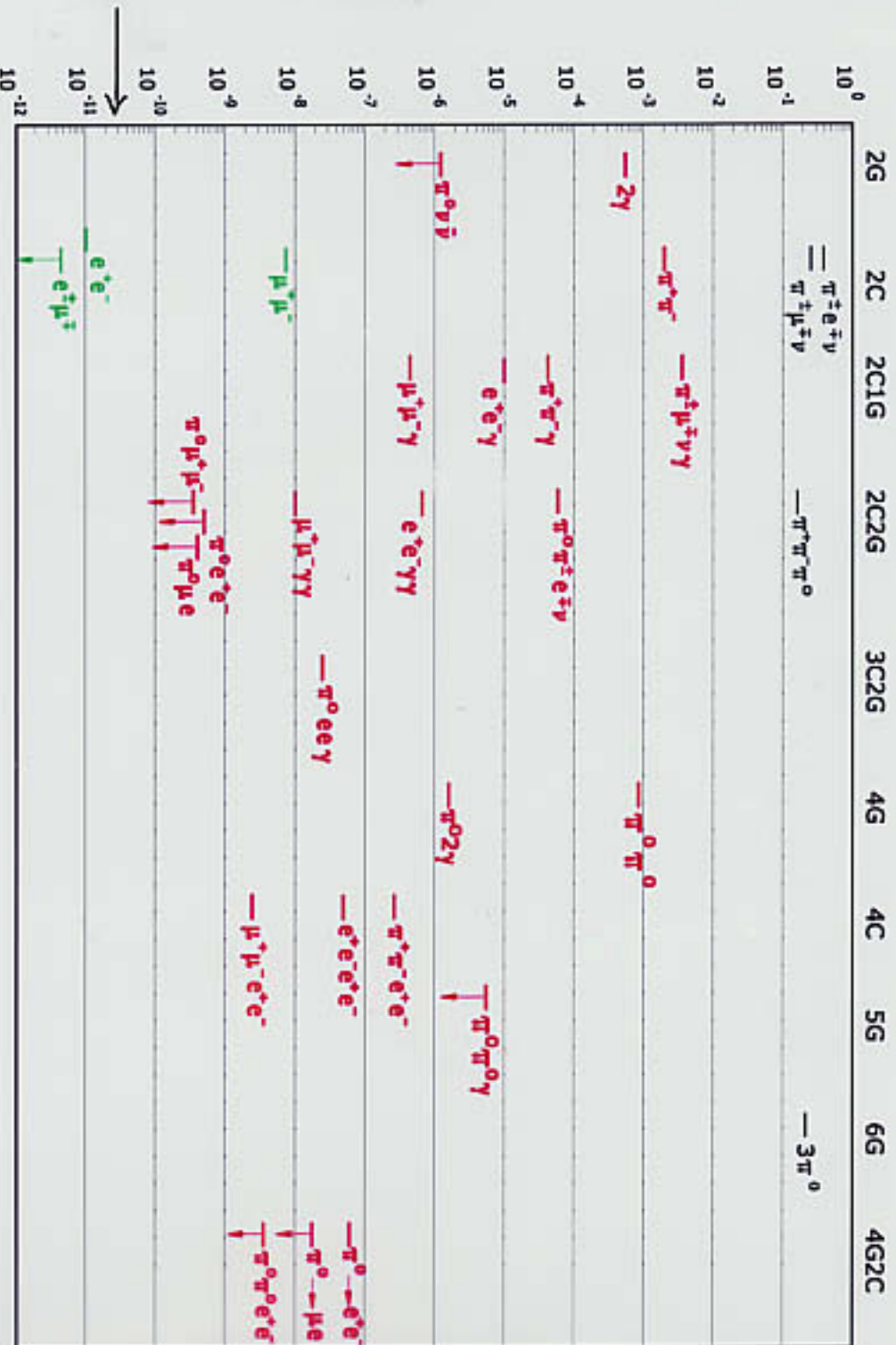
$$N_- = n_2 + n_4$$

$$\frac{N_+ - N_-}{N_+ + N_-} = \text{Asym} = (13.6 \pm 2.5 \pm 1.2)\%$$

stat      syst

1st observation of T violation with dynamical variable instead of quantum # counting!

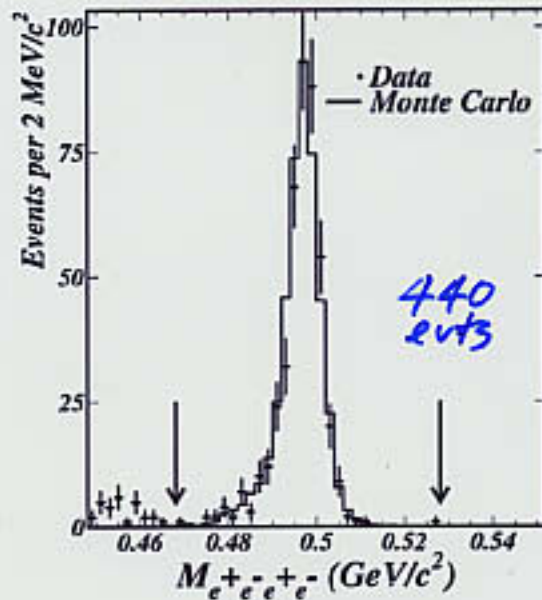
# $K_L$ Decays PDG '2000 + KTeV results



Can only be done with JHF with  $E_K > 5 \text{ GeV}$ , detector with tracking ability, to achieve multibody high acceptances.

$10^3$  better  $\Leftarrow$

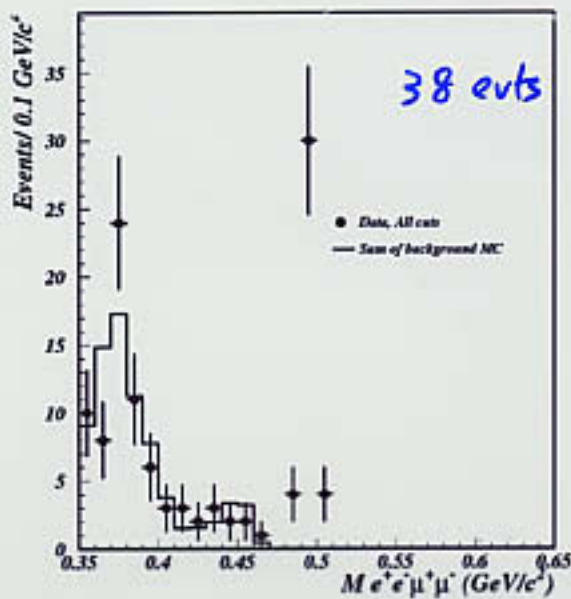
# Double Dalitz :



$K_L \rightarrow e^+e^-e^+e^-$   
Double Dalitz

$$BR \sim 3.7 \times 10^{-8}$$

JHF  $\sim 100K$



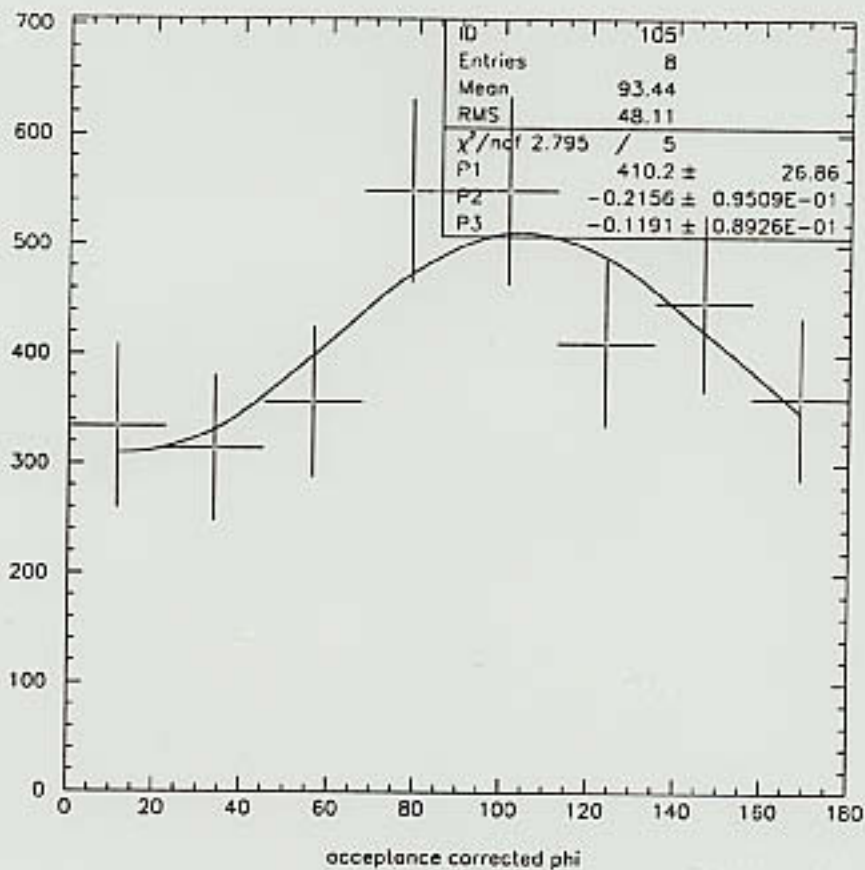
$K_L \rightarrow \mu^+\mu^-e^+e^-$   
mixed double

$$BR \sim 2.5 \times 10^{-9}$$

JHF  $\sim 20K$



$$K_L \rightarrow e^+ e^- e^+ e^-$$



$$\frac{d\Gamma}{d\phi} \sim 1 + \beta \cos 2\phi + \gamma \sin 2\phi ; \quad \beta = -0.212 \pm 0.091 \pm 0.02$$

$\uparrow$   
 -0.2

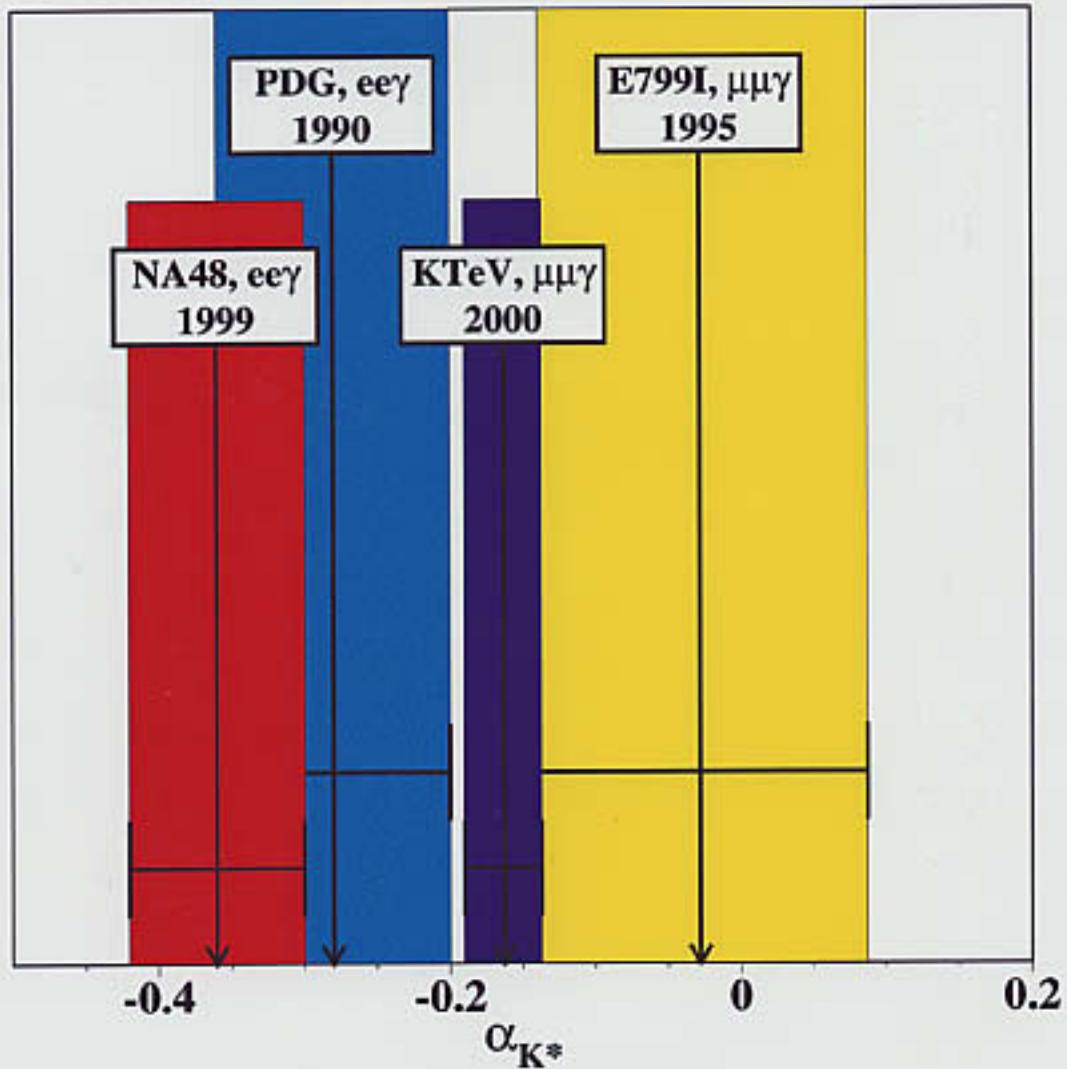
$$\gamma = -0.119 \pm 0.085 \pm 0.02$$

CPV in EM decay

$$\alpha_{K^*} \text{ (BMS)} = 0.03 \pm 0.17 \pm 0.18$$

(stat) (syst)

## Comparison with Previous Experiments



- Twice the precision of other experiments
- Difference between  $K_L \rightarrow \mu^+ \mu^- \gamma$  and  $K_L \rightarrow e^+ e^- \gamma$  established at the  $3\sigma$  level

# A Neutral Kaon Physics Program at JHF is

- Great Physics
- Unique (maybe the only way)
- world class (': of JHF)
- High acceptance, high precision detector with multi-bodies final state capabilities will bring ALL physics sensitivities to beyond SM.
- Best training ground for young physicists;
- Time scale is "right" for physicists,